

# The Nevis Neutrino Program

Leslie Camilleri

Nevis, January 24<sup>th</sup> 2013

# Who are we?

Mike Shaevitz

Bill Willis (deceased 2012)  
LC

Post Docs:

Georgia Karagiorgi

Camillo Mariani → Virginia Tech.

Kazuhiro Terao ← MIT Spring 2013

Graduate Students:

Matt Toups. Graduated → MIT.

Arthur Franke. Graduated → Financial World

Gary Cheng

Rachel Carr

David Kaleko

David Caratelli

Undergraduates:

Kathleen Tatem

Jennett Dickinson

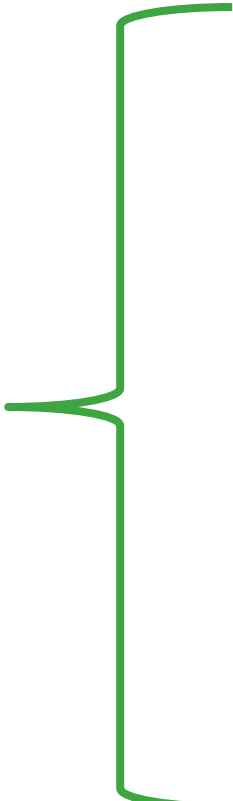
Strong support from

Computing  
William Seligman

Electronics Team  
Bill Sippach  
Cheng-Yi Chi  
Nancy Bishop

Mechanical Technician  
David Thomas

# Plan of talk

- ◆ Historical Introduction
  - ◆ Brief theory of Neutrino oscillations
  - ◆ The present state of knowledge
  - ◆ What still needs understanding?
  - ◆ How will Nevis experiments contribute?
- 
- ◆ Double Chooz
  - ◆ MicroBooNE
  - ◆ MiniBooNE
  - ◆ SciBooNE
  - ◆ LAr1
  - ◆ IsoDAR
  - ◆ (LBNE)

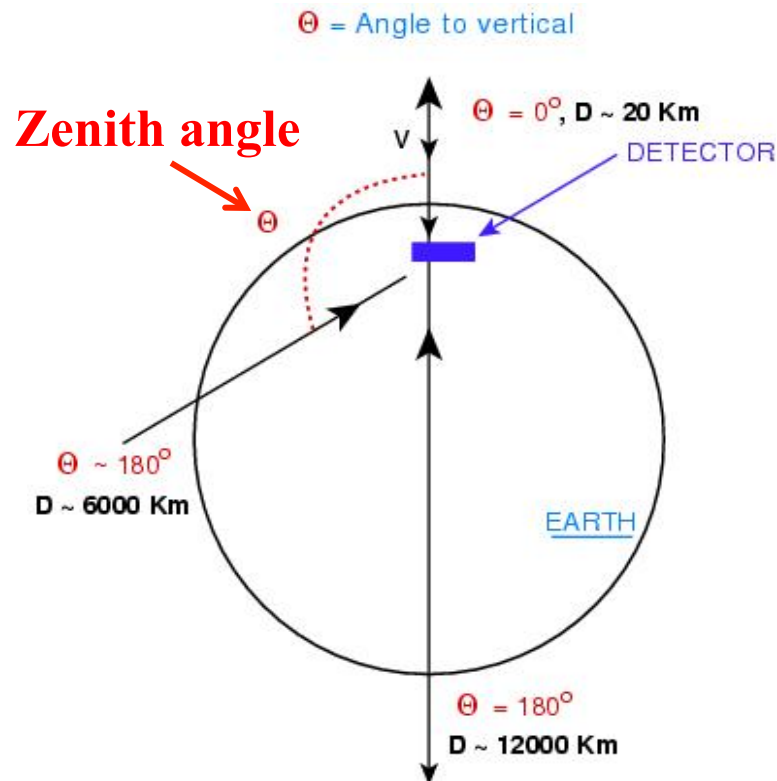
# Puzzle I: Atmospheric Neutrinos: $\nu_e$ and $\nu_\mu$

Produced by  $\pi$  and K decays in upper atmosphere

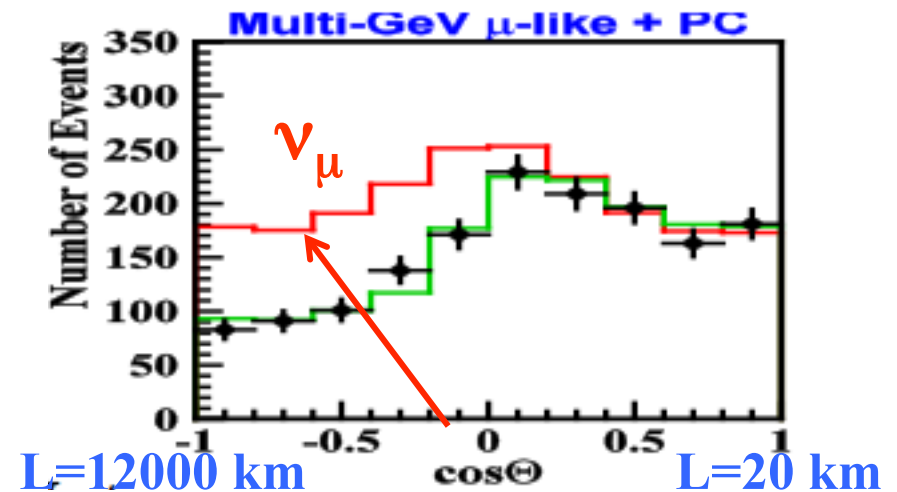
- They decay  $\rightarrow \mu + \nu_\mu$ .
- Then the muons decay to  $e + \nu_e + \nu_\mu$



Expect  $N_{\nu_\mu}/N_{\nu_e} \sim 2$   
Instead measured  $\sim 1$



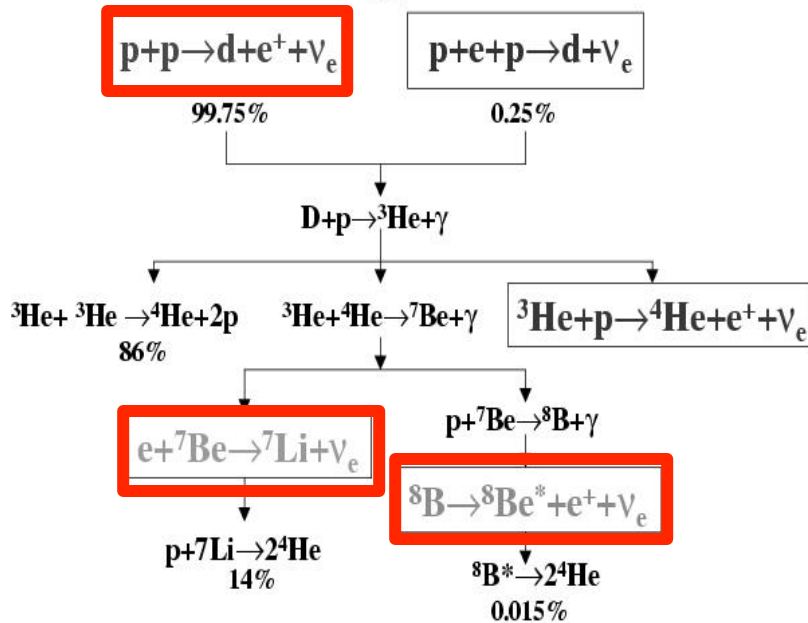
Zenith angle  $\rightarrow$  BASELINE =  $L$



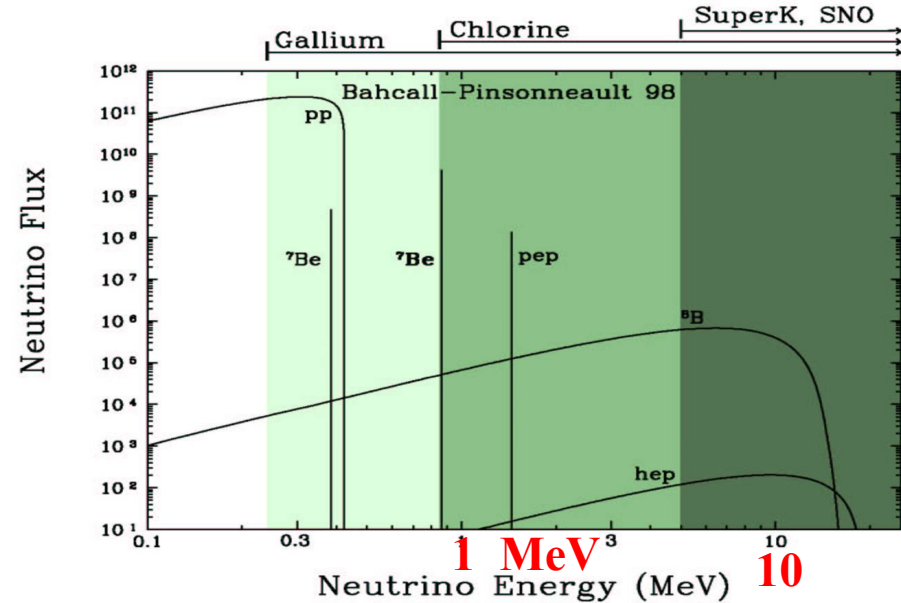
$\nu_\mu$  disappear  
 $\nu_e$  do NOT

## Solar neutrinos

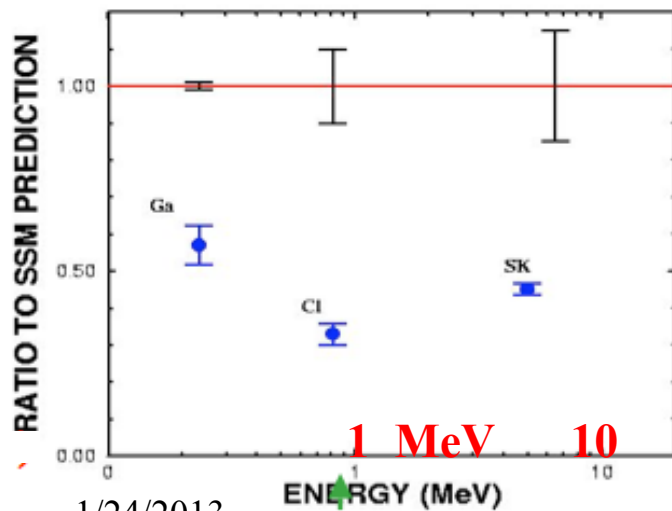
### The pp-chain



## Puzzle II: Solar $\nu$ 's



All experiments sensitive only, or mostly, to  $\nu_e$   
Radiochemical and Real Time  $\rightarrow$  suppression



Then **SNO**: Use Heavy water  $\text{D}_2\text{O}$ .  
Only 2.2 MeV needed to break up D

$\rightarrow$  Neutral Current (NC) reactions on nucleons

$$\nu_x + n \rightarrow n + \nu_x$$

Sensitive to flux from ALL flavours,  $\phi(\nu_e, \nu_\mu, \nu_\tau)$

$$\phi_{\text{NC}} = 5.14^{+0.21}_{-0.20} \times 10^6 \text{ cm}^{-2} \cdot \text{s}^{-1} \leftarrow \text{All there}$$

$$\phi_{\text{SSM}} = 5.69 \pm 0.91 \times 10^6 \text{ cm}^{-2} \cdot \text{s}^{-1} \leftarrow$$


Just changed flavour

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# Neutrinos: Flavour and Mass states

- 3  $\nu$  FLAVOURS:  $\nu_e$ ,  $\nu_\mu$ ,  $\nu_\tau$
- They “change” from one to another :  $\nu_e \rightarrow \nu_\mu$  :  Oscillations.
- **WHY ?**
- Because they are, each, a sum of 3 different MASS states:  $\nu_1$ ,  $\nu_2$ ,  $\nu_3$ .

$$|\nu_f\rangle = \sum_k U_{fk}^* |\nu_k\rangle$$

$$\text{With } U = \begin{bmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} \end{bmatrix}$$

When you produce a  $\nu_\mu$ , it has the **EXACT** mix of  $\nu_1$ ,  $\nu_2$ ,  $\nu_3$  to **BE** a  $\nu_\mu$ .

# What happens when they start to propagate?

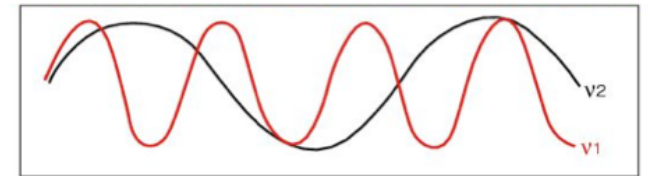
At time  $t = 0$  we produce a beam of a given flavour  $\nu_\alpha \rightarrow$  correct  $m_k$  mix.  
Then at time  $t = t$

$$\begin{aligned}
 |\nu_\alpha(t)\rangle &= e^{ip \cdot r} \sum_{k=1}^3 U_{\alpha k}^* e^{-iE_k t} |\nu_k\rangle \\
 &= e^{ip \cdot r} \sum_{k=1}^3 U_{\alpha k}^* e^{-i\sqrt{(p^2 + m_k^2)}t} |\nu_k\rangle
 \end{aligned}$$

$E^2 = p^2 + m^2$

The different  $|\nu_k\rangle$  will evolve differently with time  
because of the different  $m_k$ 's in the exponent

$|\nu_k\rangle$  mix will change with time.  
No longer a pure  $\nu_\alpha$ .



**NOTE: To have oscillations, the  $m$ 's must be non-zero and different.**

# Oscillation probability

**U** is usually represented as a product of three rotation matrices

$$\begin{pmatrix} 1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23} \end{pmatrix} \begin{pmatrix} \cos \theta_{13} & 0 & e^{-i\delta} \sin \theta_{13} \\ 0 & 1 & 0 \\ -e^{i\delta} \sin \theta_{13} & 0 & \cos \theta_{13} \end{pmatrix} \begin{pmatrix} \cos \theta_{12} & \sin \theta_{12} & 0 \\ -\sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

Atmospheric

Solar

- Oscillations should involve all 3 mass states always.
- Matrix involves 3 angles and a phase,  $\delta_{\text{CP}}$ .

To measure  $\delta_{\text{CP}}$   
All 3 angles  
must be  $\neq 0$

Term changes sign  
for  $\bar{\nu}$

$$\begin{aligned} P(\nu_\mu \rightarrow \nu_e) = & 4C_{13}^2 S_{13}^2 \sin^2 \frac{\Delta m_{31}^2 L}{4E} \times \left( 1 + \frac{2a}{\Delta m_{31}^2} (1 - 2S_{13}^2) \right) \\ & + 8C_{13}^2 S_{12} S_{13} S_{23} (C_{12} C_{23} \cos \delta - S_{12} S_{13} S_{23}) \cos \frac{\Delta m_{32}^2 L}{4E} \sin \frac{\Delta m_{31}^2 L}{4E} \sin \frac{\Delta m_{21}^2 L}{4E} \\ & - 8C_{13}^2 C_{12} C_{23} S_{12} S_{13} S_{23} \sin \delta \sin \frac{\Delta m_{32}^2 L}{4E} \sin \frac{\Delta m_{31}^2 L}{4E} \sin \frac{\Delta m_{21}^2 L}{4E} \\ & + 4S_{13}^2 C_{13}^2 \{ C_{12}^2 C_{23}^2 + S_{12}^2 S_{23}^2 S_{13}^2 - 2C_{12} C_{23} S_{12} S_{23} S_{13} \cos \delta \} \sin^2 \frac{\Delta m_{21}^2 L}{4E} \\ & - 8C_{13}^2 S_{13}^2 S_{23}^2 \cos \frac{\Delta m_{32}^2 L}{4E} \sin \frac{\Delta m_{31}^2 L}{4E} \frac{aL}{4E} (1 - 2S_{13}^2) \end{aligned}$$

# Oscillation probability

- For most oscillations phenomena we need deal with only 2 states at a time.
- $U$  then simplifies to a **SINGLE** rotation matrix with one parameter:  $\theta$ .

$\theta$  Will be different depending on which pair of states we are dealing with

$$P_{\alpha\beta}(t) = \sin^2 2\theta \sin^2 \left[ 1.27 \underbrace{\frac{L(m)}{E_\nu(\text{MeV})} \Delta m^2 (\text{eV}^2)} \right], \Delta m^2 = m_i^2 - m_j^2$$

To maximize oscillations:  $\rightarrow \pi/2$

Observe large oscillations at small  $L$  means  $\Delta m^2$  is large

Note:

- Cannot determine the **SIGN** of  $\Delta m^2$  through oscillations in vacuum
- Cannot determine the **ABSOLUTE** mass scale: only mass differences

# Present knowledge

Two angles have been measured:

“Solar” angle  $\theta_{12} = (33.96 \pm 0.99)^\circ$

“Atmospheric” angle  $\theta_{23} = (46.14 \pm 3.46)^\circ$

In 2011 the angle  $\theta_{13}$ , had only a limit set by a reactor experiment CHOOZ:  $< 11^\circ$

With 3 neutrino's we have 2 independent mass differences. They have been measured

$\Delta m_{12}^2 = (7.59 \pm 0.19) \times 10^{-5} \text{ eV}^2$  Solar mass difference

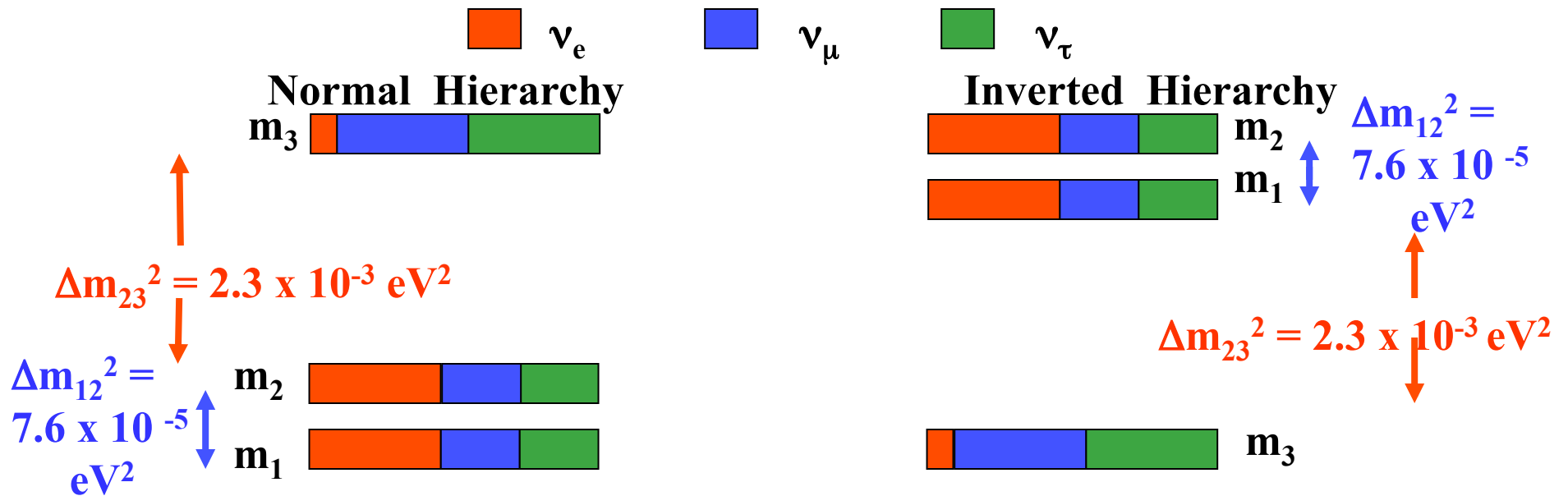
$\Delta m_{23}^2 = (2.32 \pm 0.12) \times 10^{-3} \text{ eV}^2$  Atmospheric mass difference

## Three remaining questions

# I. Sign of $\Delta m_{23}^2$

**Question 1: What is the mass hierarchy?  $m_3 > m_1, m_2$  or  $m_3 < m_1, m_2$**

[ The sign of  $\Delta m_{12}$  is determined by matter effects in the sun affecting solar  $\nu$ 's]



Must send  $\nu$ 's through matter: presence of  $e$ 's in matter and no ( $\mu$ 's and  $\tau$ 's)  
Introduces an extra term in their propagation and linear terms in  $\Delta m^2$ .

Significant matter effect requires  $\nu$ 's travelling  $\sim 1000\text{km}$  through the Earth.

# Mass hierarchy

To make  $[1.27 \Delta m^2 L/E] = \pi/2$  with  $\Delta m_{23}^2 = 2.3 \times 10^{-3} \text{ eV}^2$  and  $L \sim 1000 \text{ km}$



$E \sim 1000 \text{ MeV}$



Accelerator  $\nu$  beam

Fermilab to Homestake (SD)

Long Base Line Neutrino Experiment(LBNE)

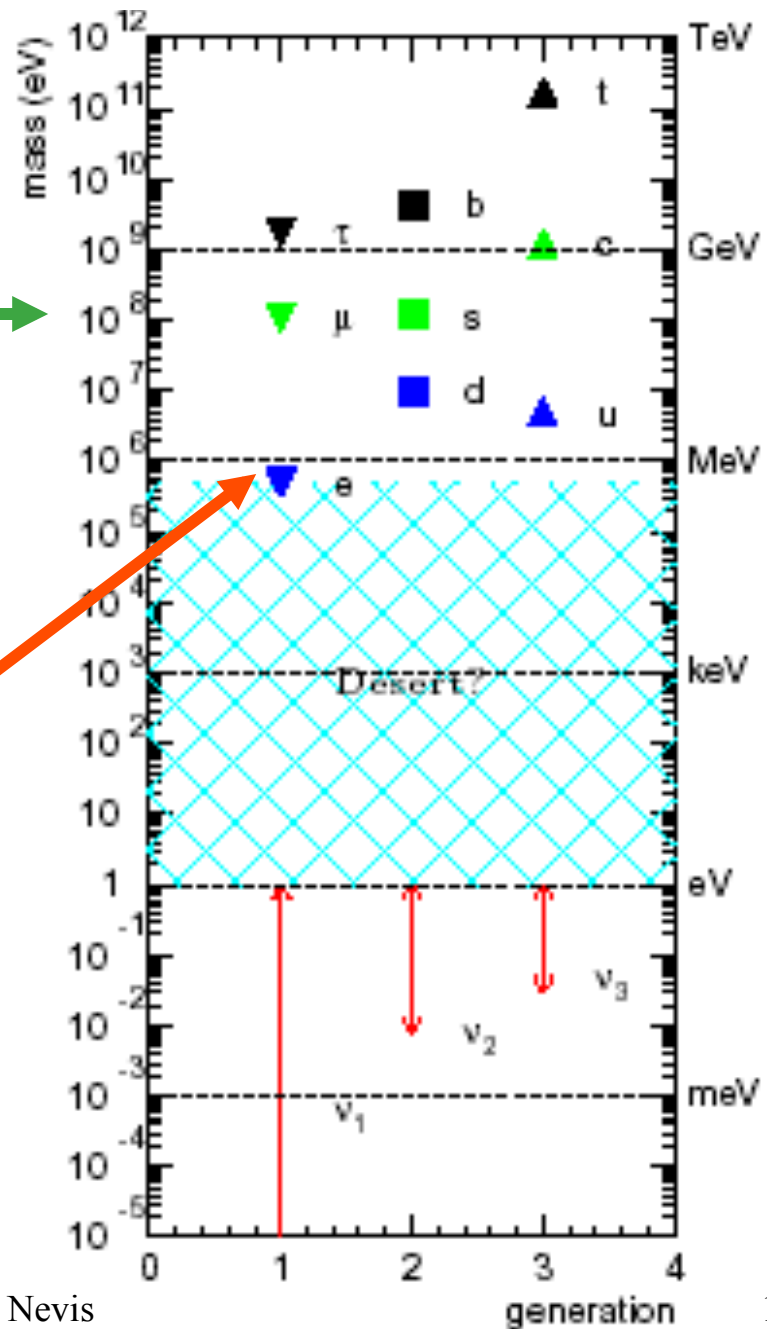
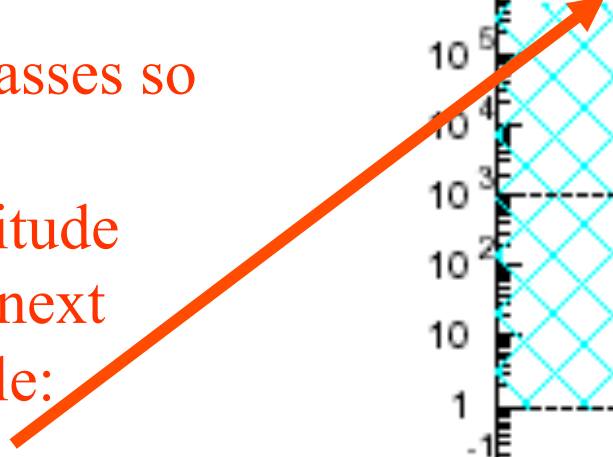
- Large International Collaboration
- Tens of kilotons of Liquid Argon
- Granted DOE CD1 approval.



Other particles



Why are neutrino masses so  
small????  
6 orders of magnitude  
smaller than the next  
heaviest particle:  
the electron



## II. CP Violation

Question 2: Is  $\delta_{CP} \neq 0$  ?

$\nu_\mu \rightarrow \nu_e$  ( $\nu_e$  appearance)

Two ways to determine this:

If the phase  $\delta_{CP}$  is  $\neq 0$

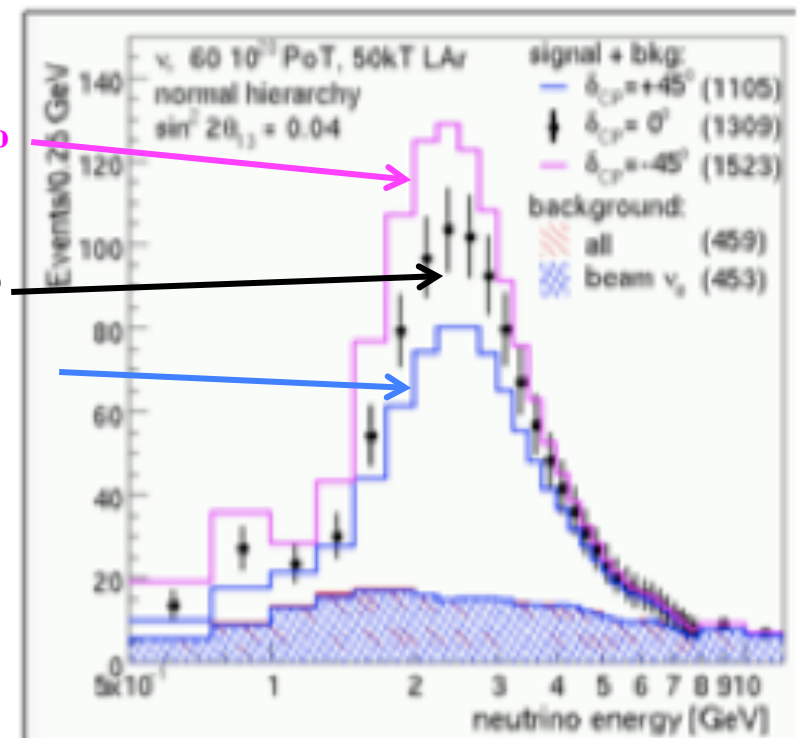


- $\nu_\mu \rightarrow \nu_e$  osc.  $\neq \bar{\nu}_\mu \rightarrow \bar{\nu}_e$  osc
- Strength of oscillations depends on  $\delta_{CP}$

$\delta_{CP} = +45^\circ$

$\delta_{CP} = -0^\circ$

$\delta_{CP} = -45^\circ$



50 kton of Liquid Argon

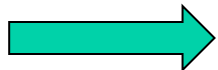
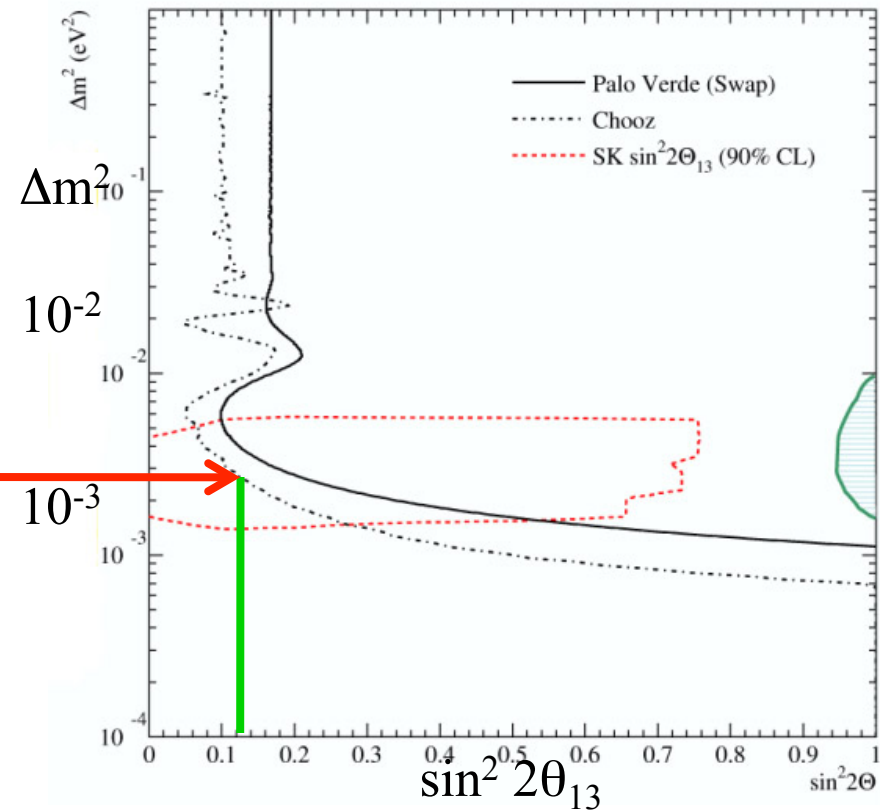
### III. The value of the third angle $\theta_{13}$ .

**Question 3: What is  $\theta_{13}$ ?  $\neq 0$  ?**

Best limit set by CHOOZ:  
Reactor antineutrino disappearance.

For  $\Delta m^2 = 2.32 \times 10^{-3} \text{ eV}^2$

$$\sin^2 2\theta_{13} < 0.12$$



**Measure  $\theta_{13}$ : First Nevis contribution. Double Chooz**

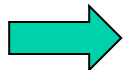
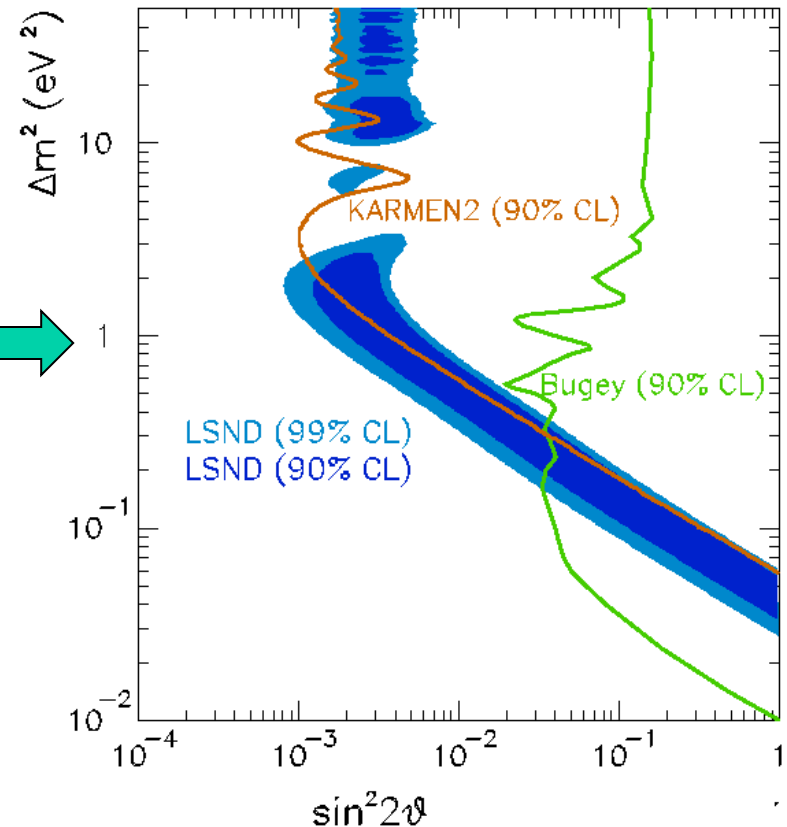
# The Fly in the Ointment....

LSND

LSND observed a ( $\sim 3.8\sigma$ ) excess of  $\bar{\nu}_e$  events in a pure  $\bar{\nu}_\mu$  beam

If due to oscillations:  
 $L/E \rightarrow \text{High } \Delta m^2 \sim 1 \text{ eV}^2$   
Implies a **FOURTH** neutrino

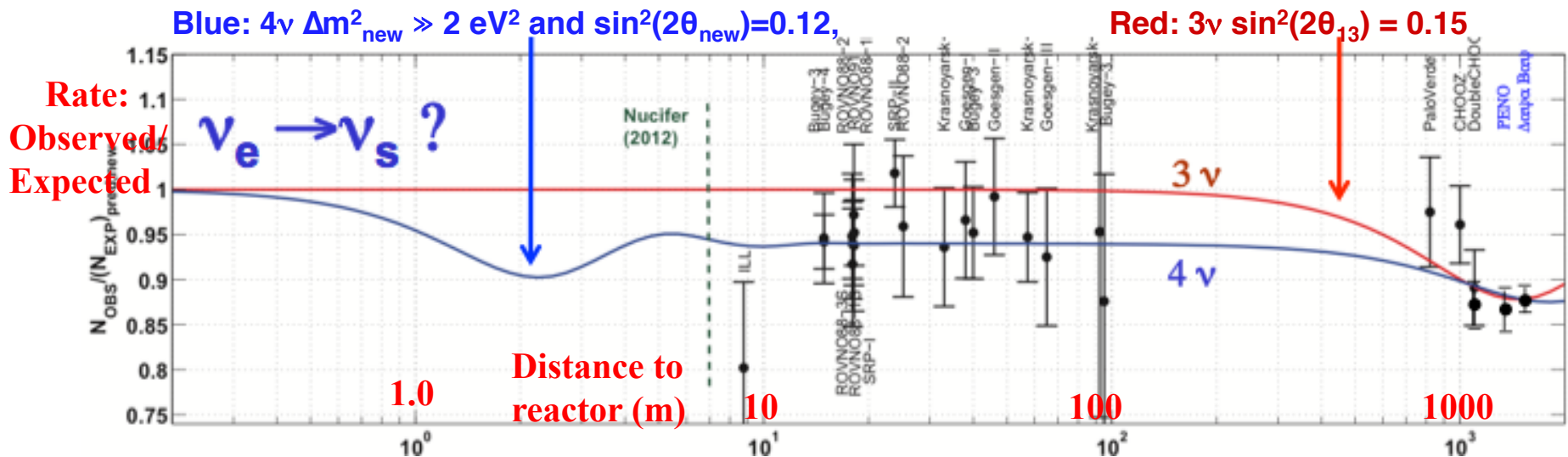
But  $Z^0$  width allows **ONLY 3** low mass  $\nu$ 's  
Can only be a new  
**LOW MASS STERILE  $\nu$**



**Second Nevis contribution: Check LSND. MiniBooNE.**  
**Third Nevis contribution: Check LSND. MicroBooNE.**

# More flies....

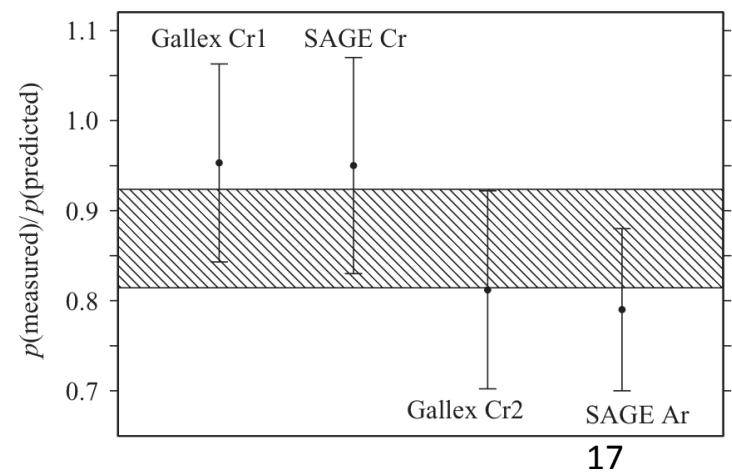
**Reactor Anomaly:** Short baseline reactor experiments observe a deficit of  $\bar{\nu}_e$



**Source Anomaly:** Sources of  $\nu_e$  used to calibrate solar neutrino detectors (SAGE and Gallex) also observe a deficit.

Small **L** implies high  $\Delta m^2 \sim 1 \text{ eV}^2$   
 A FOURTH  $\nu$  with higher mass ?

➡ **Fourth Nevis contribution.**  
**Proposed: LAr1, IsoDAR.**



# Double Chooz



Measure  $\theta_{13}$  by studying oscillations of reactor antineutrinos ( $\bar{\nu}_e$ 's)

Neutrino identification  $\rightarrow$  Charged Current interactions  $\rightarrow$  e,  $\mu$ ,  $\tau$ .

Reactor antineutrinos not energetic enough to produce  $\mu, \tau$ .

Cannot search for oscillations through APPEARANCE of  $\bar{\nu}_\mu, \bar{\nu}_\tau$ .

DISAPPEARANCE of  $\bar{\nu}_e$ 's ONLY

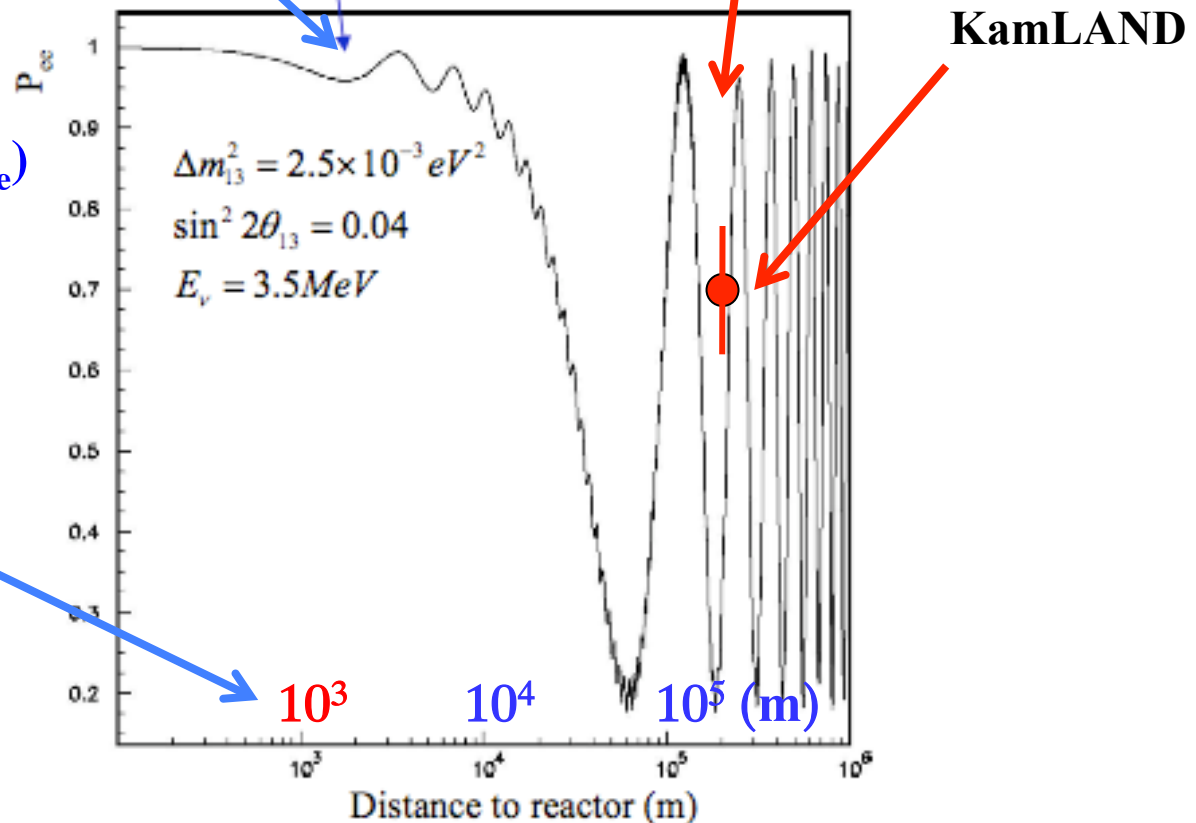
# Sensitivity to $\theta_{13}$

$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e) = 1 - \sin^2 2\theta_{13} \sin^2(\Delta m_{13}^2 L / 4E) - \sin^2 2\theta_{12} \sin^2(\Delta m_{12}^2 L / 4E)$$

$$\Delta m_{12}^2 \ll \Delta m_{13}^2$$

$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e)$$

Place detector at a distance  $\sim 1000\text{m}$   
 $\rightarrow \theta_{12}$  term negligible



Technique used by CHOOZ and Palo Verde to set a limit on  $\theta_{13}$ .

# Detection Technique: Scintillator target.

Detection through inverse  $\beta$  decay:

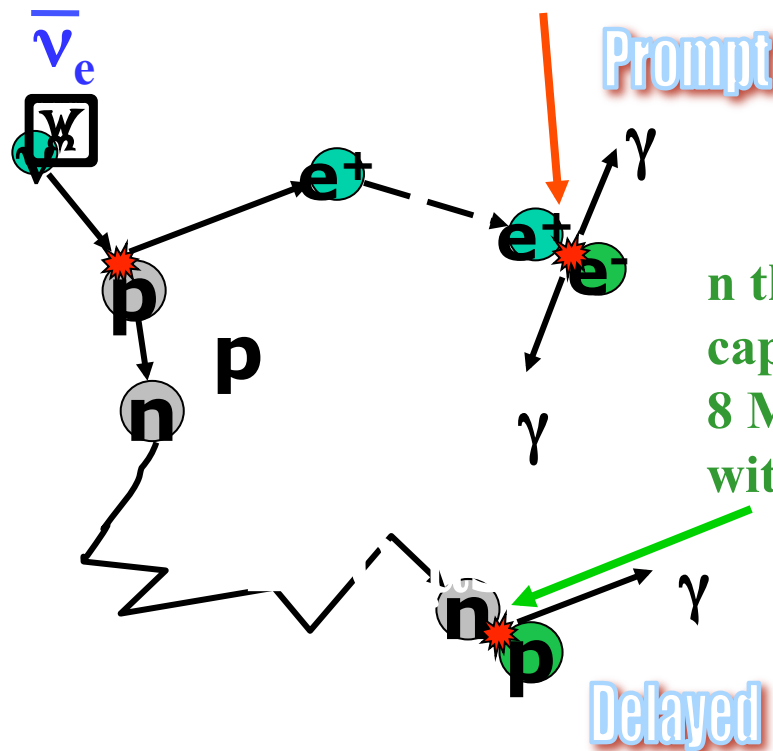


On free protons only:  
Hydrogen

$e^+$  annihilates with  $e^-$   
of liquid:  $\rightarrow$  2 photons  
(0.7 – 12.2 MeV)

Detector : Liquid scintillator loaded  
with **gadolinium**:

Large cross section for  
neutron capture  $\rightarrow$  photons



$n$  thermalizes and is then  
captured by Gadolinium :  
8 MeV of photons emitted  
within 10's of  $\mu$ sec.  
(6 – 12 MeV)

**Delayed Coincidence**  
of **2** signals  
(2-100 $\mu$ s)  
**Reduces background**

# How do we improve on CHOOZ?

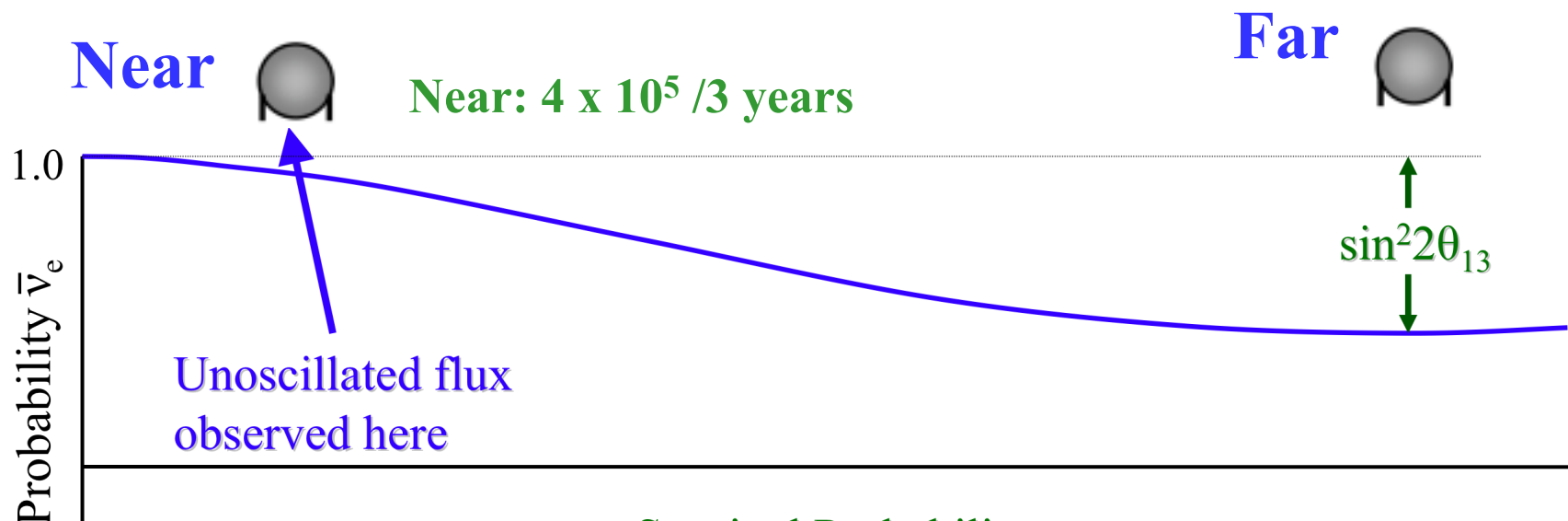
➤ Statistics: 2.8% → 0.4%.

◆ Larger detector ( $5.55\text{m}^3 \rightarrow 10.3\text{ m}^3$ )  $\times 2$

◆ More stable scintillator → Longer running time. (3 months → 3 years)  $\times 12$   
2700 events → Far: 65 000 events/3 years

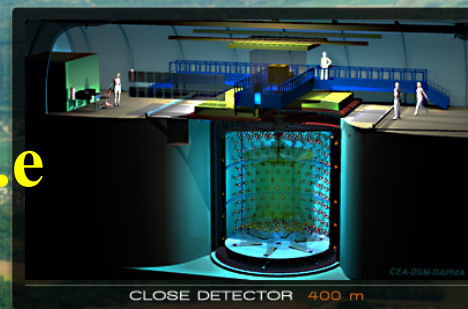
➤ Systematics: 2.7% → 0.6%.

◆ Reduce **flux uncertainty** by measuring it in a Near detector

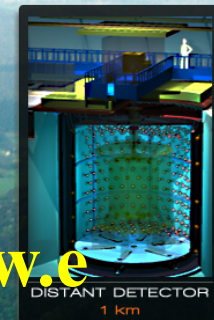


## Two detectors

Near  
415m  
114 m.w.e  
Under  
construction



Far  
1051m  
300 m.w.e  
Running



Reactor power:  
2 x 4.27 GW thermal

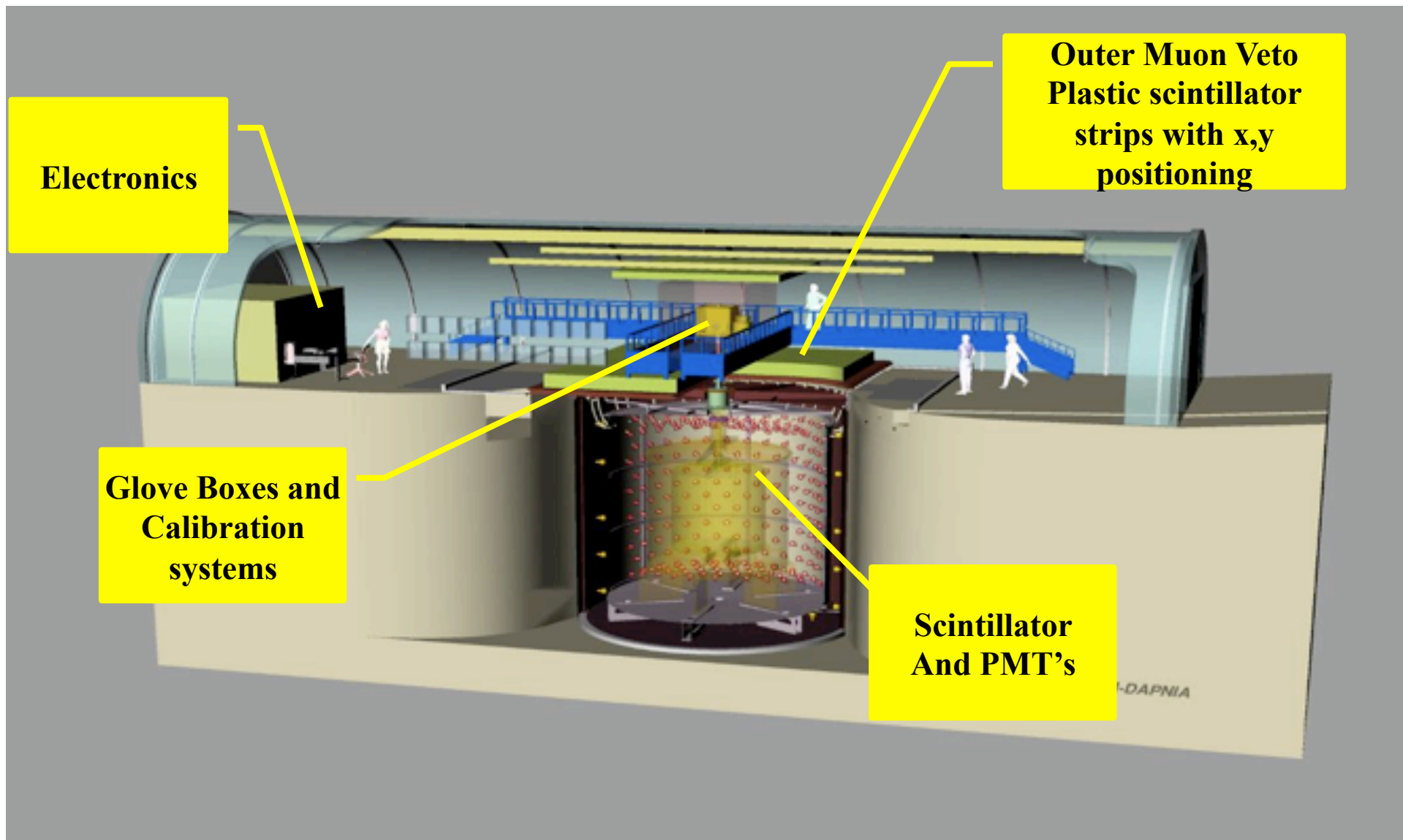


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# The Lab

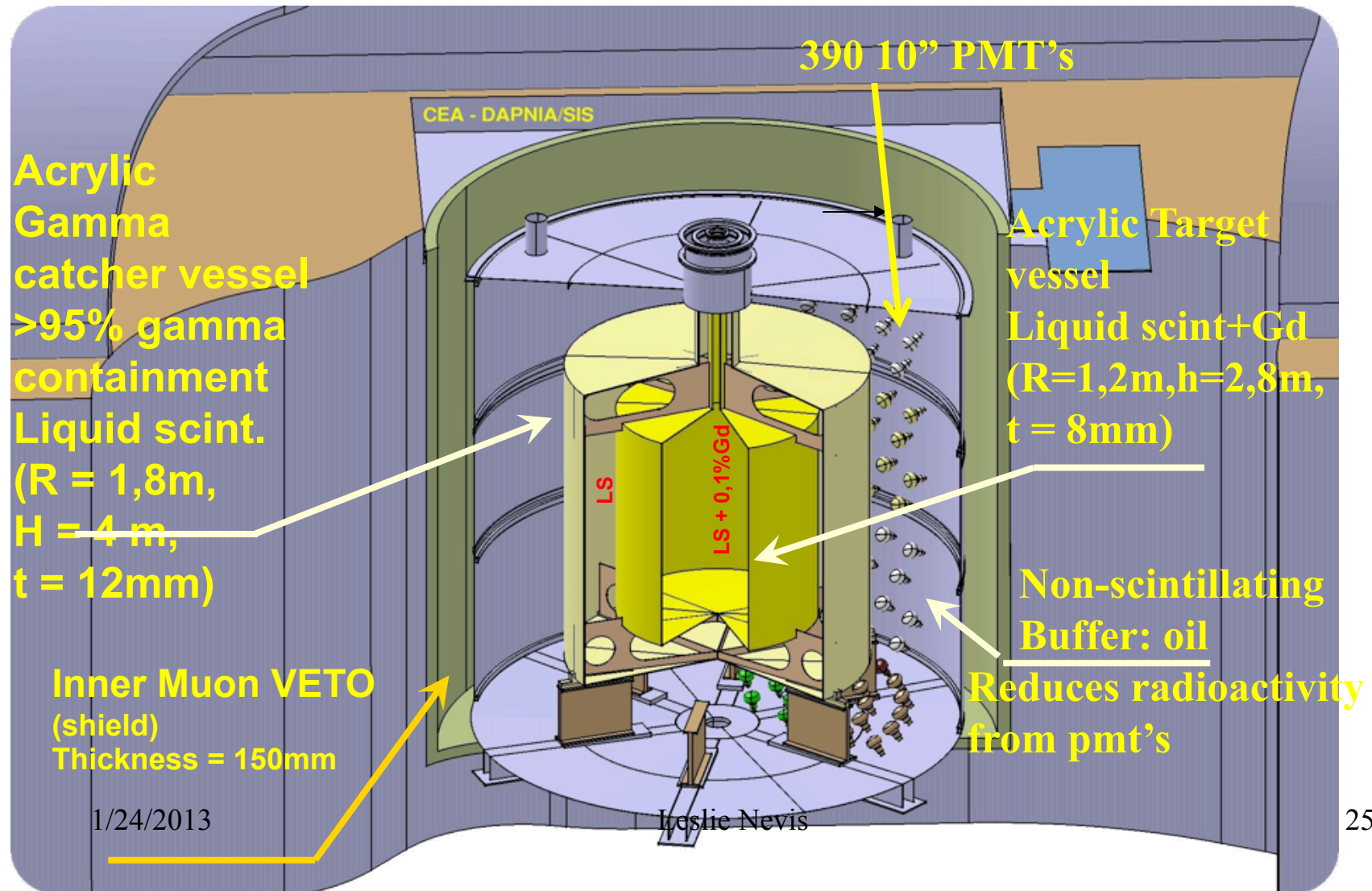


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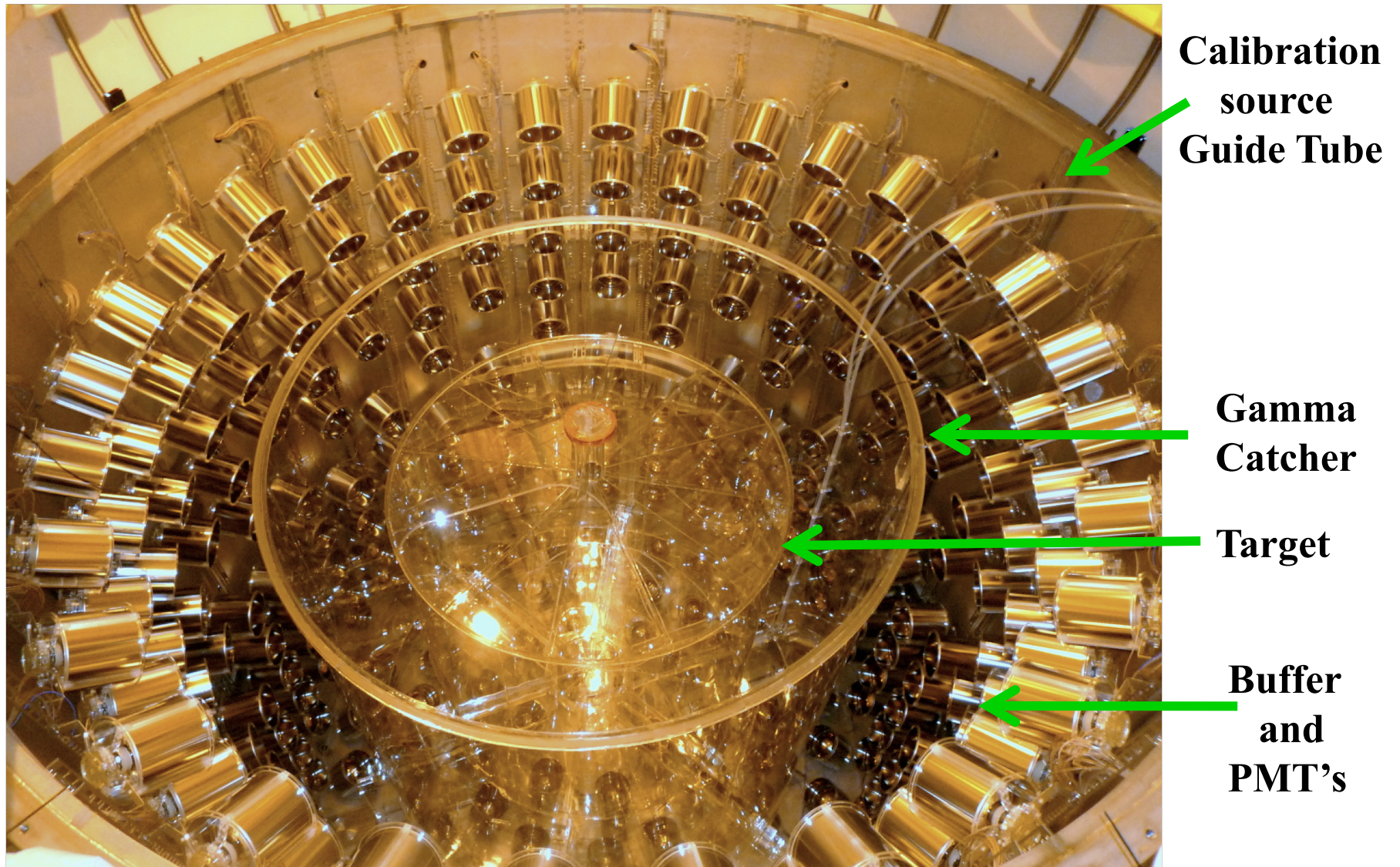
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# Double Chooz detector

Inner detector, gamma catcher, mineral oil buffer , inner  $\mu$  veto ,  
outer veto (scintillator strips)



# DC Target

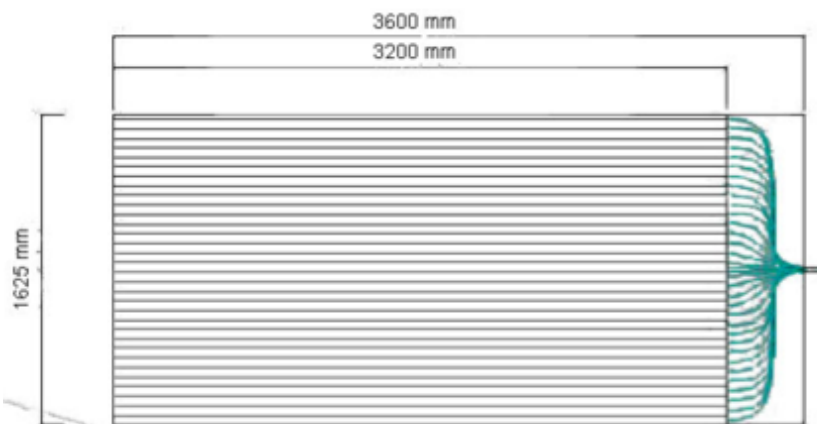
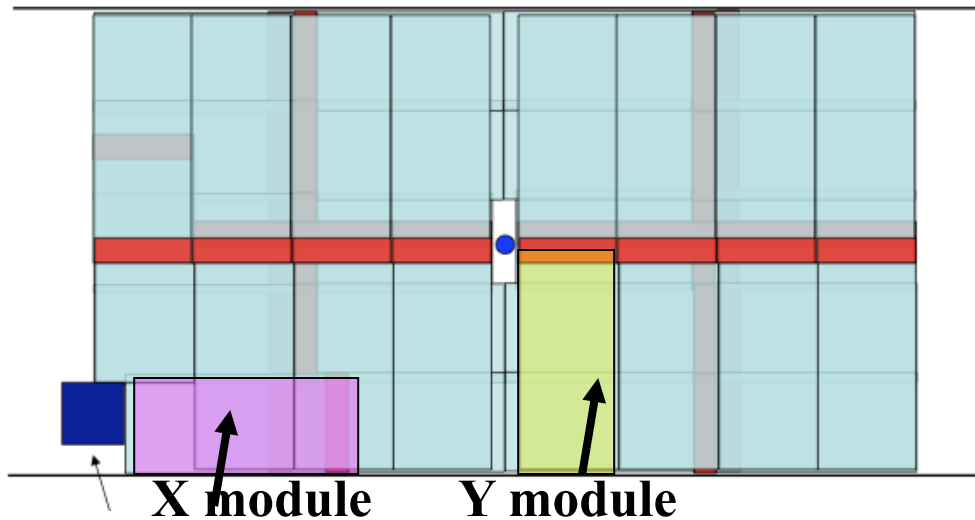


# The Outer Veto

Made of modules each comprising 64 scintillator strips.

A layer of modules with strips in the X direction.

A second layer with strips in Y direction.



Read by Hamamatsu H8804 64 channel  
Multi-anode pmt's.

**PMT's and their electronics readout:  
Nevis hardware contribution  
(Camillo Mariani → Rachel Carr)<sup>27</sup>**

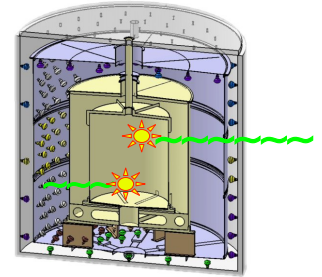
# Background

Signal: (Prompt **e<sup>+</sup>-like** energy) x (Delayed **n-like** energy)

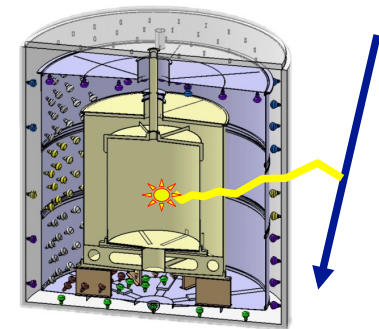
## Three types:

### ➤ Uncorrelated

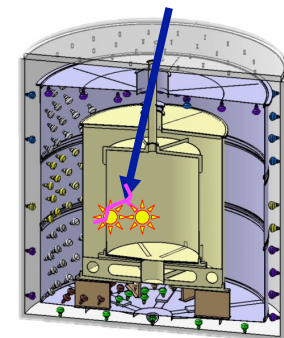
- ◆ Two radioactivity induced pulses (pmt's or surrounding rock) in random delayed coincidence: → **e<sup>+</sup> like** and **n-like** signals



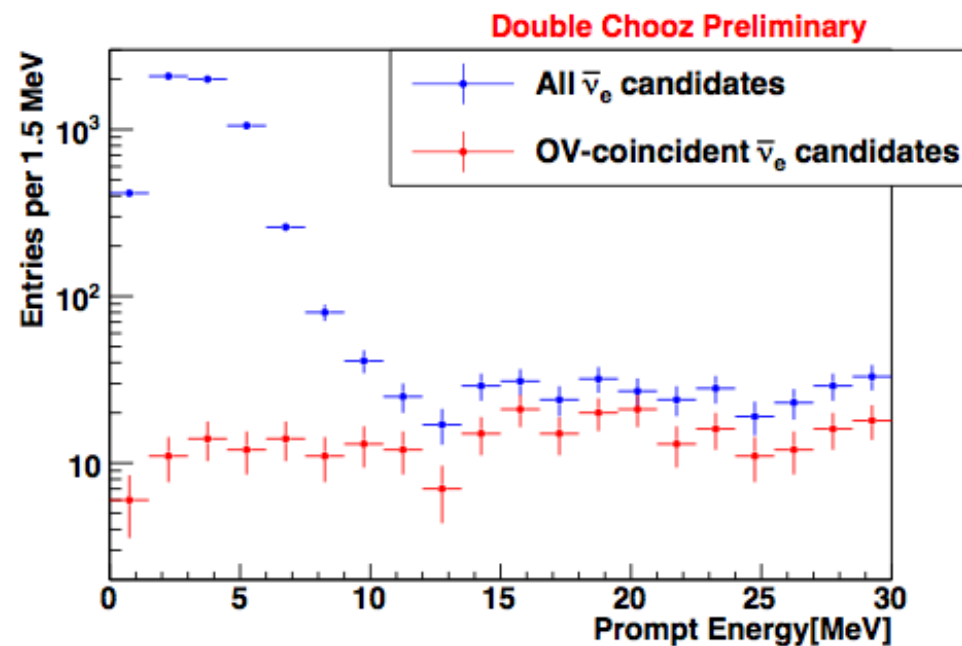
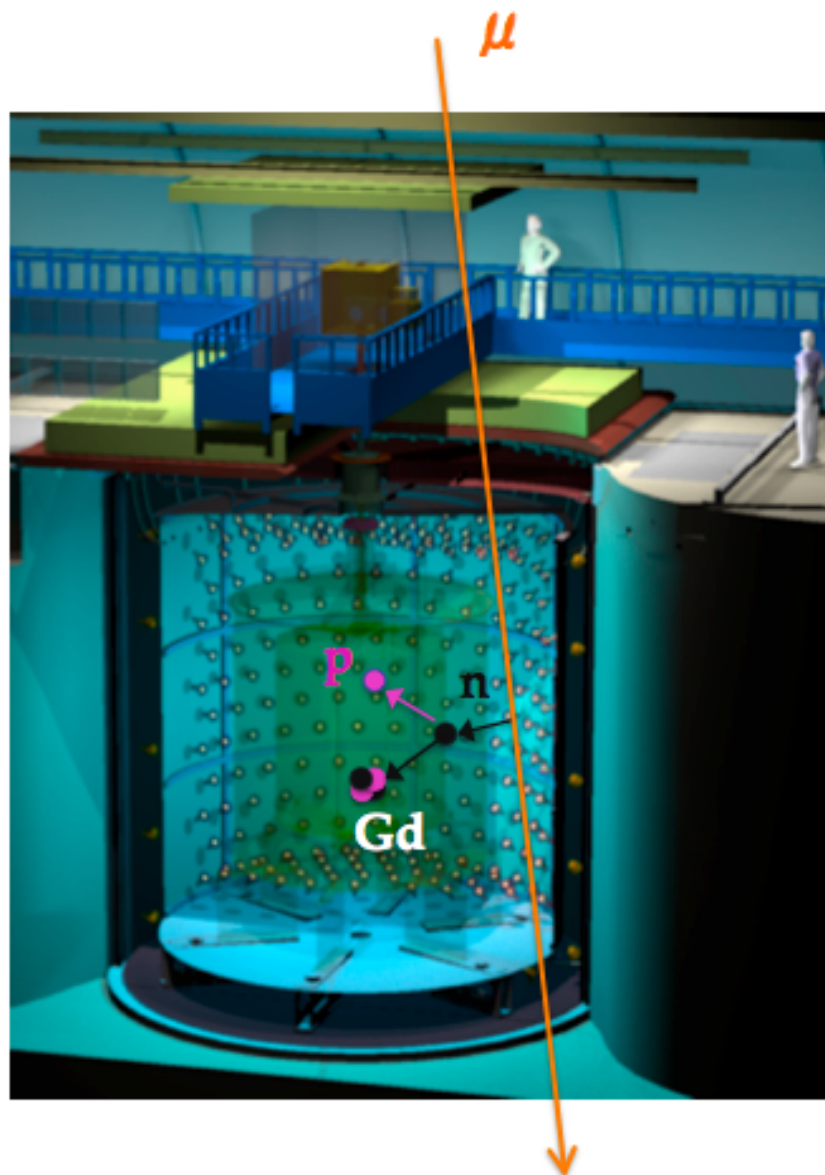
- ◆ A cosmic  $\mu$  interacts in the **surrounding rock** producing a Fast neutron:
  - Giving a recoil proton → **e<sup>+</sup> like** signal
  - Slowing down and getting captured → **n** signal



- ◆ A cosmic  $\mu$  interacts **in the target** producing  ${}^9\text{Li}$  or  ${}^8\text{He}$ 
  - Which then  $\beta$ -decays resulting in → **e<sup>+</sup> like** signal and **n** signalToo long a half life ( >100msec) to veto on  $\mu$  passage.



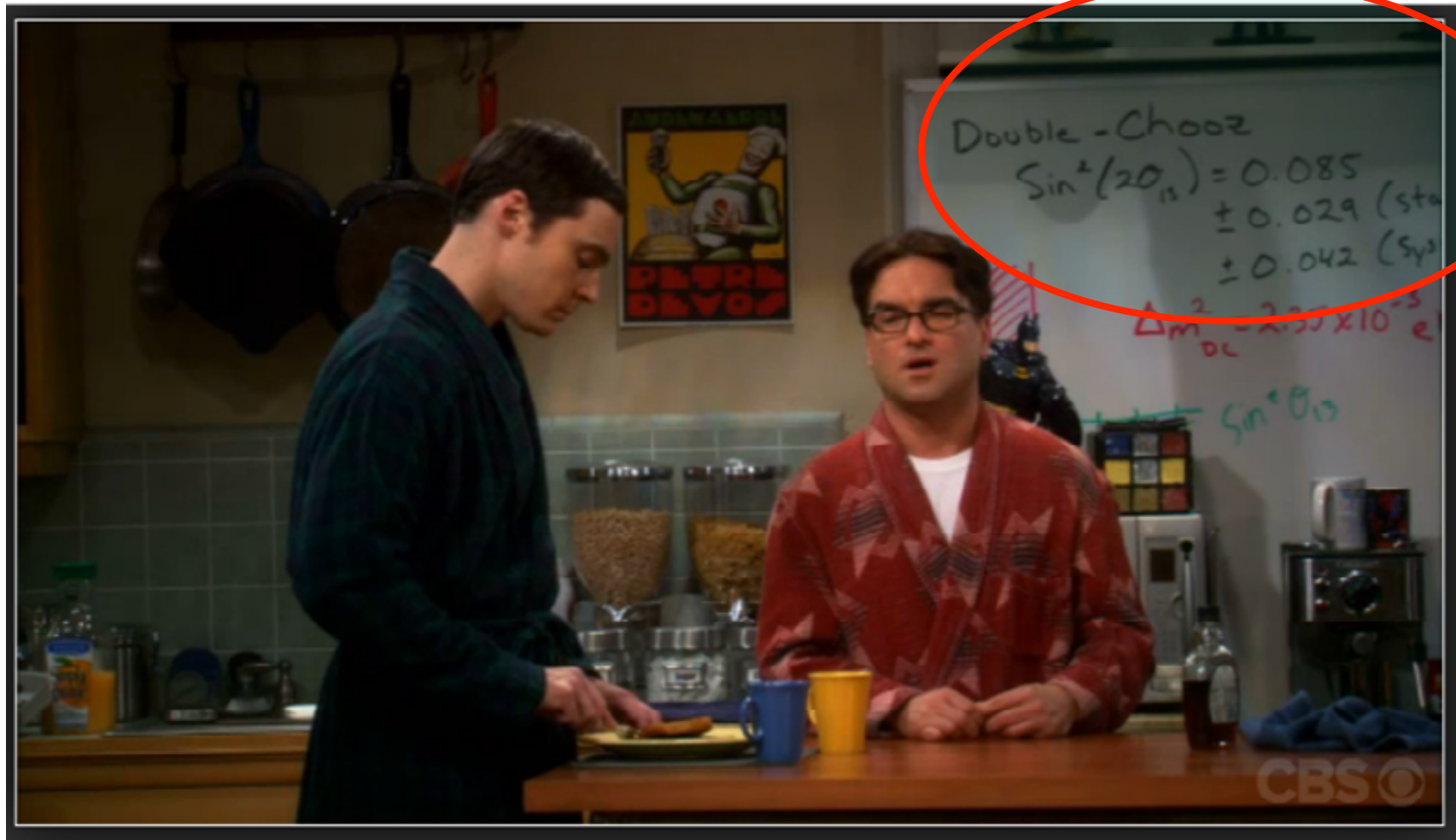
# Outer veto contribution (Nevis)



28% of Fast neutron and Stopping Muon Background rejected by OV.

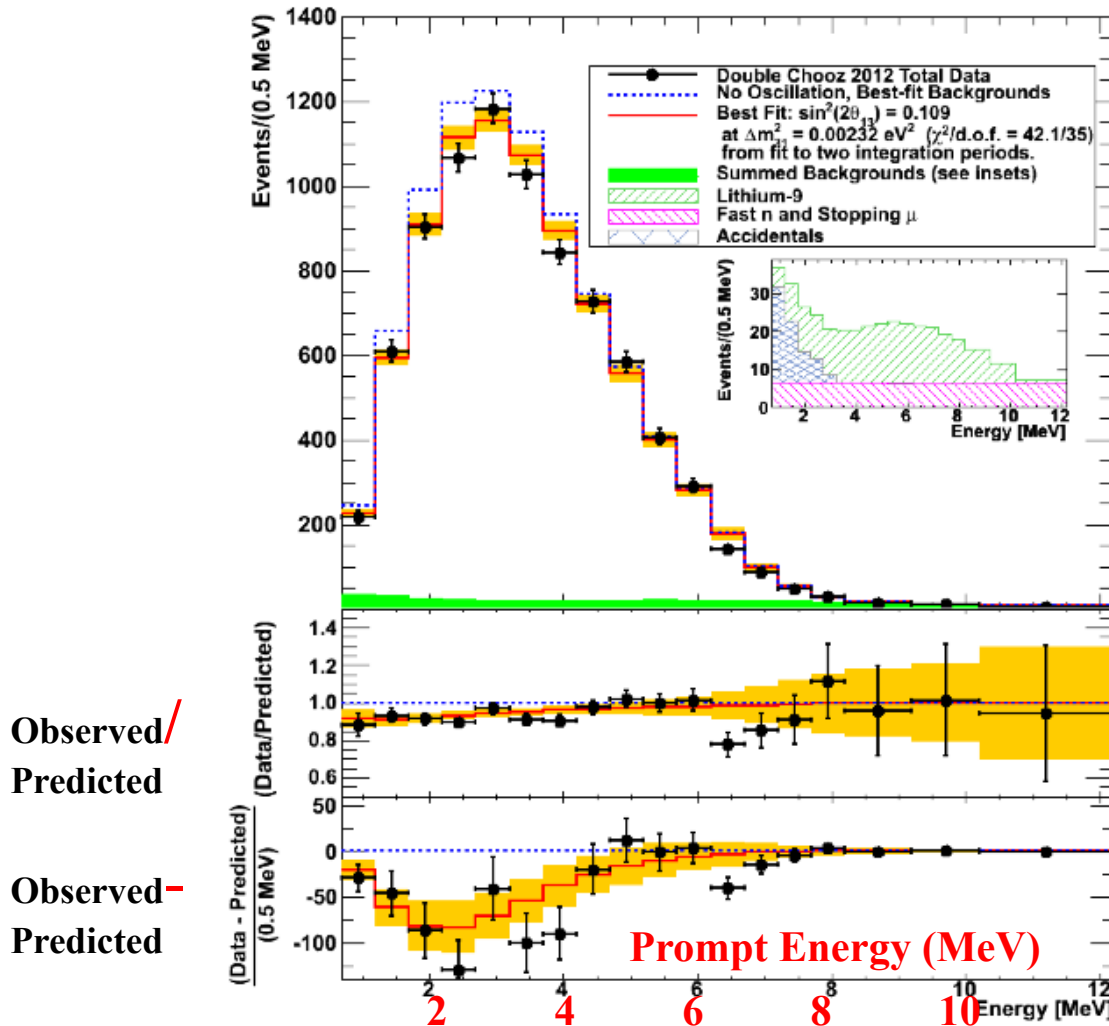
## Results

First published in Big Bang Theory !



# Results

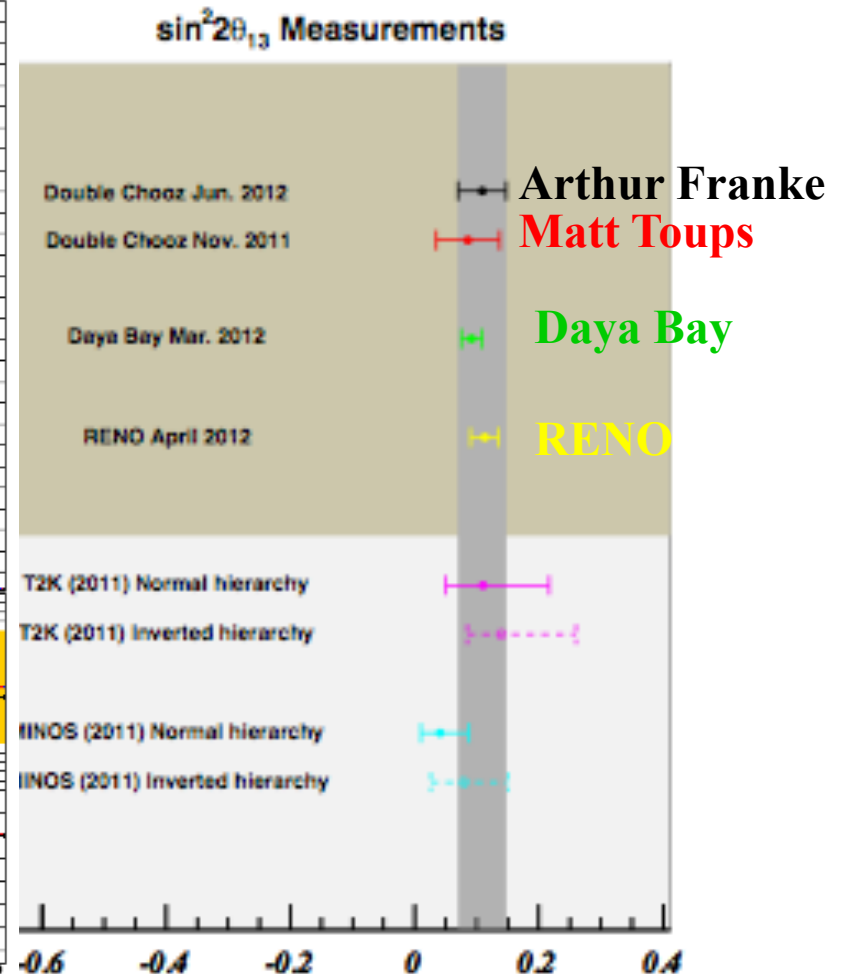
## Fit Rate + energy distribution SHAPE: 18 prompt energy bins



$$\sin^2 2\theta_{13} = 0.109 \pm 0.030 \text{ (stat)} \pm 0.025 \text{ (syst)}$$

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PRL 108, 131801 (2012)

PRD 86, 052008 (2012)

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## Double Chooz Unique Contributions. I.

- RENO and Daya Bay now have more precise results than us on  $\theta_{13}$ .  
Near detectors, more mass, more flux.
- They use ONLY the total event **RATE** to determine  $\theta_{13}$ .
- But.... Double Chooz has:

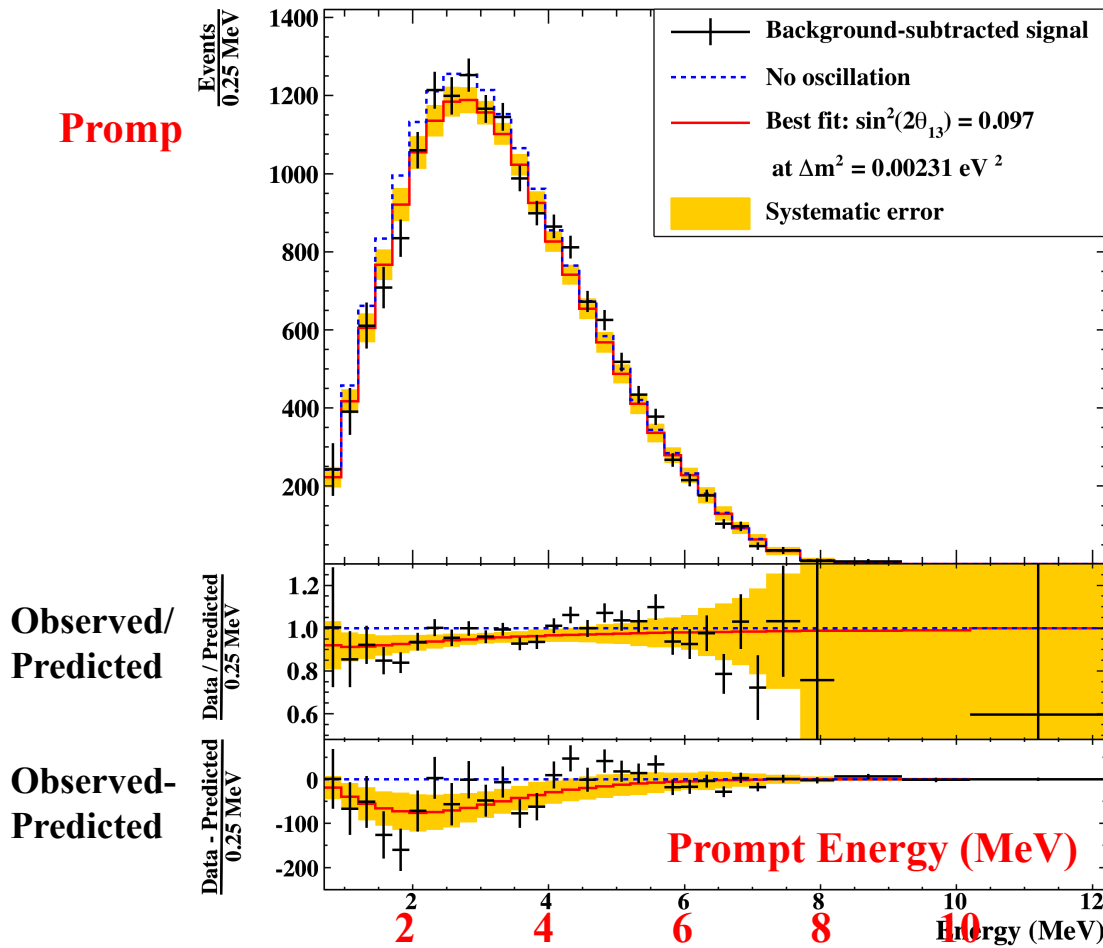
### Energy distribution shape as well as event rate

- Used the event **RATE + SHAPE** of the energy distribution to  
determine  $\theta_{13}$ 
  - ◆ Allows the background to be constrained using event distribution at high energy where little signal is expected.
  - ◆ Allows to confirm that the shape is consistent with the  $\Delta m_{31}^2$  found by MINOS.

# Double Chooz Unique Contributions. II.

## Measured $\theta_{13}$ using the Gamma Catcher Hydrogen as well.

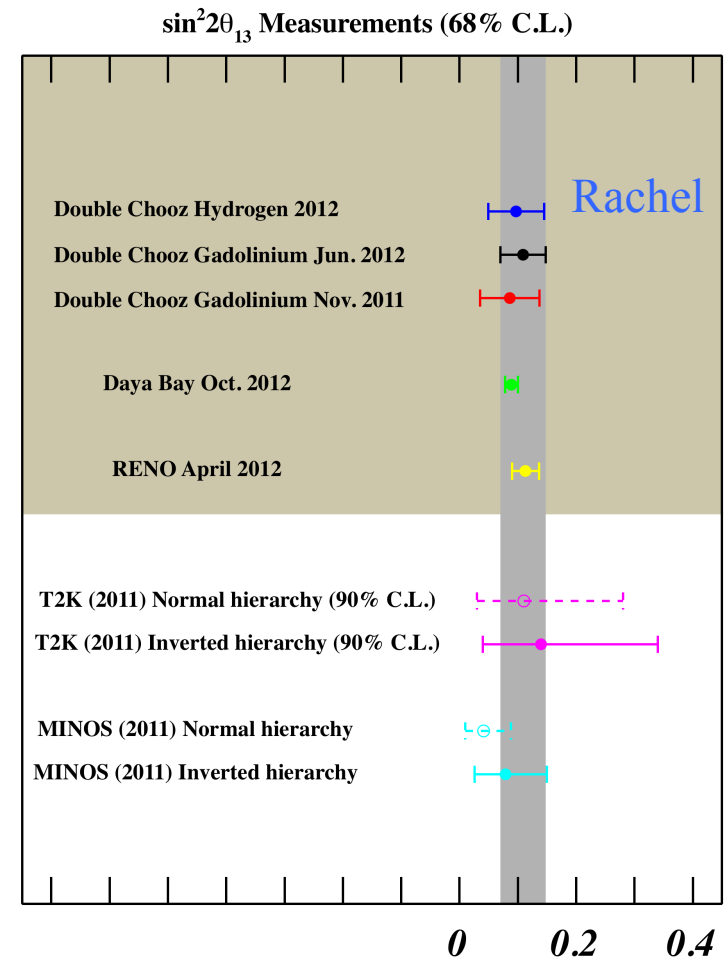
n capture on hydrogen: photon of 2.2 MeV  $\rightarrow$  Delayed energy range: 1.5 to 3 MeV



$$\sin^2 2\theta_{13} = 0.097 \pm 0.034(\text{stat}) \pm 0.034(\text{syst})$$

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Submitted to PRL.

## Double Chooz Specific Contributions. III. Collected data with ALL (2) reactors OFF

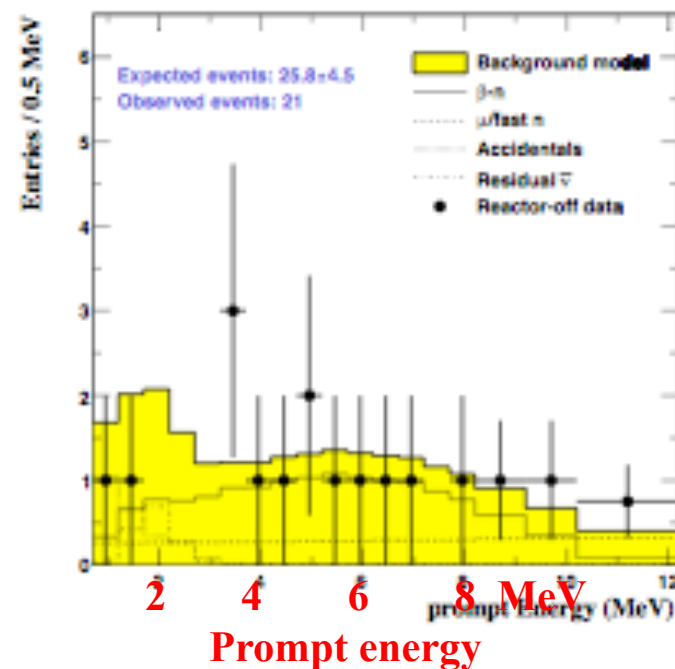
Allows a direct measure of the background.

RENO and Daya Bay use TOO MANY reactors for this to happen ever.

Measured an event rate consistent with estimated background over 8 days.

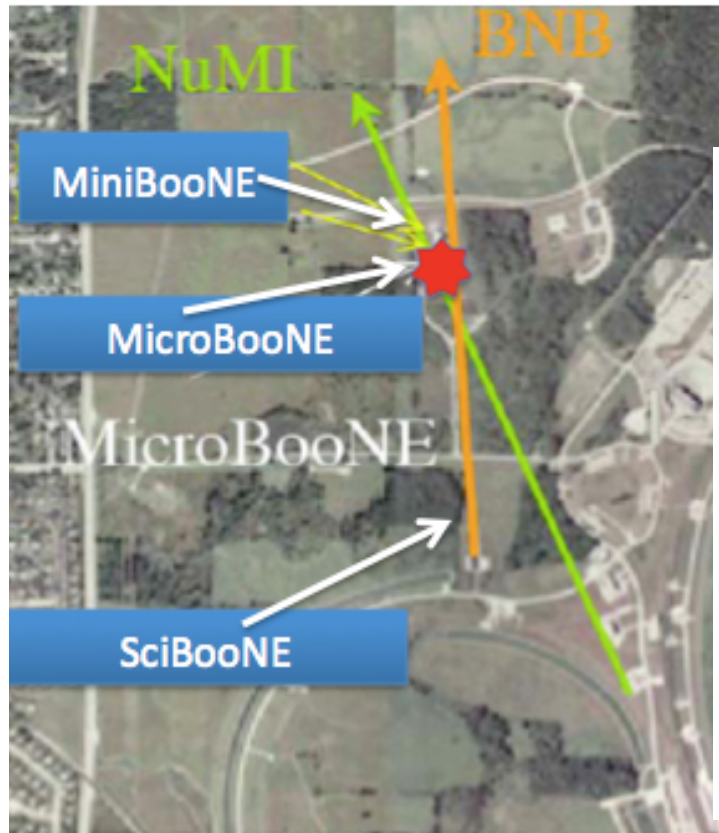


Expected:  $25.8 \pm 4.5$  events  
Observed: 21



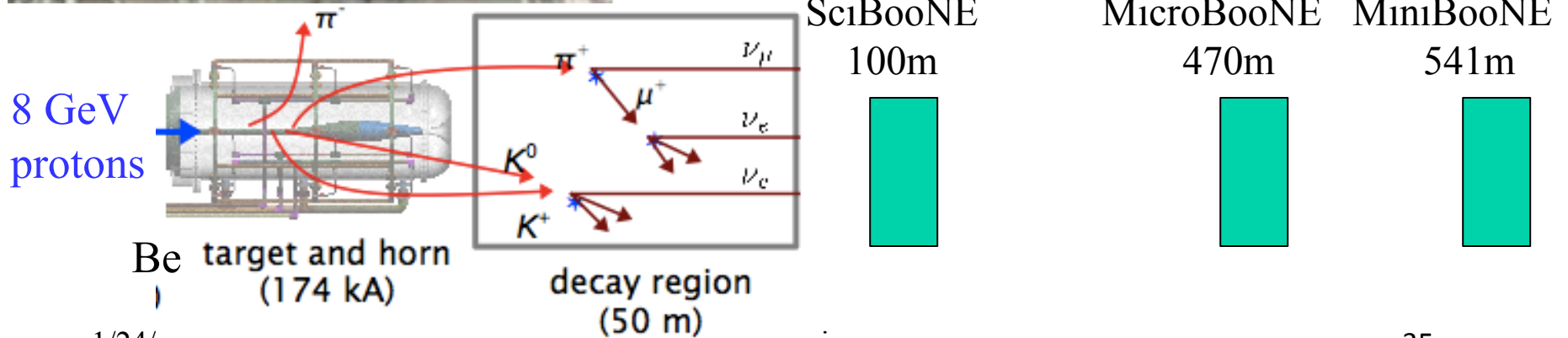
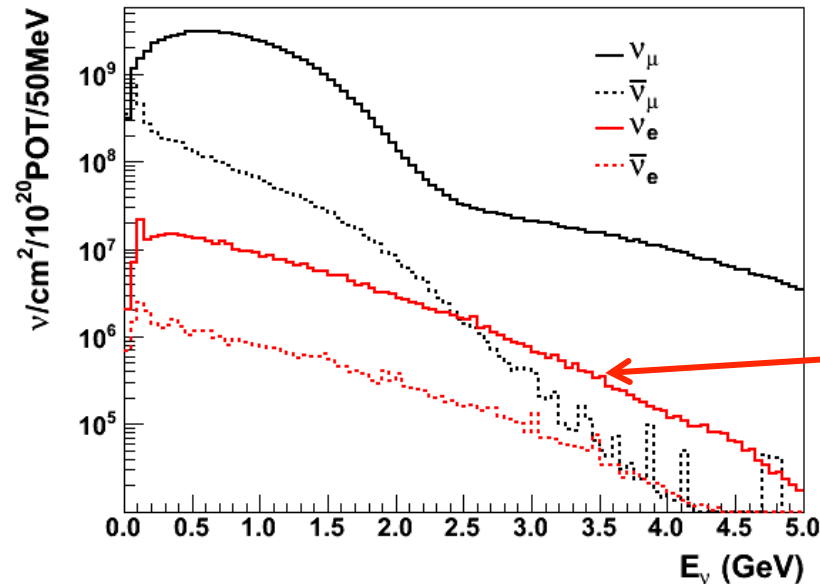
PRD 87, 011102(R) (2013)

# The BooNE Experiments: Sterile $\nu$ 's ?



$\bar{\nu}_\mu$  ( $\nu_\mu$ ) beam. Look for Appearance of  $\nu_e$ 's ( $\bar{\nu}_e$ 's)

**Similar** L/E as LSND 30m/40MeV  $\sim$  541m/600MeV



1/24/2015

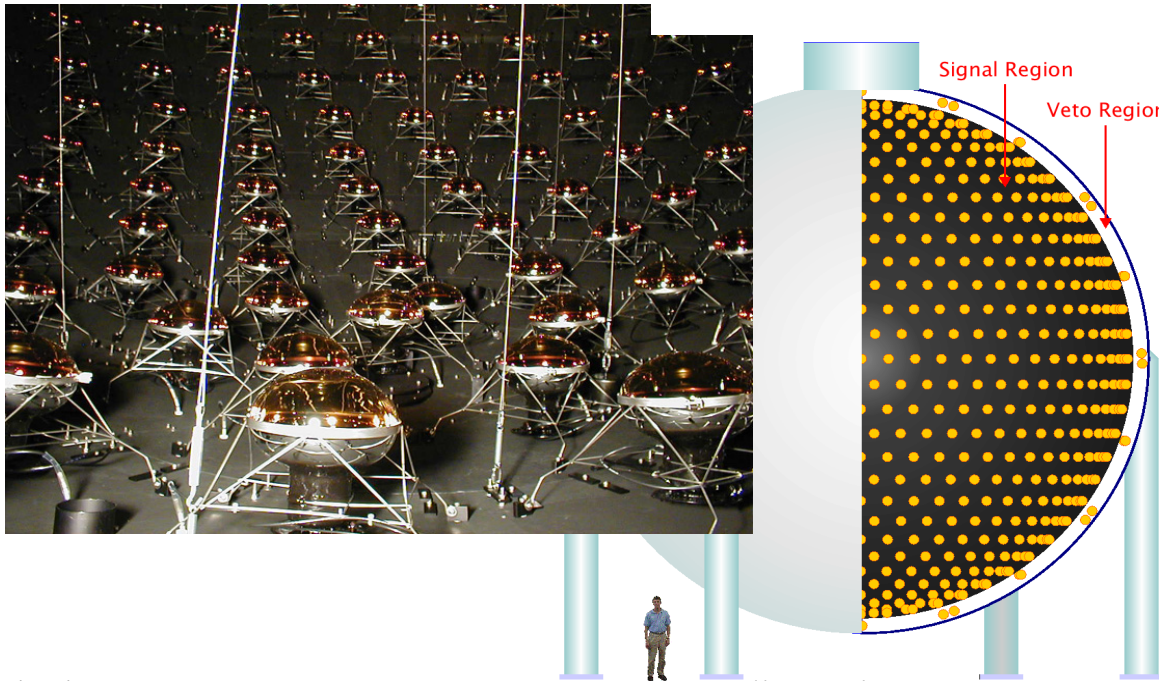
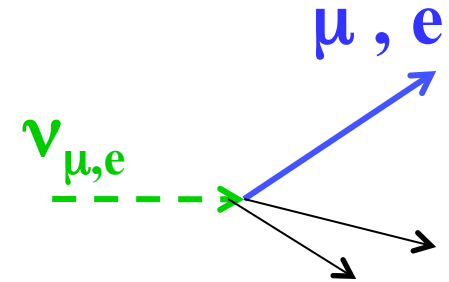
LESLIE NEVIS

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# MiniBooNE: Check LSND

- 12m diameter tank
- Filled with 900 tons of pure mineral oil
- Optically isolated inner region with 1280 PMTs on the sphere inner wall.
- Detector Requirements:
  - Separate  $\nu_\mu (\rightarrow \mu)$  events from  $\nu_e (\rightarrow e)$  events
  - using Cerenkov Ring Technique

## Charged Current Interaction

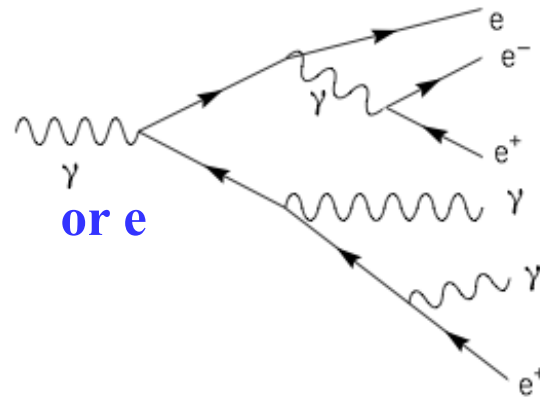
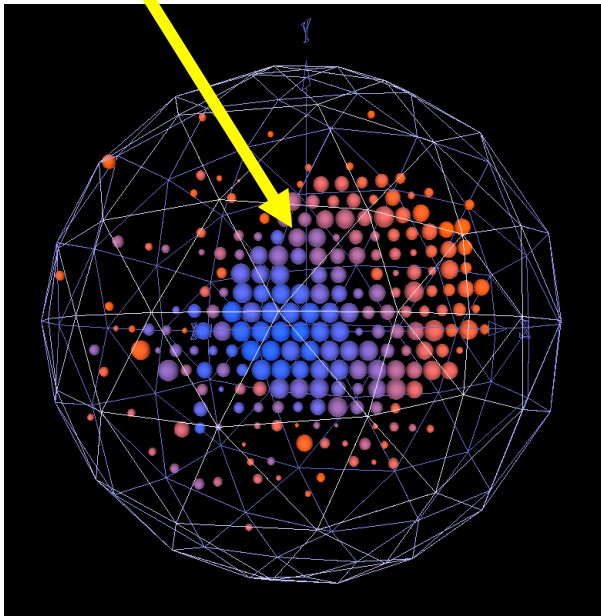


**Detector Publication:**  
NIM A599, 28 (2009)

# $\mu/e$ identification

$$\nu_{\mu} X \rightarrow \mu + \dots$$

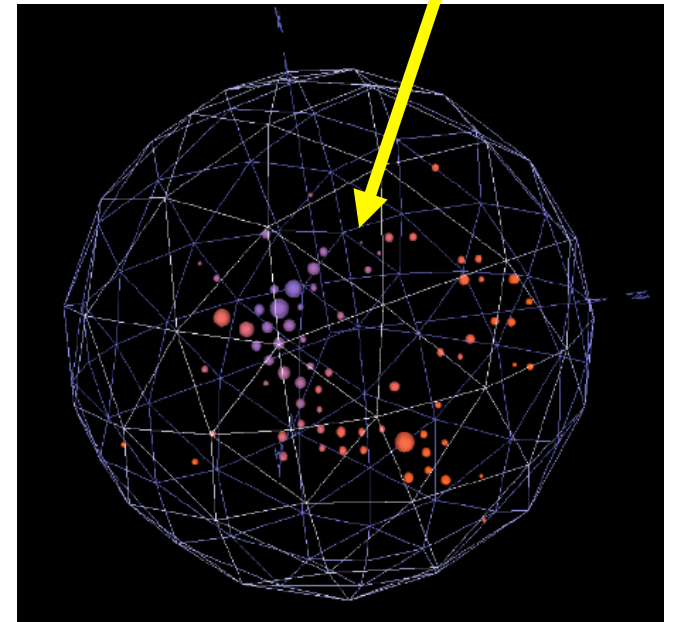
$\mu$ : Long track  
Reaches pmt array  
emitting Cerenkov light  
Filled –in ring: **disk**



$\gamma$  will look the same as  
an electron

$$\nu_e X \rightarrow e + \dots$$

$e$ : Showers  $\rightarrow$  several  $e^-$ ,  $e^+$   
Each one short track  
Will not reach pmt array  
Rings are not filled-in  
Many of them  $\rightarrow$  **Fuzzy.**



Can distinguish  $\mu$ 's from **electrons** and therefore  $\nu_{\mu}$  from  $\nu_e$   
But **NOT** very good at distinguishing an **electron** from a converting  $\gamma$  to  $e^+e^-$

# $\nu_\mu \rightarrow \nu_e$ and $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$ Appearance Searches in LSND Region

- Method: Search for an excess of “ $\nu_e$ ” events over expectation

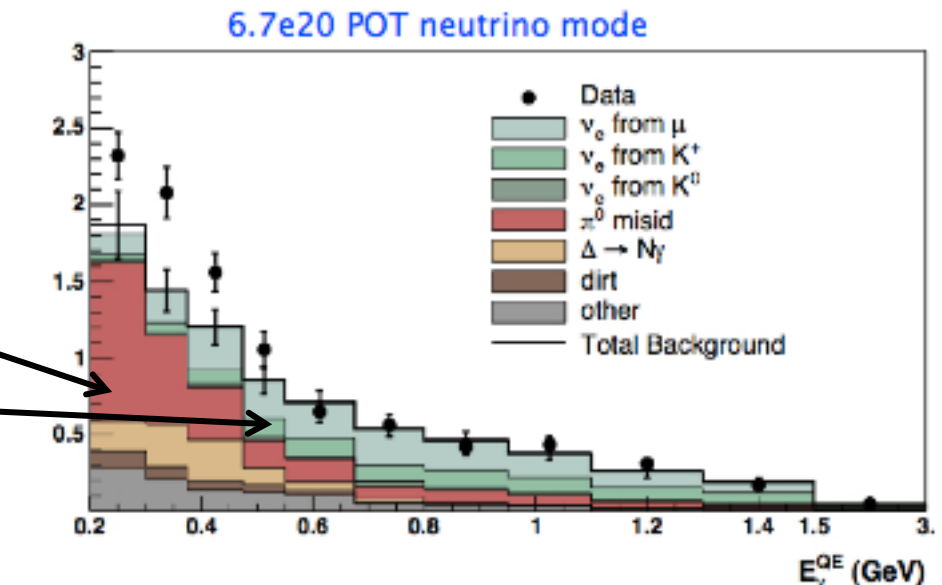
⇒ **Knowing expectation is key**

◆  $\gamma$  from  $\pi^0 \rightarrow \gamma\gamma$  in a NC interaction

Miss one  $\gamma$

◆  $e$  from CC  $\nu_e$ 's intrinsically in beam:

Expect LSND “effect” to extend to 0.8 GeV



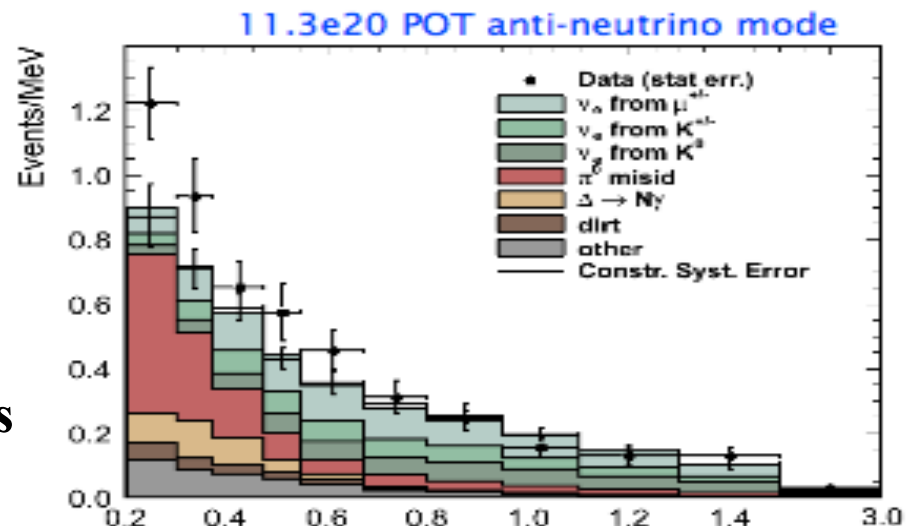
It does in  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$   
But no strong evidence for excess in  $\nu_\mu \rightarrow \nu_e$

But an Excess at lower energy!

What is it due to? Electrons or Photons?

Oscillations

Unexpected  $\gamma$ 's



Third Nevis contribution: MicroBooNE

1/24/2013

Leslie Nevis  
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# SciBooNE and MiniBooNE

## Constraining $\bar{\nu}_\mu$ disappearance. Gary Cheng

If energy spectrum distortion is due to  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$  oscillation via a sterile  $\bar{\nu}_s$

Then two-step process:

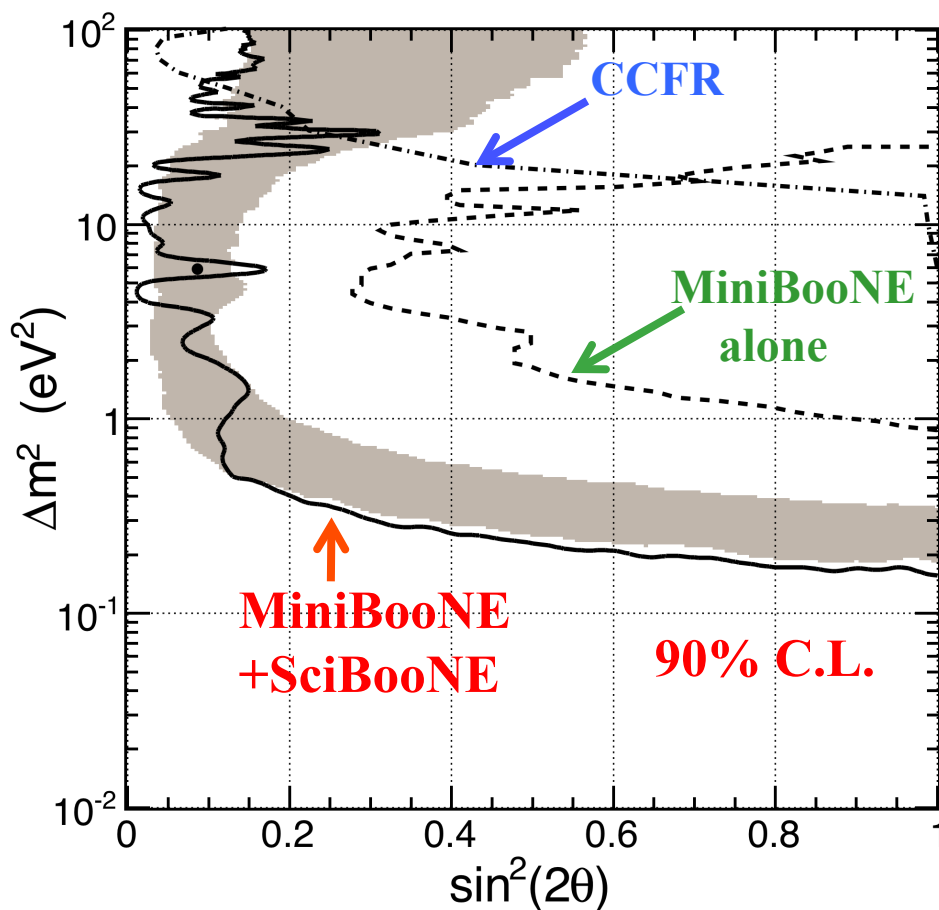
$$\bar{\nu}_\mu \rightarrow \bar{\nu}_s$$

Followed by

$$\bar{\nu}_s \rightarrow \bar{\nu}_e$$

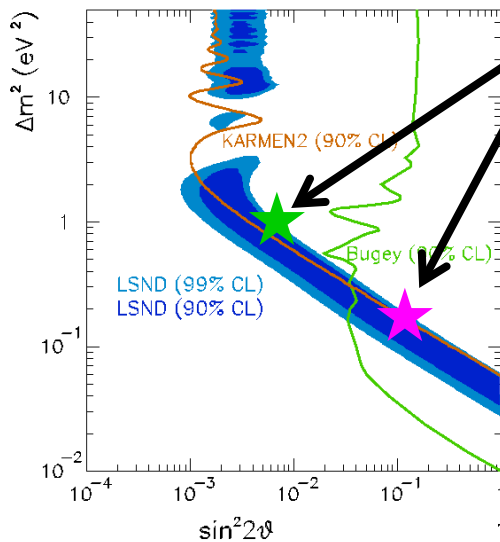
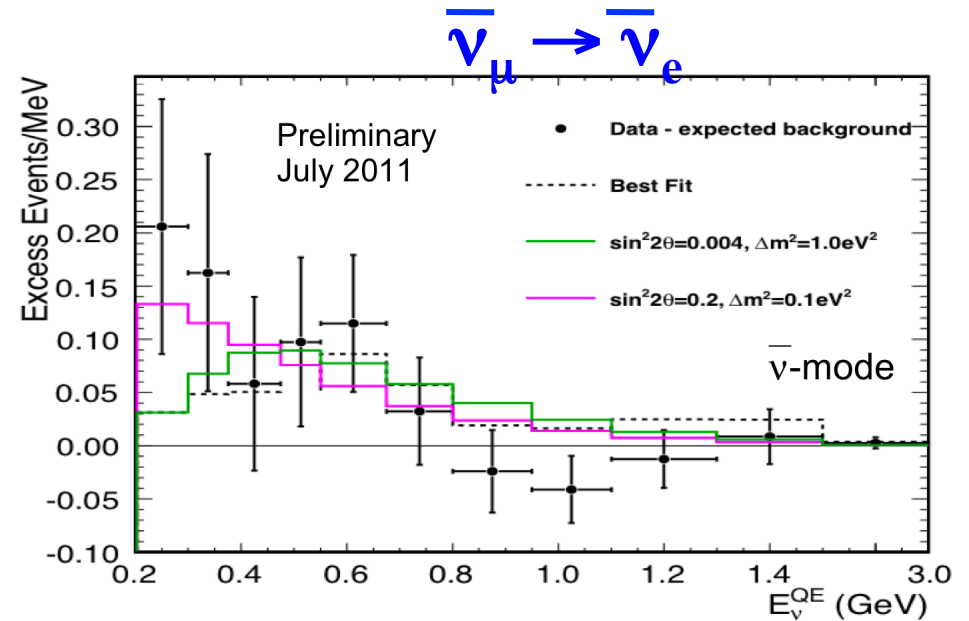
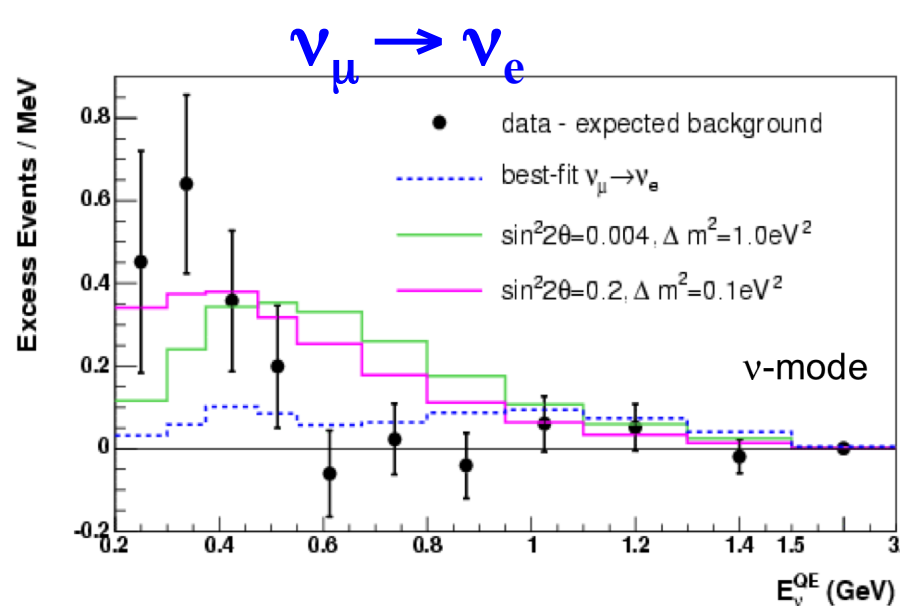
But then must have  
Significant  $\bar{\nu}_\mu$  disappearance

Using SciBooNE (100m)  
and MiniBooNE (470m)  
compare  $\bar{\nu}_\mu$  fluxes  
through muon events.  
Disappearance **NOT** seen.



Big improvement  
In Exclusion region  
Constrains the mixing angle  
And mass of a sterile neutrino

# MiniBooNE compatibility with LSND



- In  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$  Good compatibility.
- But NOT in  $\nu_\mu \rightarrow \nu_e$ . No signal above 0.5 GeV.
- Why not?
- More complicated neutrino schemes: 2 or 3 sterile ?

Is excess really electrons? Or could it be photons?

→ MicroBooNE.

# MicroBooNE

- Similar L/E as LSND
- 30m/40MeV  $\sim$  471m/600MeV
- $\rightarrow$  Same oscillation Prob  $\rightarrow \nu_e$
- Same beam and L/E as MiniBooNE
- $\rightarrow$  Low energy Excess
- **Different systematics**
  - Event signatures
  - Backgrounds

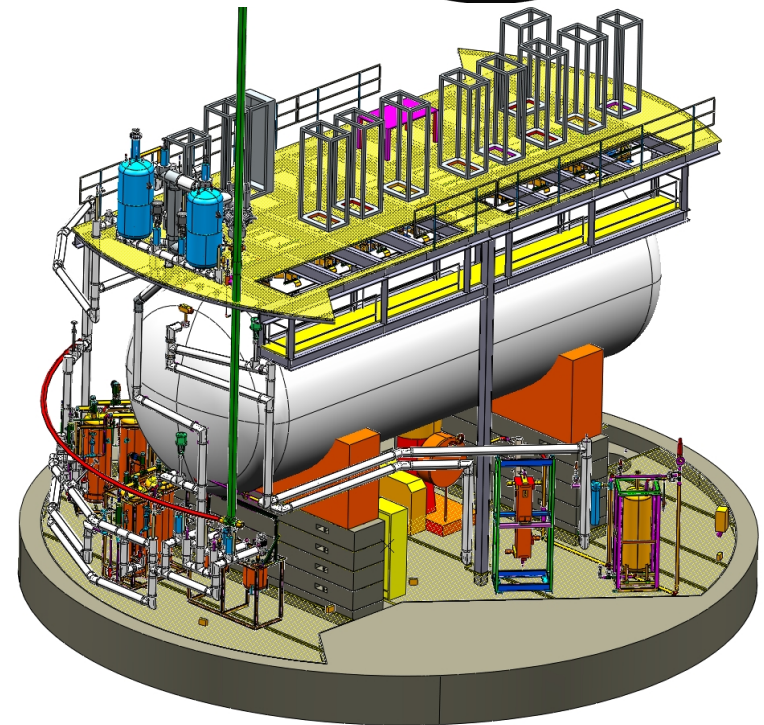
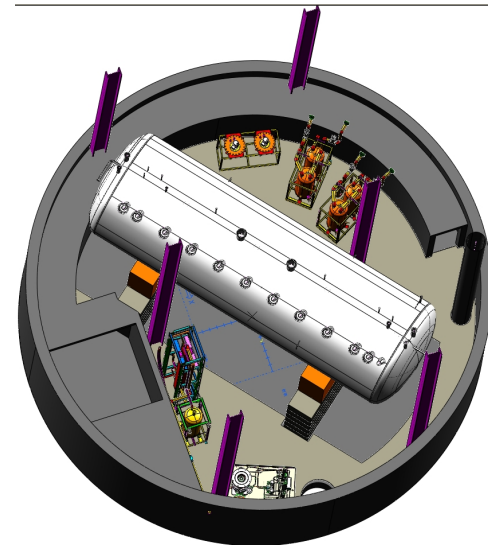
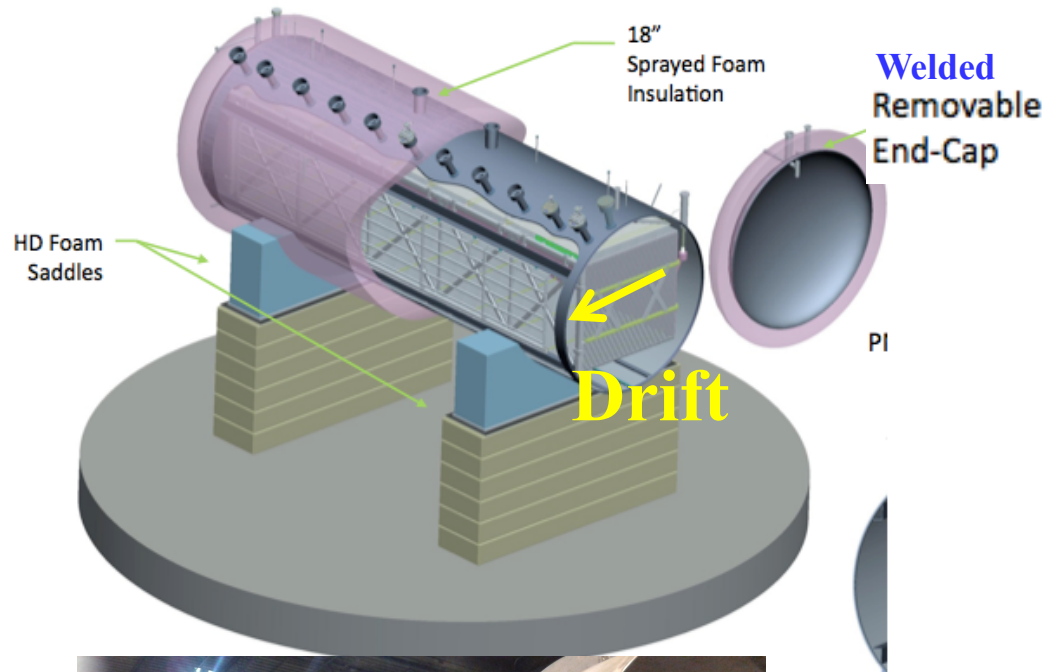
Time Projection Chamber (TPC):  
Immersed in 100 tons of LAr  
(60 tons FV)  
in insulated cryostat  
30 PMT's



1/24/2013

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# Detector description

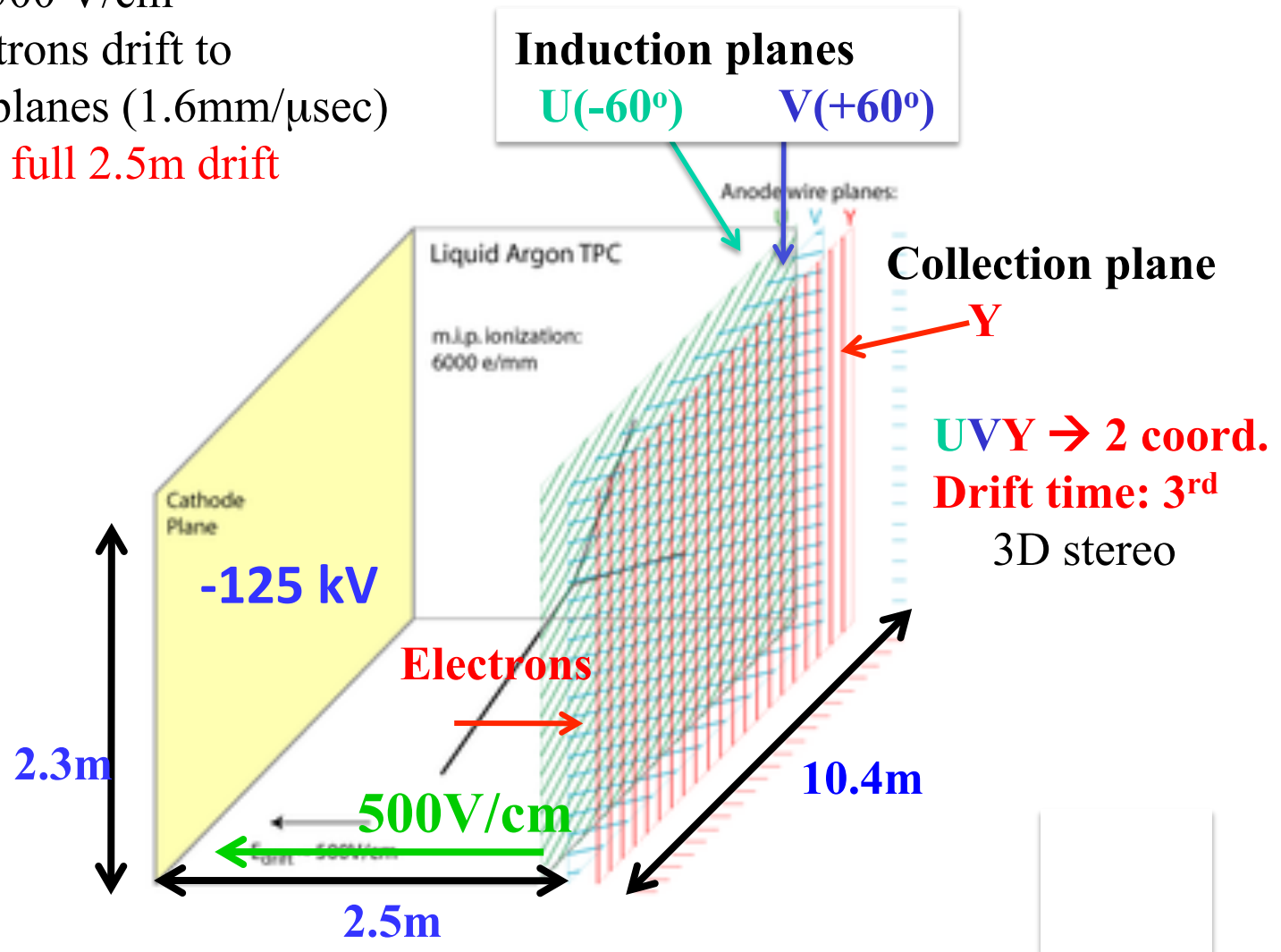


1/24/2013

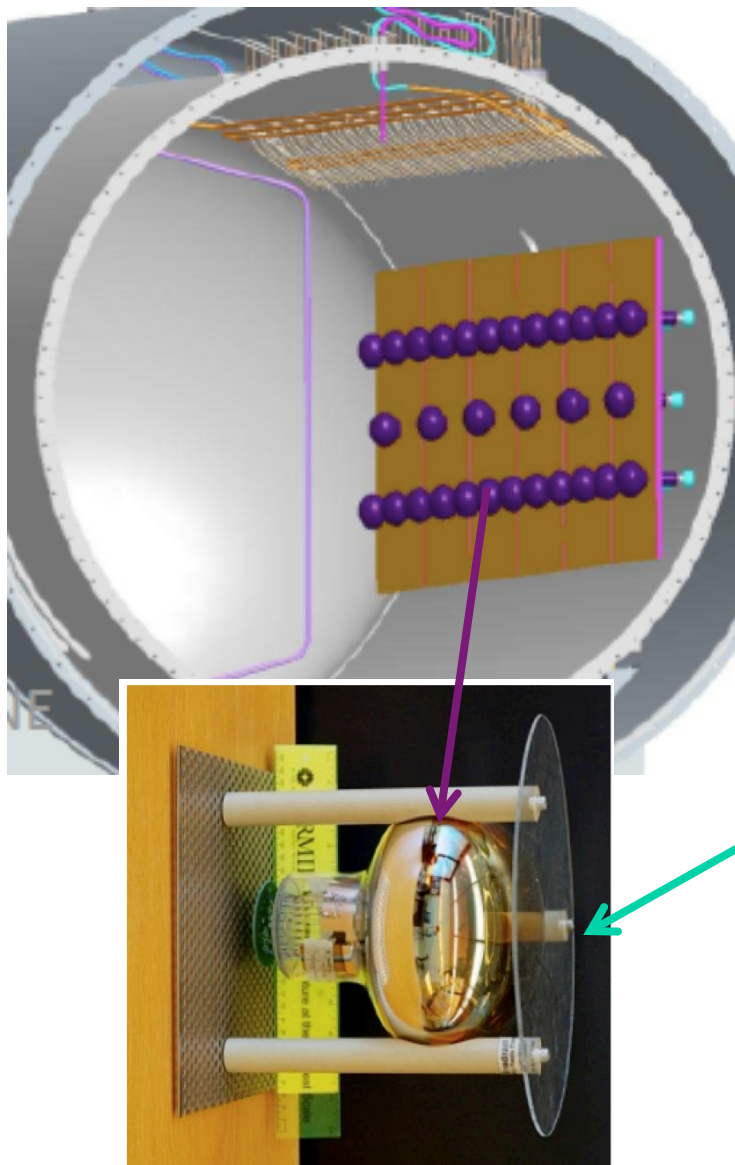
Leslie Nevis

# MicroBooNE TPC

- Electric field: 500 V/cm
- Ionization electrons drift to  
3 recording planes (1.6mm/μsec)  
1.6 msec full 2.5m drift



# MicroBooNE Photodetectors



LAr scintillates in the UV at 128nm:

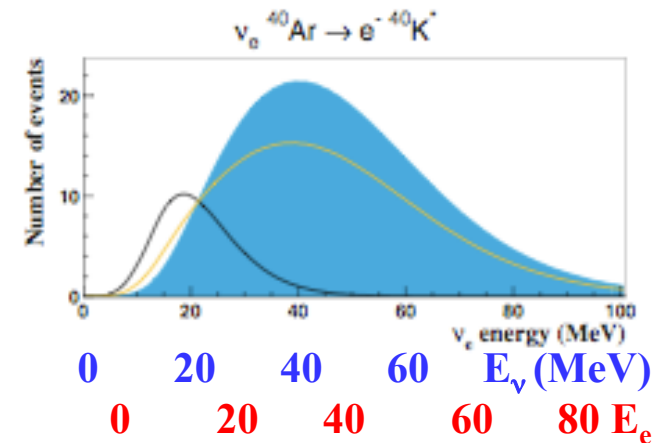
Use it

- To determine time of event
  - To trigger on events in time with beam
- 
- 30 Hamamatsu R5912-02 14 stage 8 inch pmt's.
  - Located behind collection plane
  - Plate coated with **Tetraphenyl-butadiene** (TPB) to shift UV light to visible in front of each pmt.

## Other Physics Motivations

- Measure Quasi-elastic and particle production cross sections on Argon nucleus, with High Statistics, High spatial resolution
- Observe SuperNova neutrino interactions

For a Galactic SN expect 10-20 absorption events



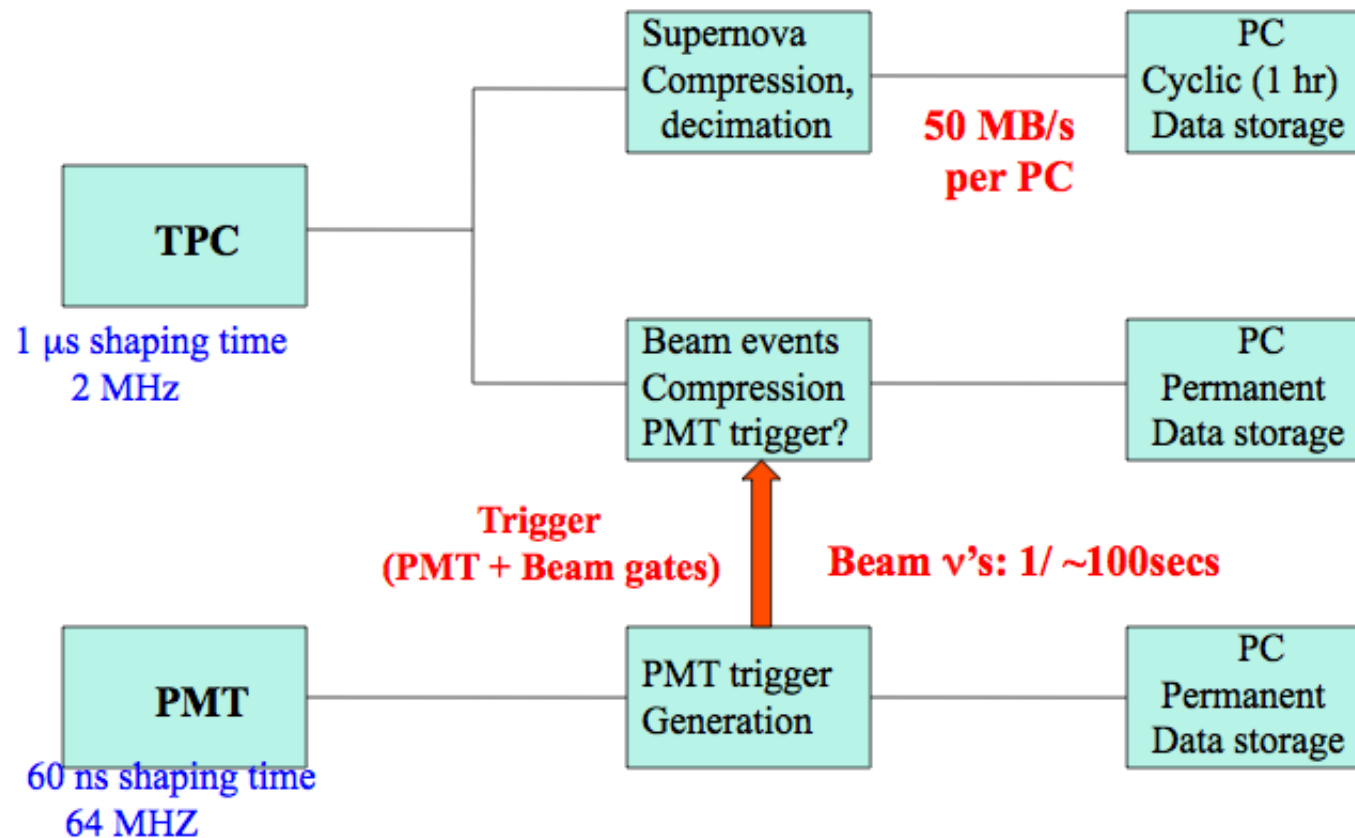
I. Gil-Botella and A. Rubbia JCAP 10(2003)009

## Technical R&D

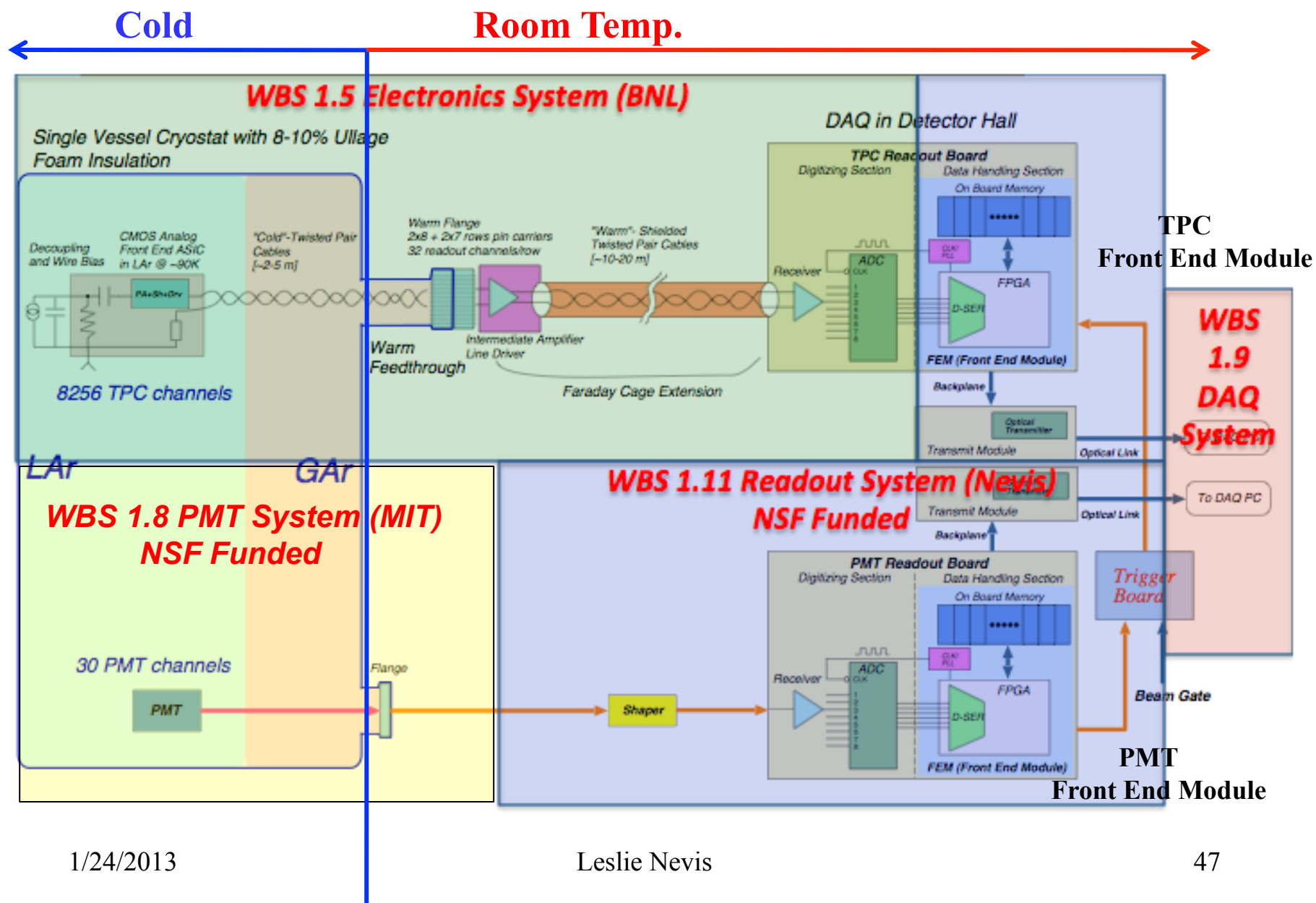
- Argon fill **without** first evacuation. (Evacuation capability exists)
- **Long** Drift spaces (2.5m up from 1.5m).
- **Cold** Front end electronics (up to and including shaper) in Liquid Argon

## Continuous readout for SN: TPC data read by 9 PC's each covering ~ 1.1 m along the beam

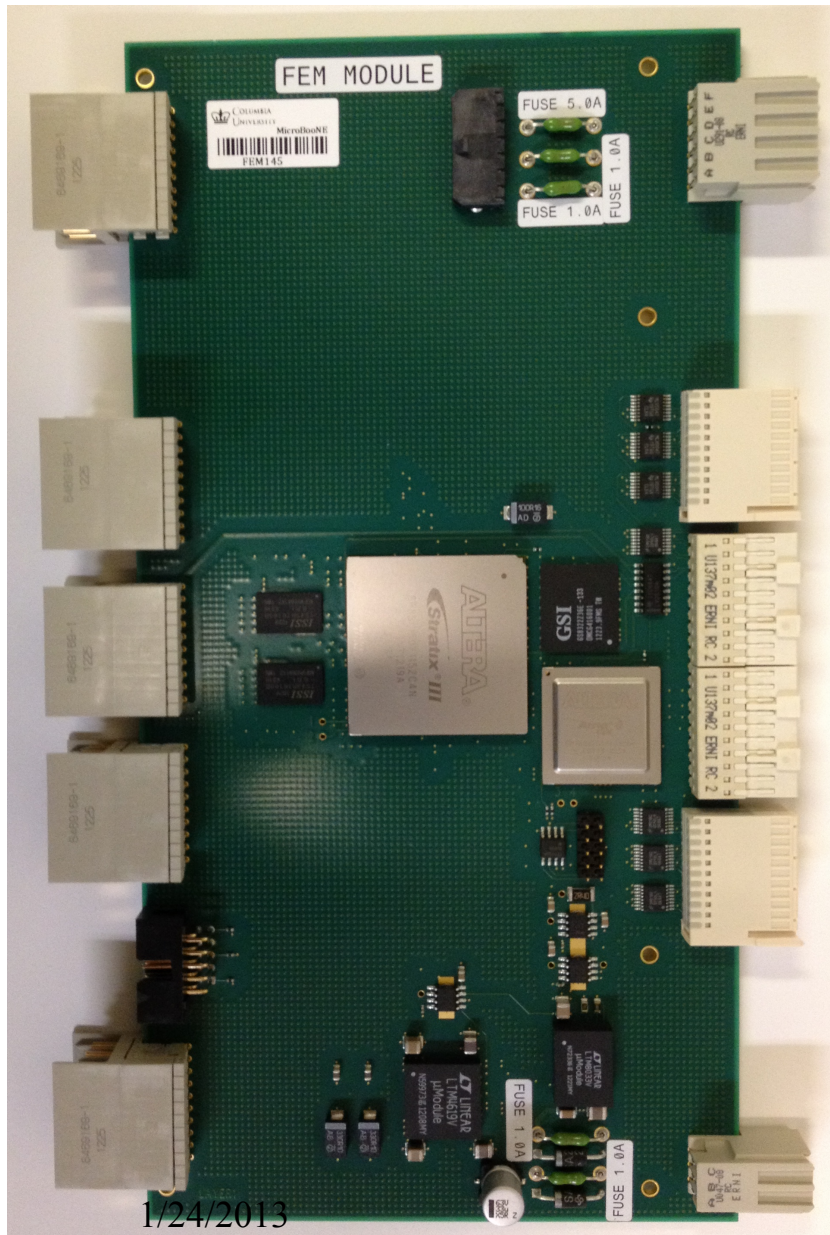
- Beam  $\nu$ : Trigger on Beam Gate + PMT signal
- SuperNova  $\nu$ : Continuously store the last hour of data in cyclic buffer.  
Permanent storage of relevant time span if SuperNova alert from SNEWS network



# MicroBooNE Electronics



# FEM Layout

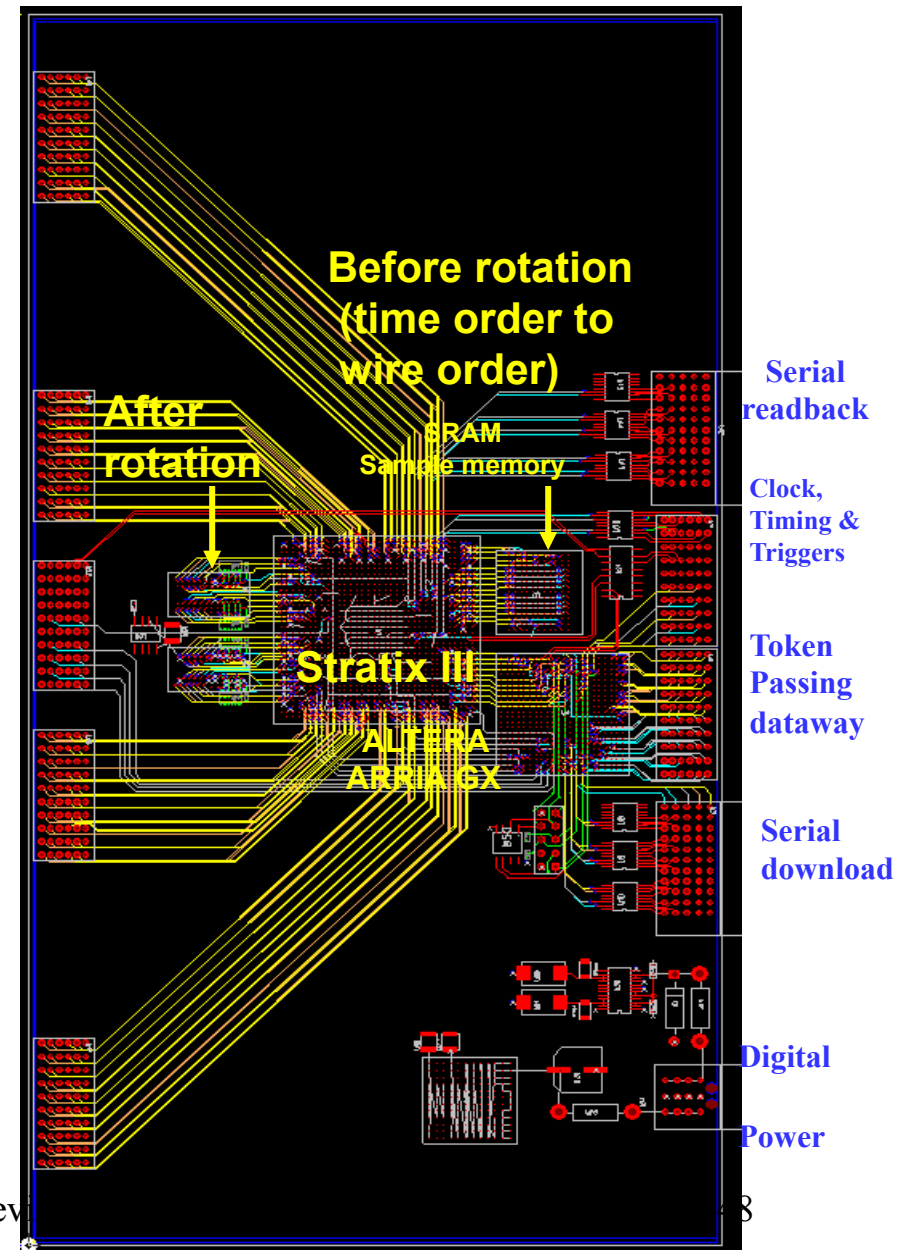


ADC  
Data

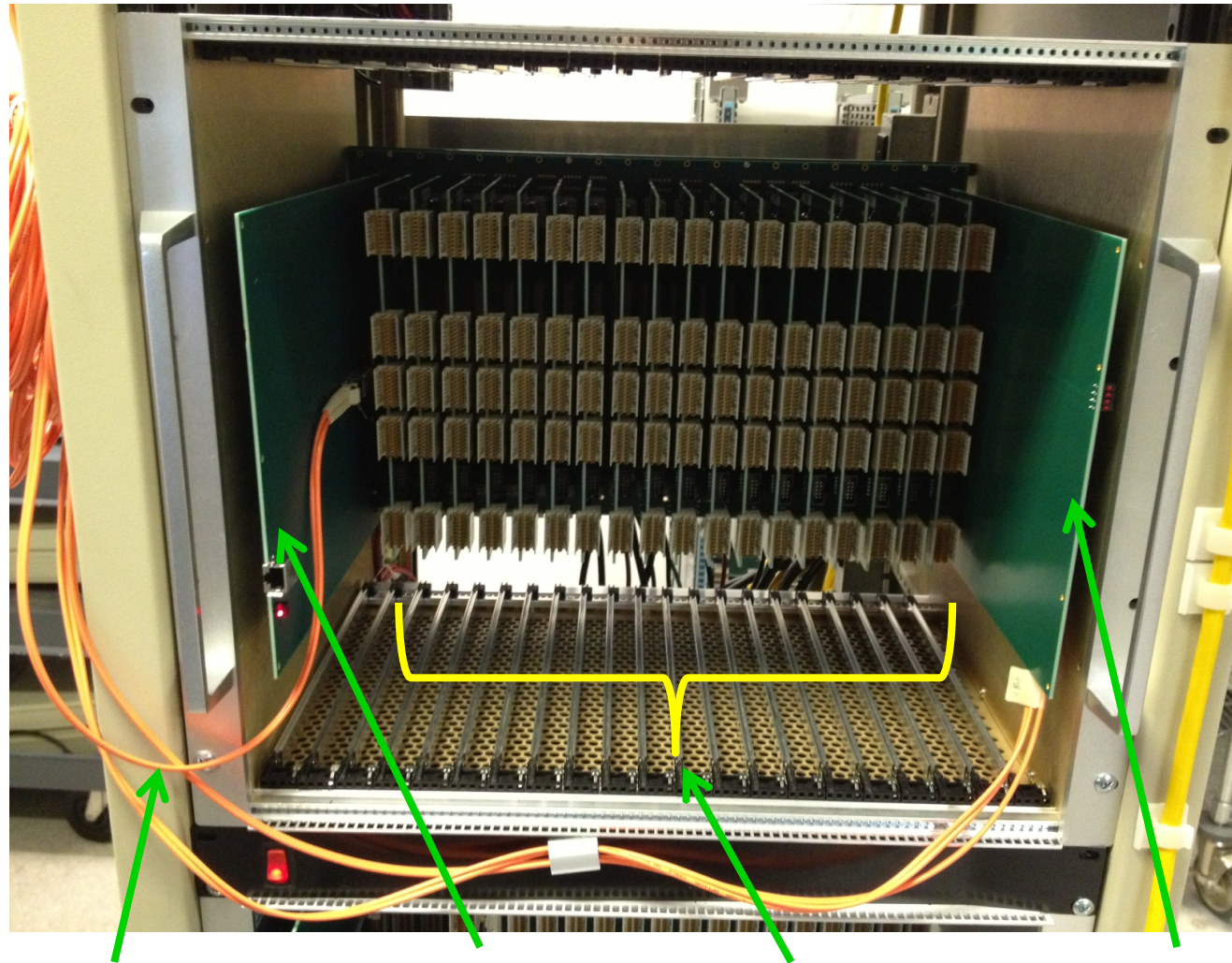
ADC  
Clock,  
Serial  
data

ADC  
Data

Leslie Nev



## Nevis boards



- Crate backplane
- Front End Module (TPC and PMT)
- Crate Controller
- Transmit module
- Trigger module
- PMT shaper
- PMT ADC
- PCIe (PC communication)

Optical links  
to PC

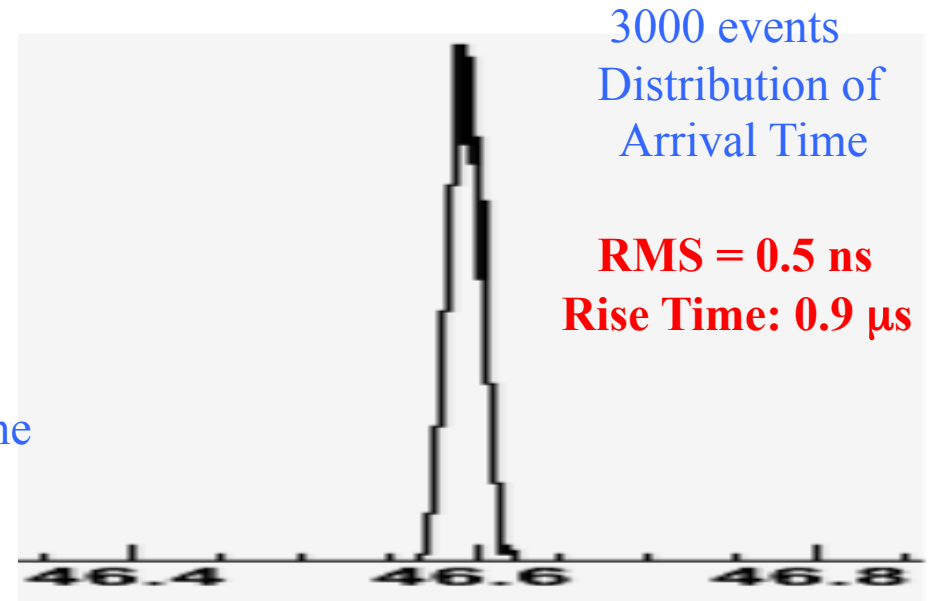
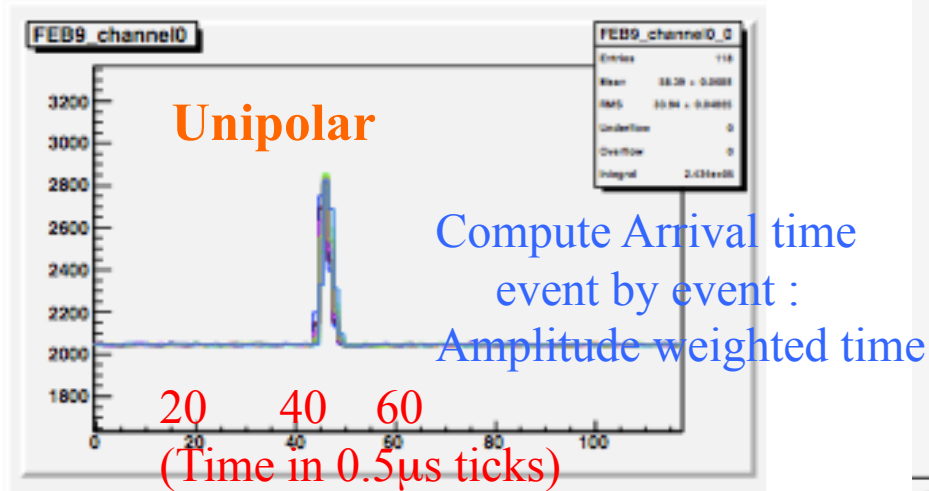
Crate  
Controller

18 FEM's

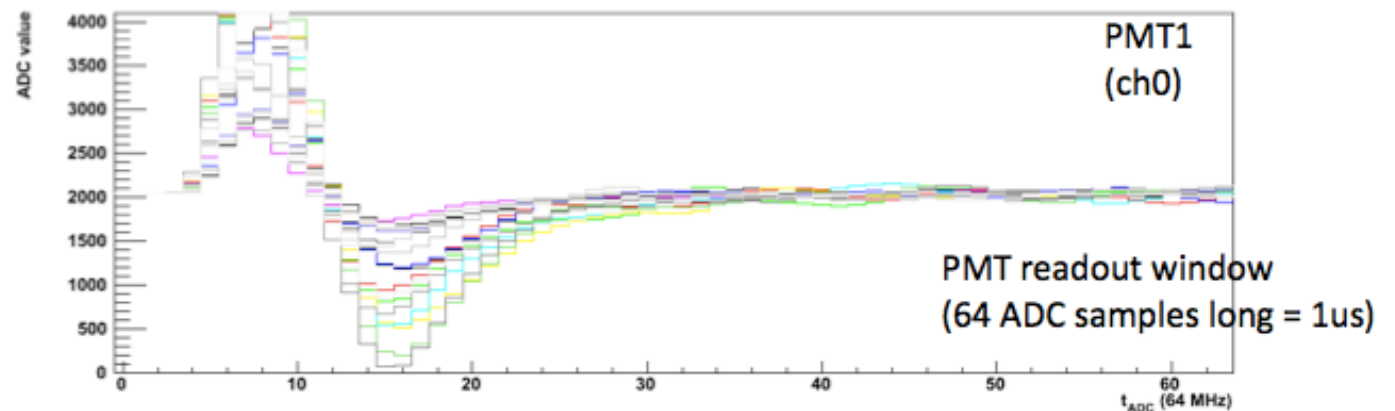
XMIT  
Transmit Module

# Trigger and Readout Tests

**TPC** CALIBRATION pulses readout through TPC readout chain  
Triggered by External calibration pulse.

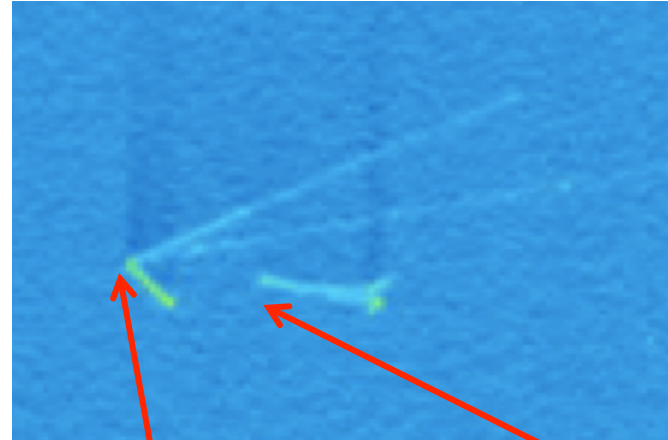
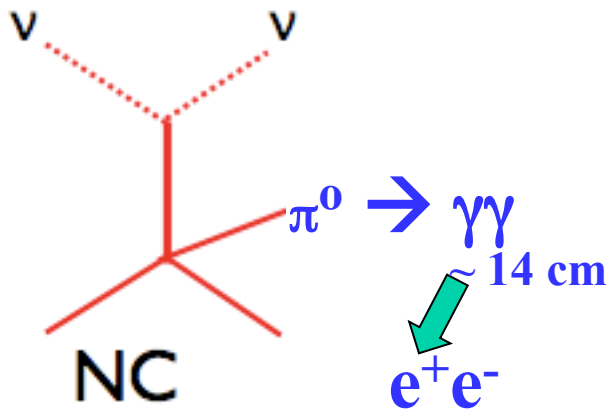
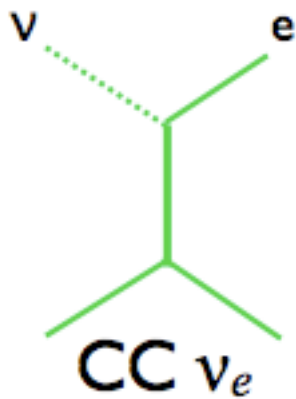


Readout of cosmic rays  
**PMT** pulses  
through whole  
PMT readout chain  
Triggered by PMT  
Trigger algorithm in  
PMT readout board.

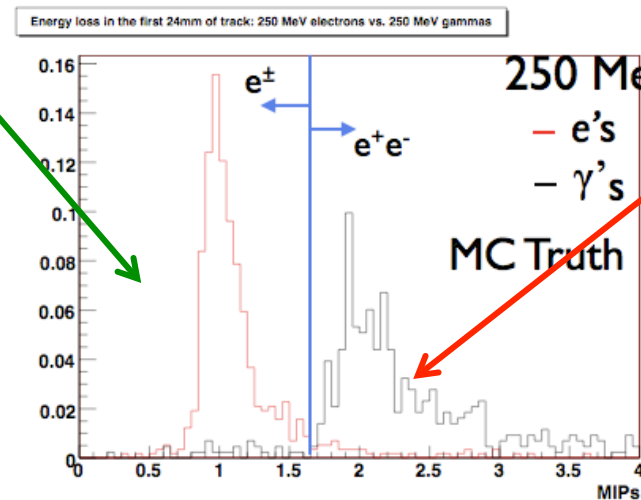


# Distinguishing Electrons from Photons.

**Electron** : Connected to  
primary vertex  
And singly ionizing track



**Photon**: Gap between primary vertex and conversion point  
and doubly ionizing track

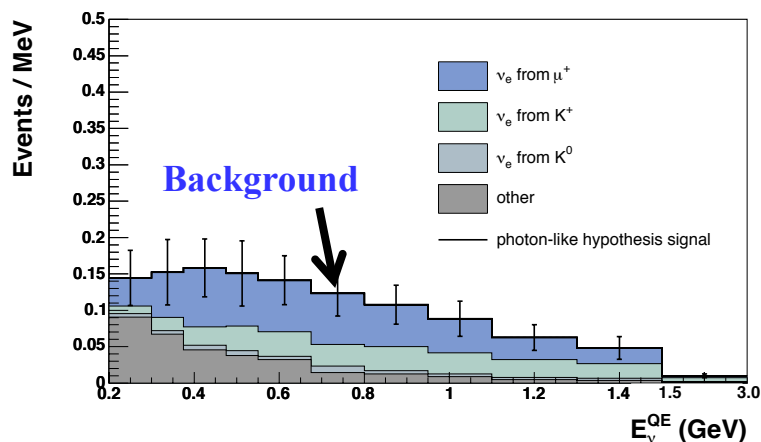


dE/dx for electrons and gammas in  
first 2.4 cm of track

# If Excess due to Electrons.

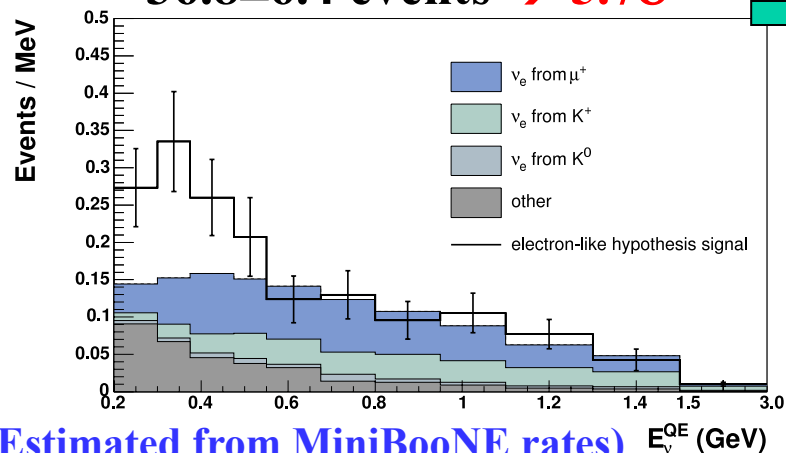
## Cuts to Select Electrons, Reject $\gamma$ 's

Excess **NOT** due to electrons



Excess **IS** due to electrons

$36.8 \pm 6.4$  events  $\rightarrow 5.7\sigma$



(Estimated from MiniBooNE rates)

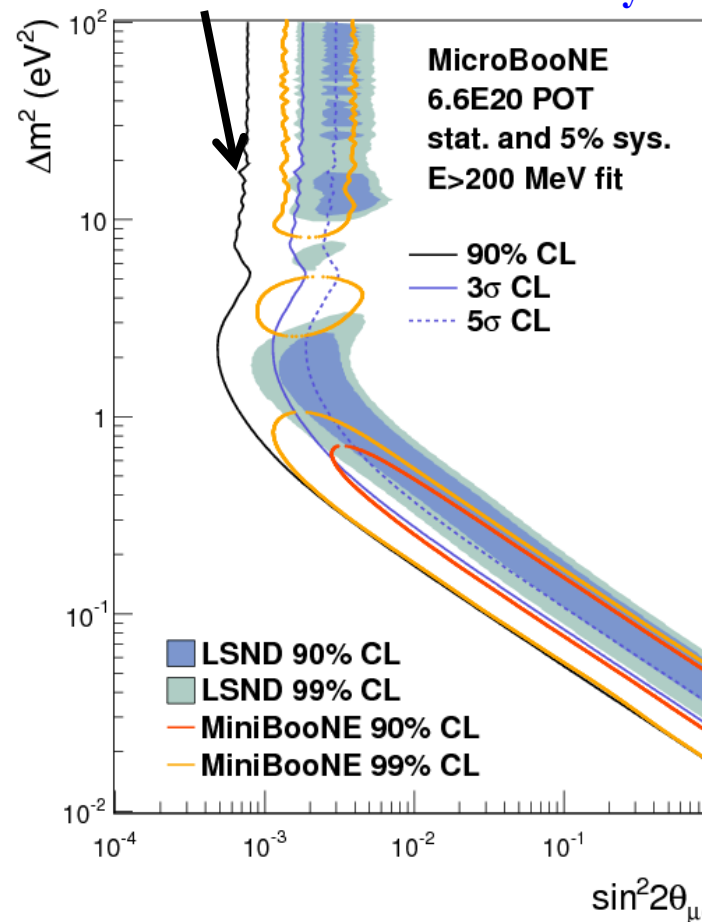
1/24/2013

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◆ If there is any electron excess

In the context of  $\nu_\mu \rightarrow \nu_s \rightarrow \nu_e$  oscillations  
(3+1 oscillations)

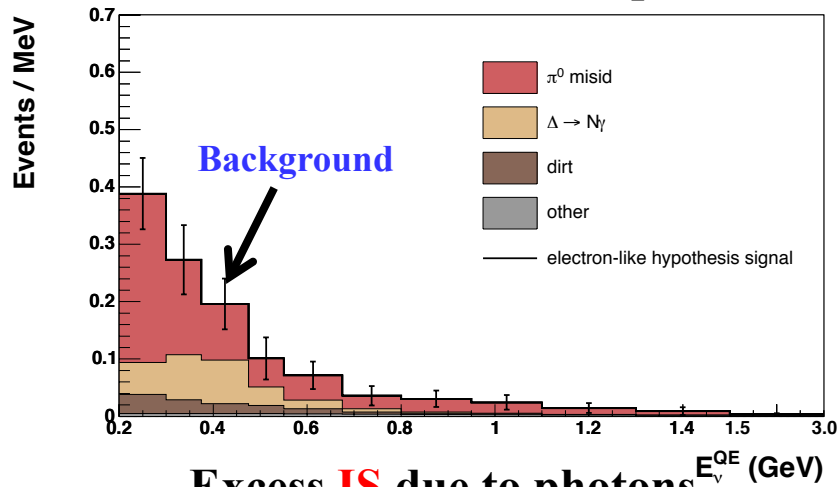
MicroBooNE 90% CL Sensitivity



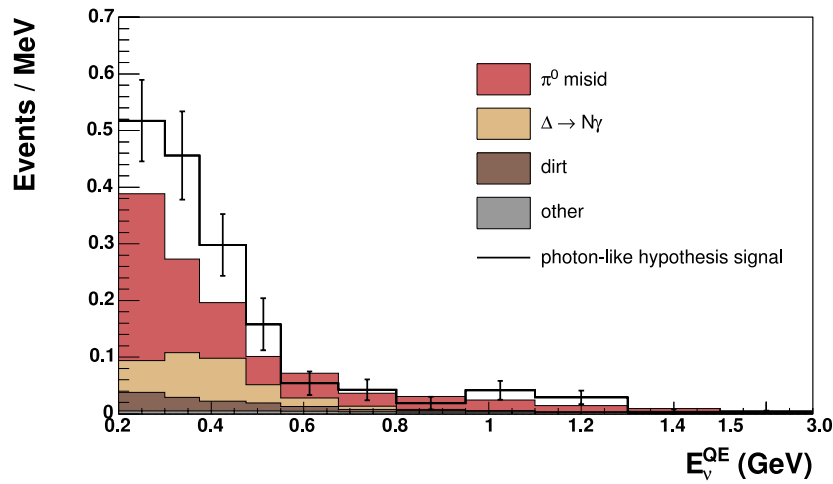
# If Excess due to Photons.

## Cuts to Select Photons, Reject e's

Excess is **NOT** due to photons



Excess **IS** due to photons  
 $36.8 \pm 8.9$  events  $\rightarrow 4.1\sigma$



(Estimated from MiniBooNE rates)

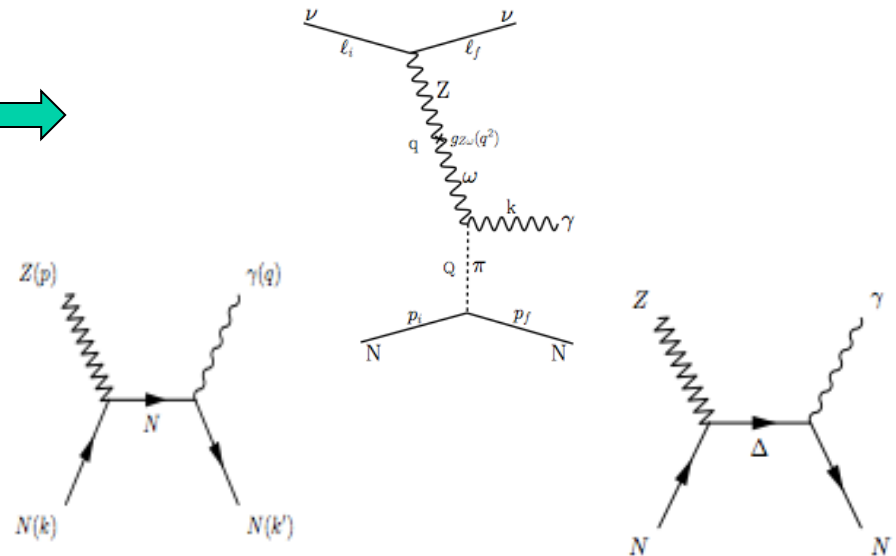
1/24/2013

◆ Background:  $\gamma$  or  $\pi^0$   
 OR

◆ Radiative  $\nu$  interaction

Examples:

- ◆ R. Hill arXiv: 0905.0291
- ◆ Jenkins et al arXiv:0906.0984
- ◆ Serot et al arXiv: 1011.5913



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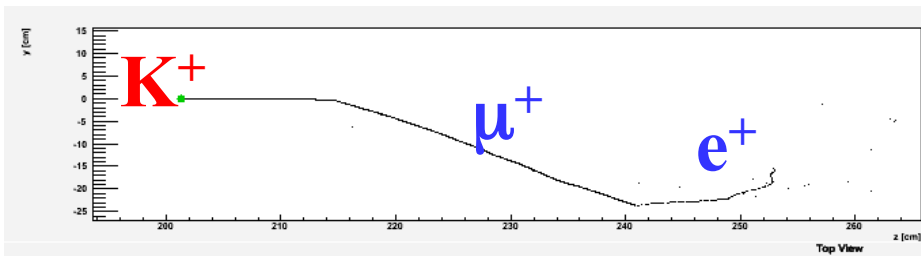
# “Physics” R&D Motivations

MicroBooNE is a **test-bench** for a future large LAr (40ktons) detector (LBNE) that will study Neutrino oscillations.

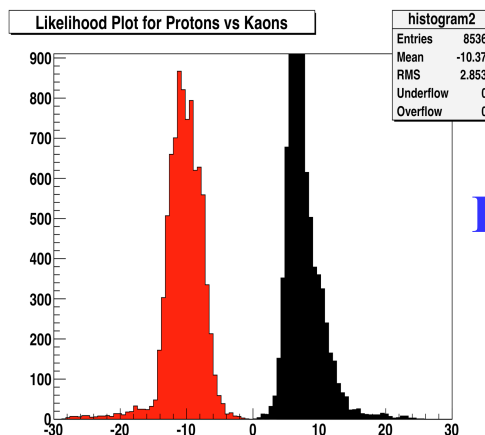
LAr is also good to study Proton decay in particular  $p \rightarrow K^+ \bar{\nu}_\mu$

(K+ below Cerenkov threshold in water detectors)

We can study the backgrounds in MicroBooNE

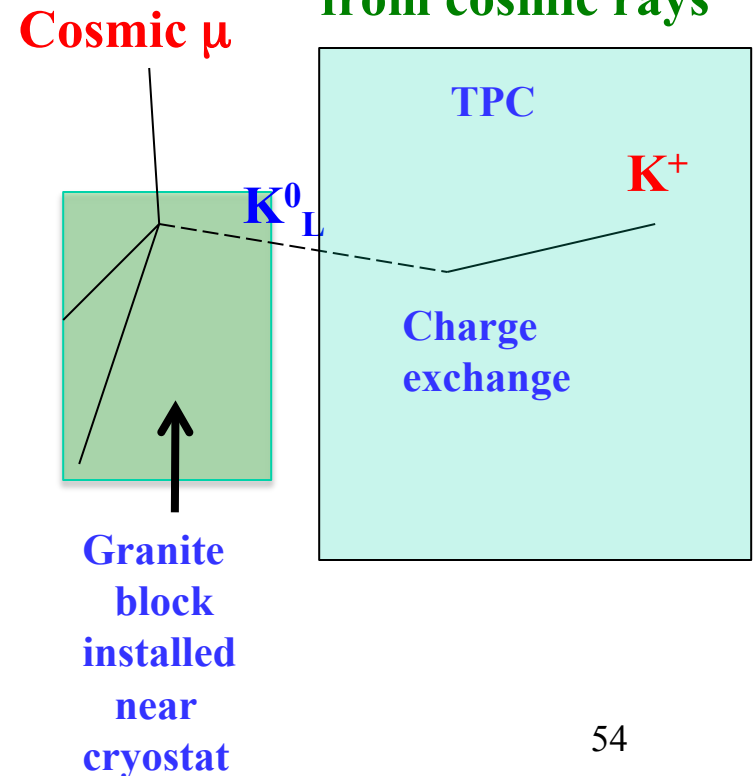


Separating 339 MeV/c  $K^+$  from protons.



Likelihood: 4 dE/dx  
measurements  
along track

2. Measure background  
from cosmic rays



# **The Nevis Road to Sterile Neutrinos**

**Fits to all relevant data sets  $\rightarrow$  Constraint on Sterile  $\nu$  (s)**

**and**

**Propose Future Searches for Sterile Neutrinos**

## Fits to all relevant data sets → Constraint on Sterile $\nu$ (s)

Mike, Georgia et al...arXiv:1207.4765 hep-ex :

Fits to  $\sim 10$  different appearance, disappearance,  $\nu$  and  $\bar{\nu}$ 's data sets

### 3 + 1 fits: 1 mass splitting

- Poor compatibility between  $\nu$  and  $\bar{\nu}$  data sets
- Poor compatibility between **appearance** and **disappearance**

### 3 + 2 fits: 2 mass splittings and introduces a CP violating phase: $\nu$ appearance $\neq \bar{\nu}$ appearance

- Better compatibility between  $\nu$  and  $\bar{\nu}$ .
- Bad compatibility between **appearance** and **disappearance**

**Reason:**

Mass splittings **0.31 and 1.0 eV<sup>2</sup>** for appearance and 0.96 and 18 eV<sup>2</sup> for disappearance.

### 3 + 3 fits: 3 mass splittings: **0.90, 16.0 and 5.0 eV<sup>2</sup>**.

- Good compatibility between  $\nu$  and  $\bar{\nu}$ .
- Appearance and disappearance still incompatible.

**Reason:**

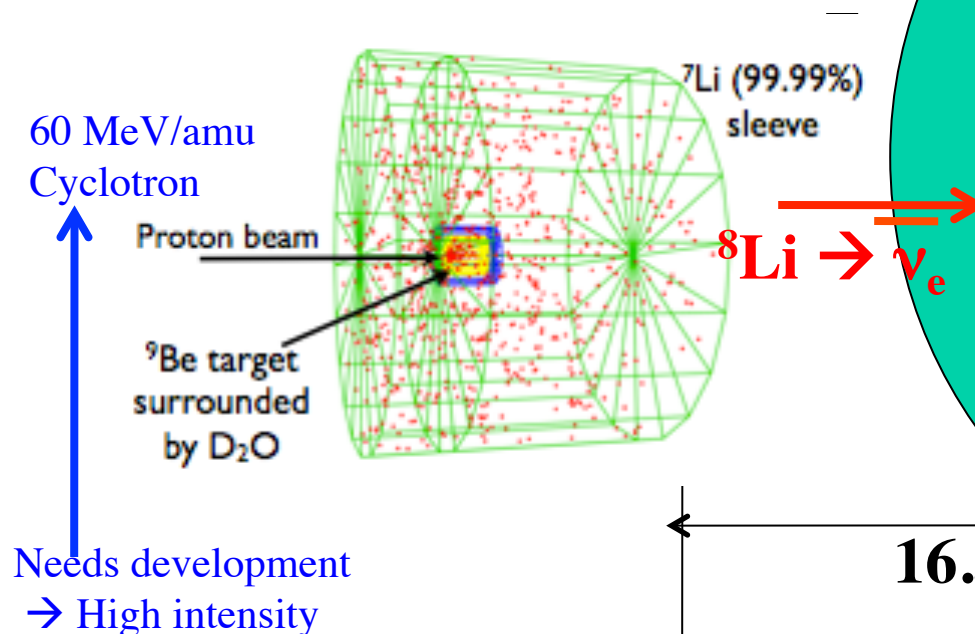
Mostly due to MiniBooNE  $\nu$  and  $\bar{\nu}$  appearance data.

- **MiniBooNE needs to be checked:**  **MicroBooNE**
- **If Sterile exist,  $\Delta m^2 \sim 1-20 \text{ eV}^2$  is a good range to investigate: IsoDAR and LAr1**

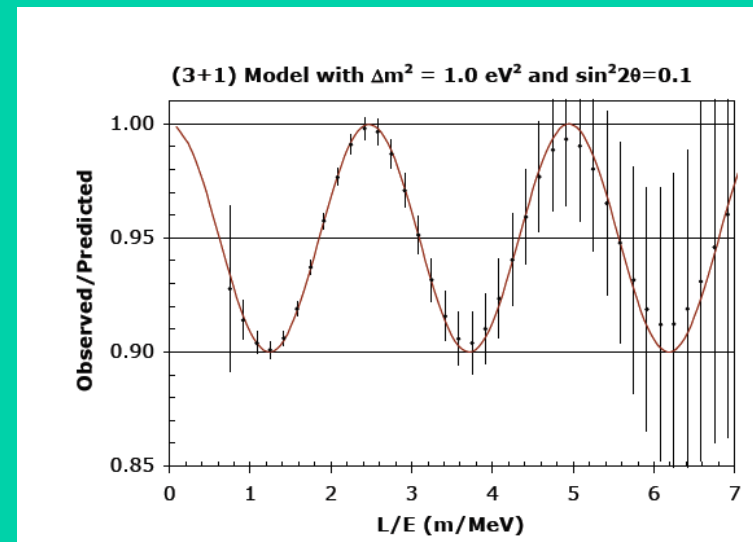
# IsoDAR ${}^8\text{Li}$ at rest $\rightarrow {}^8\text{Be} + e^- + \bar{\nu}_e$

Detect  $\bar{\nu}_e$  in a liquid scintillator detector : Very short baseline.

- Be Target + p  $\rightarrow$  neutrons
- $\text{D}_2\text{O} \rightarrow$  Thermalizes neutrons
- ${}^7\text{Li}$  sleeve  $\rightarrow n + {}^7\text{Li} \rightarrow {}^8\text{Li}$
- ${}^8\text{Li} \rightarrow {}^8\text{Be} + e^- + \bar{\nu}_e$  neutrons

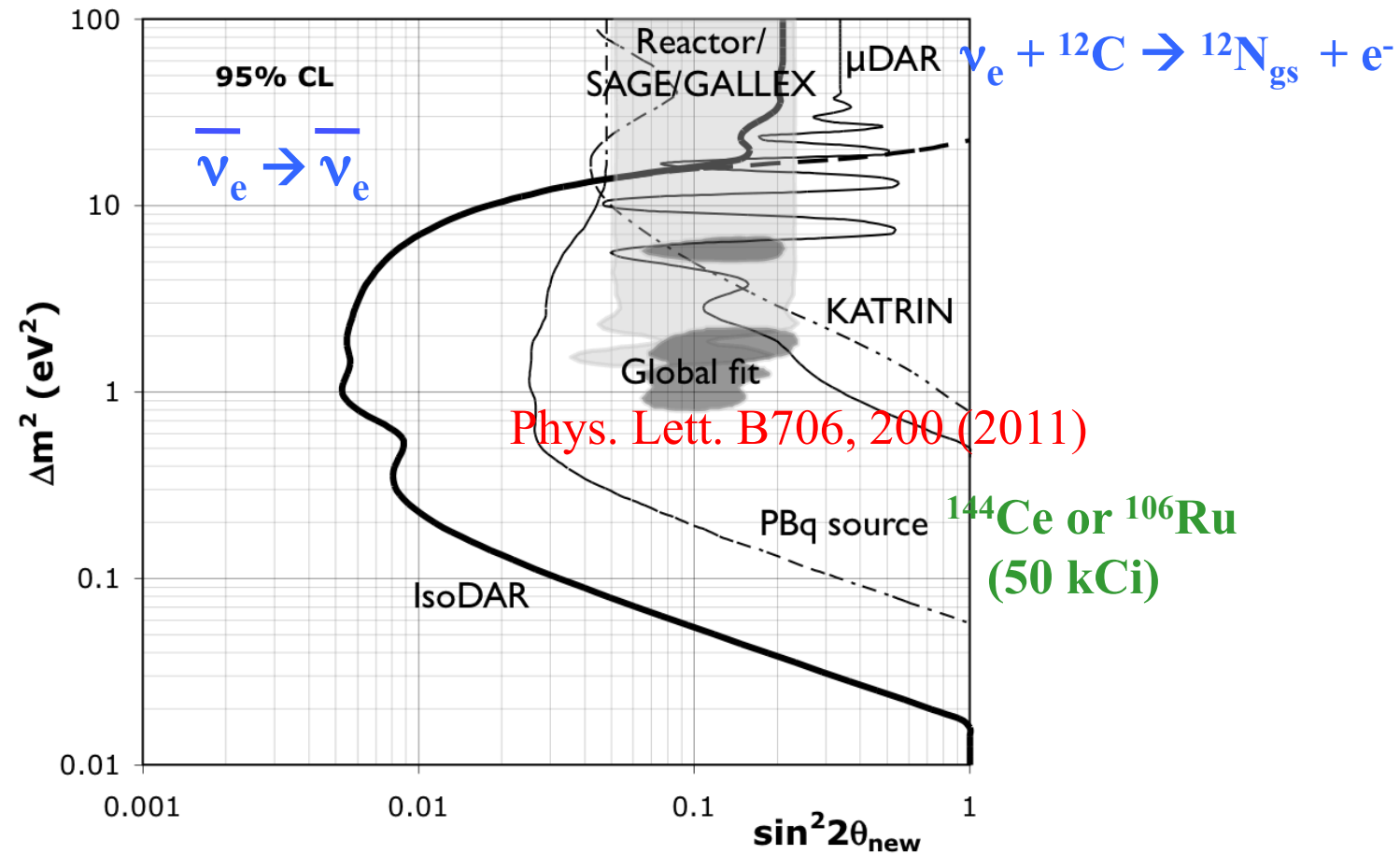


## 1 kton LS detector



Scintillator detector, large enough to observe oscillations as a function of L/E

# IsoDAR Sensitivity.



IsoDAR covers the 0.1-15 eV<sup>2</sup> region predicted by models justifying the anomalies in terms of sterile neutrinos.

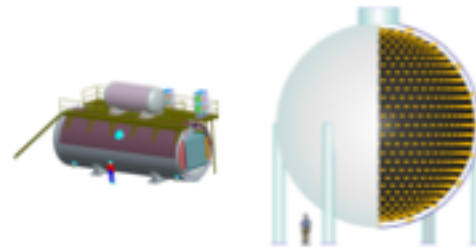
## LAr1.

- ◆ **LAr1:** Two liquid argon detectors in the Fermilab Booster Neutrino Beam
  - To reduce systematics from intrinsic  $\nu_e$  content uncertainties
  - Compare the  $\nu_e$  flux
    - in the **NEAR** detector **BEFORE** the  $\nu_\mu$  have time to oscillate to  $\nu_e$
    - to the one in the **FAR** detector **AFTER** possible oscillations.

Booster  
Neutrino Beam  
Source



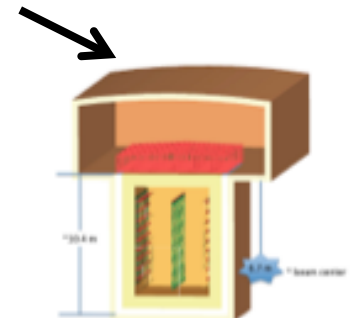
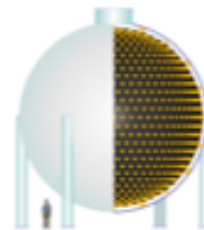
The present situation



The proposal

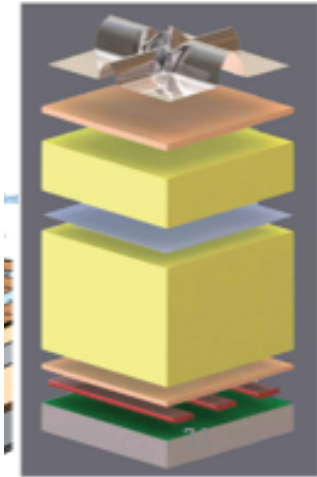
Move MicroBooNE closer to 200m. Build a new LAr detector at 700m.

Booster  
Neutrino Beam  
Source



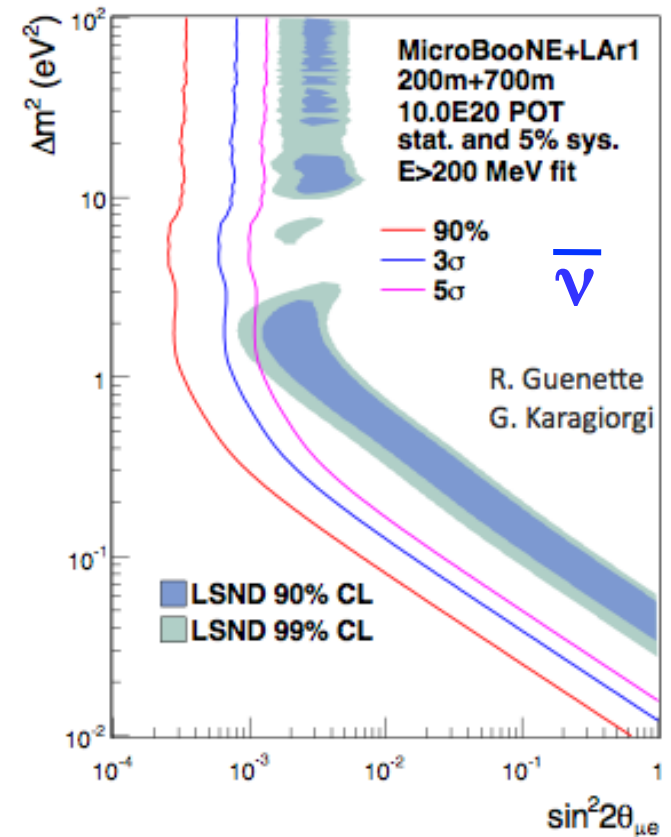
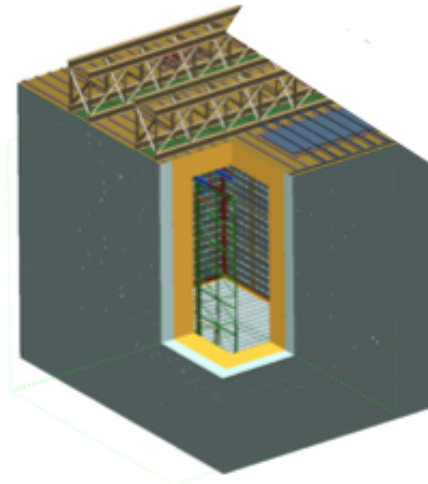
# LAr1 Design (based on LBNE) and Sensitivity.

Membrane cryostat made of several layers of insulation.



1 kton of LAr

Supported by external cavern walls.



Running  $\bar{\nu}$ 's LAr1 covers the LSND favoured region in a 3+1 scenario

**LAr1 would also point Nevis towards LBNE → CP violation and mass hierarchy**

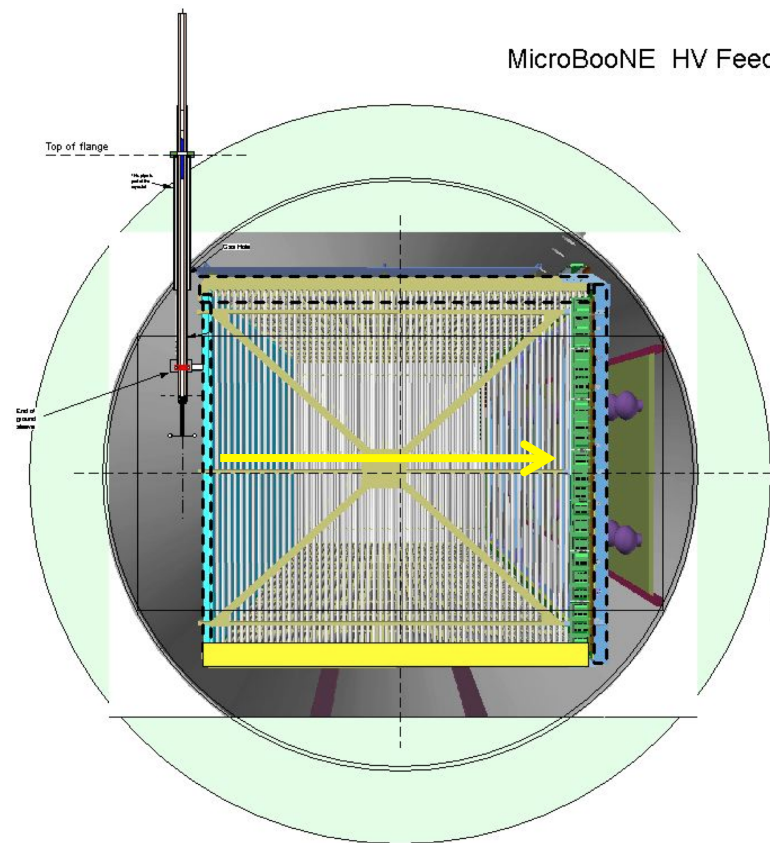
# Conclusion

Neutrino Oscillation Physics is very topical.

Nevis is participating in many of the experiments addressing crucial issues in the field.

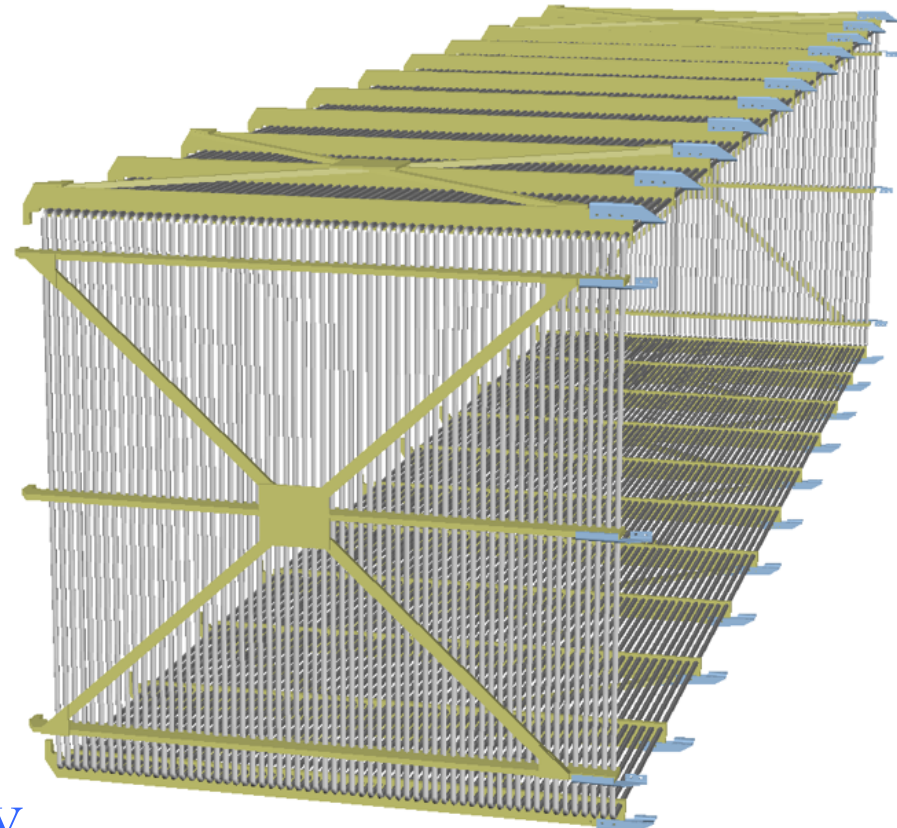
# Back Up

# Field cage



Hans Jostlein  
1-27-2011

Field cage  
Succession of electrodes with  
increasing potential  
→ Uniform drift electric field



1/24/2013

0 V  
Leslie Nevis

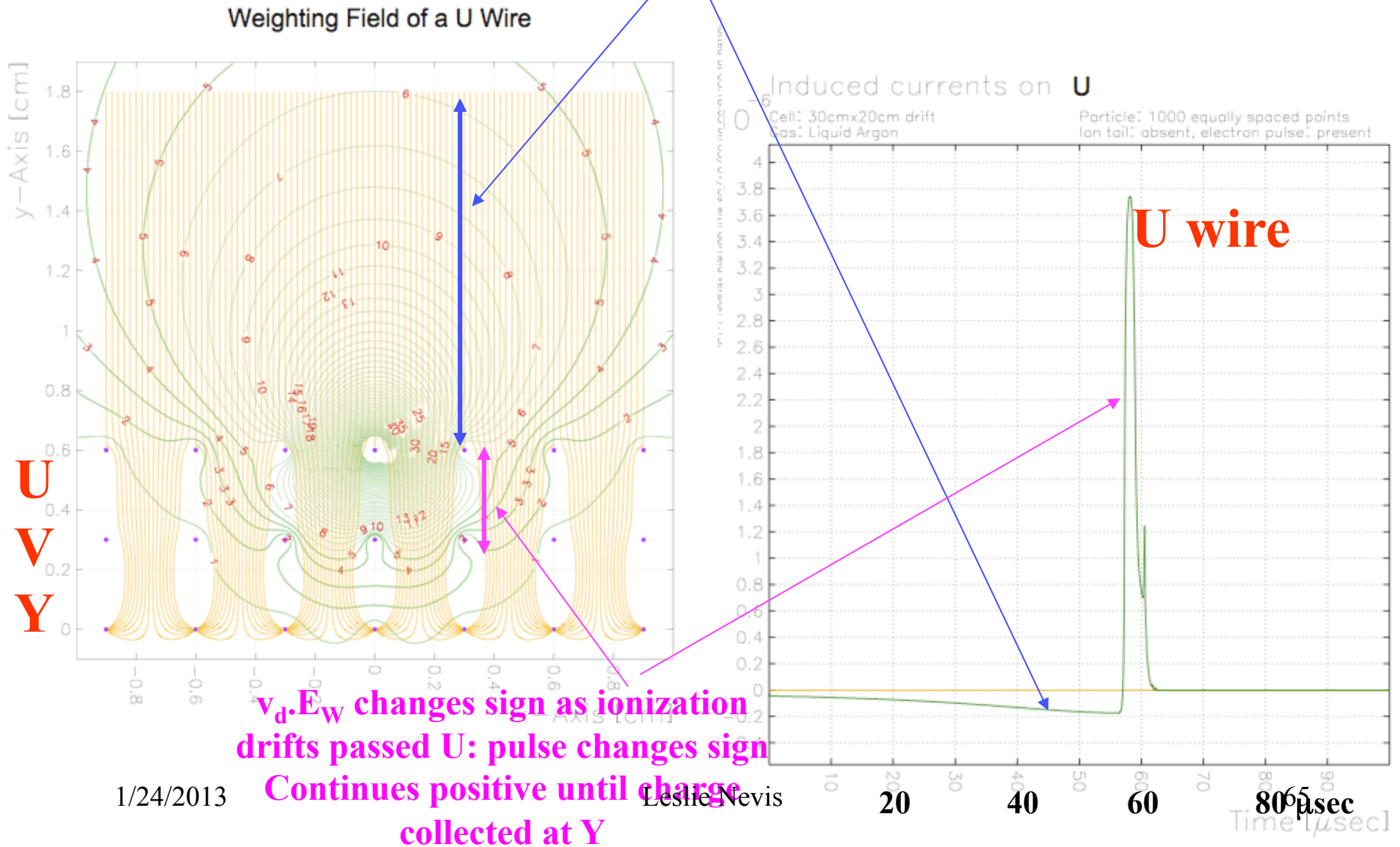
+125 kV 63

## Data Volume per event

- Full drift time:  $\sim$  at  $1.63\text{mm}/\mu\text{sec}$  = **1.6 msec.**
- To include any events happening close in time digitize for a total of **4.8 msec.**
- We digitize at 2 MHz  $\rightarrow$  every  $0.5 \mu\text{sec}$ .
- We have 8256 wires
- Data volume per “event”:  $8256 \times (2 \times 10^6) \times (4.8 \times 10^{-3}) = 7.9 \times 10^7$  words
- 2 Bytes/word  $\rightarrow 15.8 \times 10^7$  Bytes = 158 Mbytes.

# Pulse shapes

Long negative pulse seen on U until  
charge drifts passed U:



# Photodetector electronics specifications

- Minimum energy deposition to be sensitive to: 5 MeV.
- 6000 photons/MeV x 5 = 30 000 photons.
- With a pmt coverage of 0.8% and a quantum efficiency of 8% → 19 pe/5MeV  
**pe = photoelectron**
- With a pmt gain of  $5 \times 10^6$  → 15.2 pC/5MeV.
- Spread over 30 pmt's → Must be sensitive to a **SINGLE PE**.
- Positioning the single pe in channel 20 of a 12 bit (4096) ADC , the dynamic range will be **1 to 200 pe's**. (200 pe's is equivalent to **2.2 mips** traversing the whole TPC).
- <sup>1/24/2013</sup>Event Time resolution: **2ns**, to match the <sup>Leslie Nevis</sup>Booster rf structure (2ns every 18<sup>66</sup>ns).

# “Technical” R&D Motivations

- Preamps within cryostat: cold.  
Short wires to preamps and temperature reduce noise.
- Purity: will drift  $\sim 2.5\text{m}$ :  
Must master purity to avoid electron recombination.
- Supernovae: Need continuous data recording techniques.
- Handling cosmic rays on or near the surface.

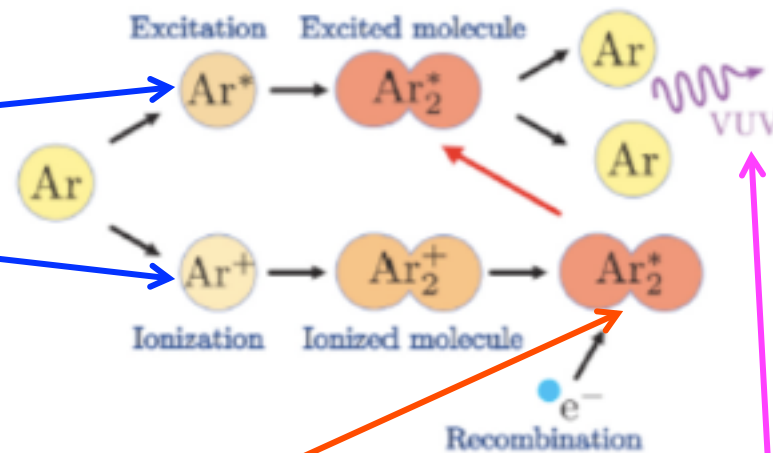
# Scintillation light in Liquid Argon

Particle passage results in

➤ Excitation

➤ Or Ionization

Of Liquid Argon



Result: an **excimer**  
(bound state of two LAr atoms  
one of which is in an excited state).

The excimer de-excites via the emission of an ultra violet photon: 128nm.

The excimer can be in two excited states.

This causes its decay to the dissociated ground state to have two components:

A fast (**6ns**) component 23% of the time

A slow (**1  $\mu$ s**) component **77%** of the time

# Look at the particles resulting from the annihilation

## True Energy

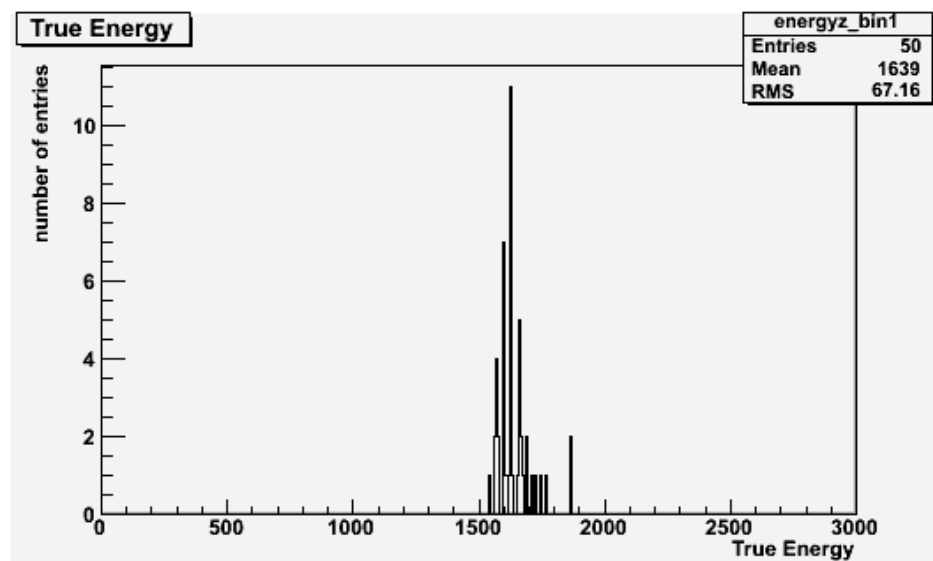
Sum their energy:

**Mean 1639 MeV/c<sup>2</sup>**

Note that the sum does not add up  
to 2 x nucleon mass:

$$2 \times 938.3 \text{ MeV}/c^2 = 1876.6 \text{ MeV}/c^2$$

Will have to check why?



## Total Momentum

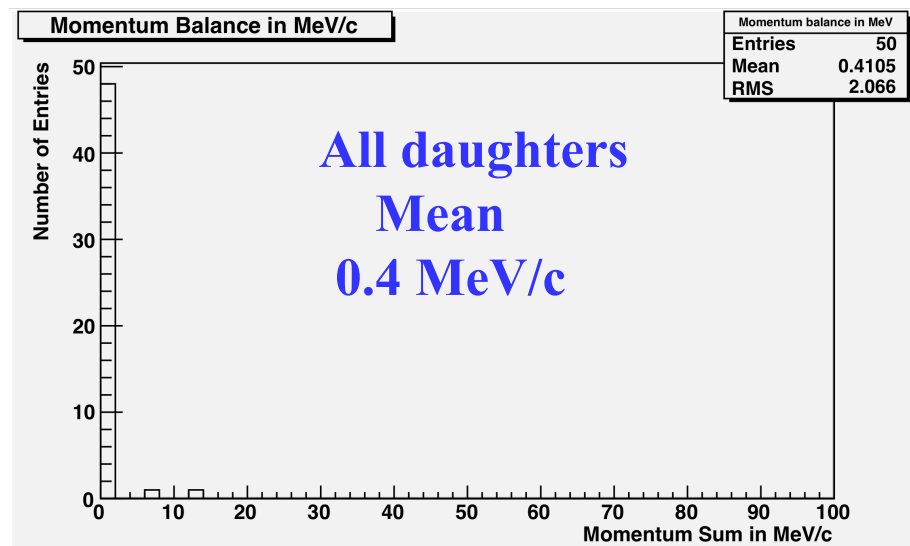
Vector sum of their momenta

0.4 MeV/c

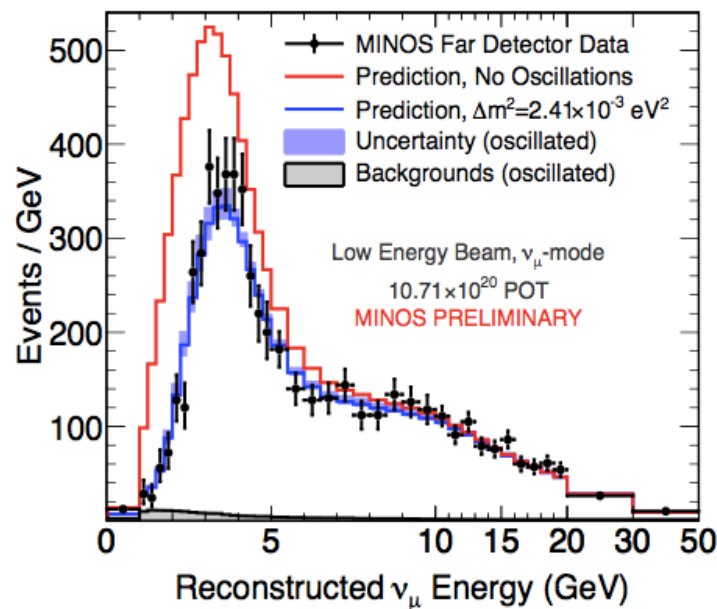
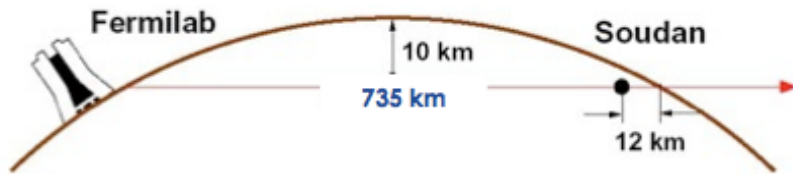
Should be zero.

But will any particle elude

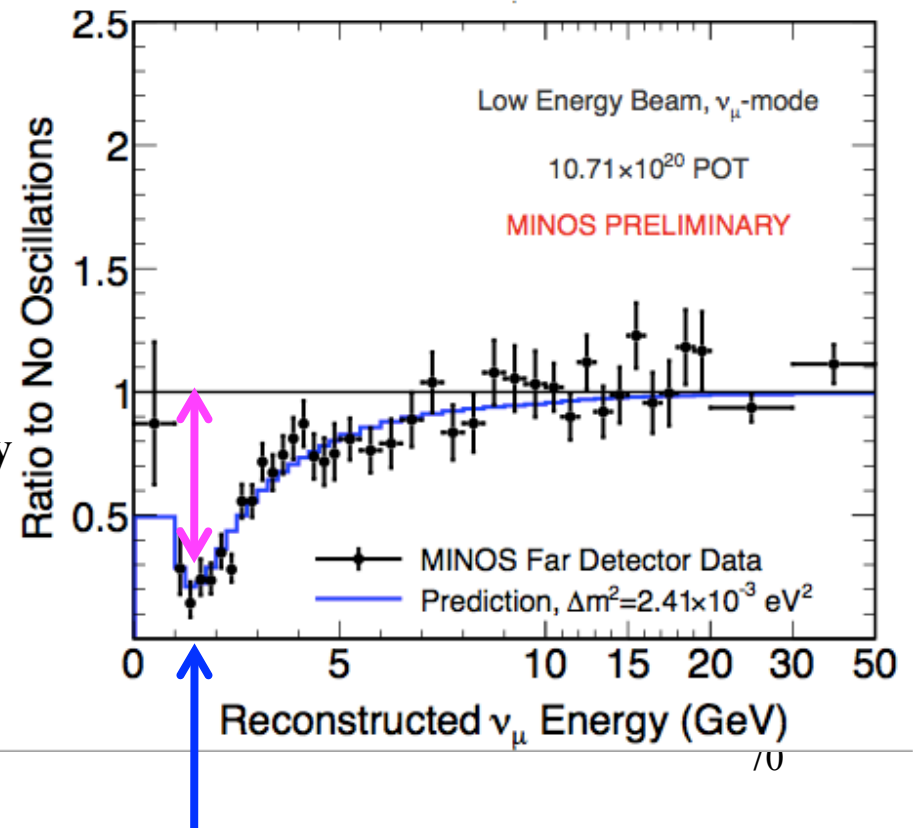
Detection?



# Example of an Oscillation: MINOS $\nu_\mu \rightarrow \nu_e$



Ratio  
~  
Probability  
→



$$P_{\alpha\beta}(t) = \sin^2 2\theta \sin^2 \left[ 1.27 \frac{L(m)}{E(\text{MeV})} \Delta m^2 (\text{eV}^2) \right], \Delta m^2 = m_i^2 - m_j^2$$

Strength of oscillation

1/24/2013

Leslie Nevis

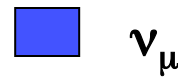
Determines energy of Maximum oscillation  
 $\sin^2 \pi/2 \rightarrow E = (1.27 L \Delta m^2) / (\pi/2)$

# Mass Differences

## Sign of $\Delta m_{23}^2$



$\nu_e$



$\nu_\mu$



$\nu_\tau$

### Normal Hierarchy



$m_3$

Atmospheric

$$\Delta m_{23}^2 = 2.3 \times 10^{-3} \text{ eV}^2$$

Solar

$$\Delta m_{12}^2 = 7.6 \times 10^{-5} \text{ eV}^2$$



$m_2$



$m_1$

### Inverted Hierarchy



$m_2$



$m_1$

$$\Delta m_{12}^2 = 7.6 \times 10^{-5} \text{ eV}^2$$

$$\Delta m_{23}^2 = 2.3 \times 10^{-3} \text{ eV}^2$$



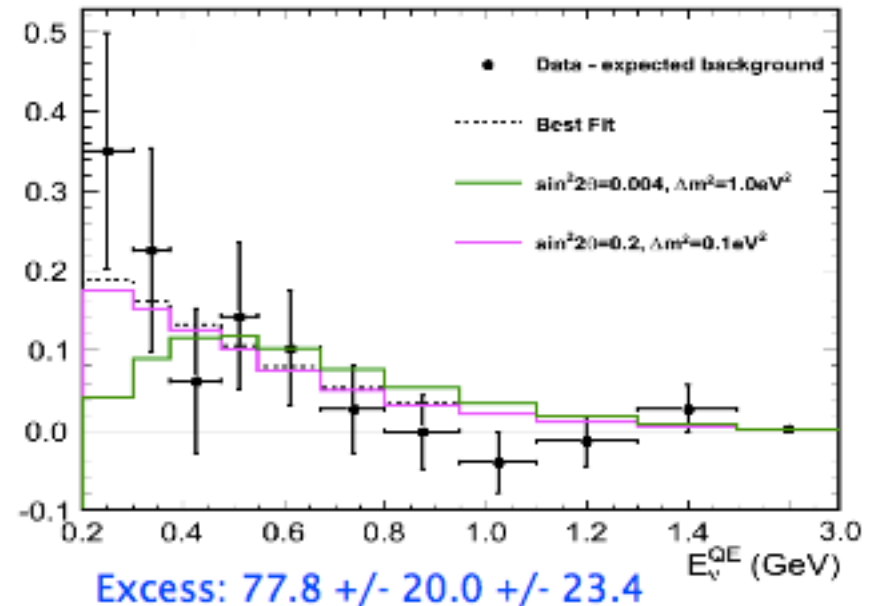
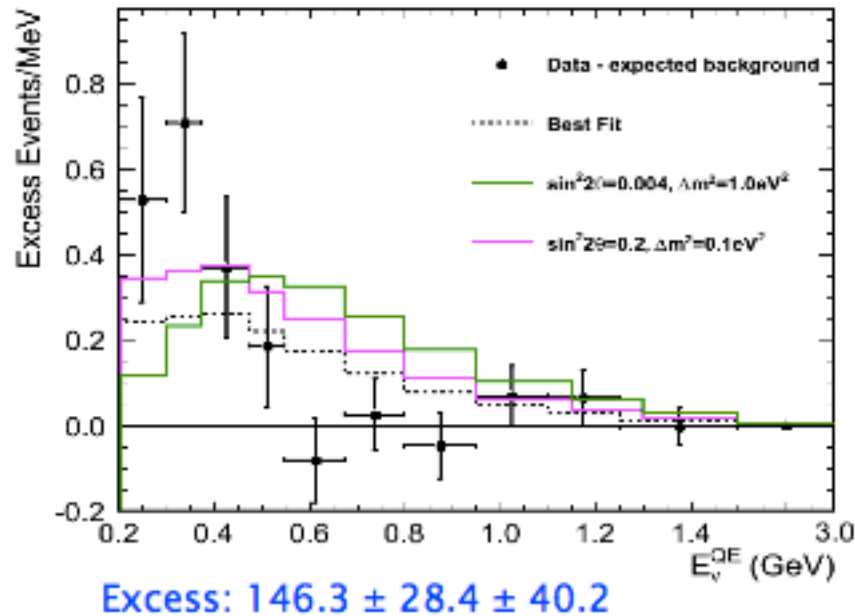
$m_3$

Oscillations only tell us about **DIFFERENCES** in masses

NOT the **ABSOLUTE** mass scale  
Leslie Nevis

# $\nu_\mu \rightarrow \nu_e$ and $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$ Excesses in Low Energy Region

Subtract known background

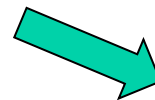


What is the excess due to ?

- ◆  $\nu_\mu \rightarrow \nu_e$  then  $\nu_e + n \rightarrow e + p$  ?
- ◆  $\nu_\mu + C \rightarrow \nu_\mu + X + \gamma$  ?
- ◆  $\nu_\mu + C \rightarrow \nu_\mu + X + \pi^0$  then  $\pi^0 \rightarrow \gamma\gamma$  ?

First step:

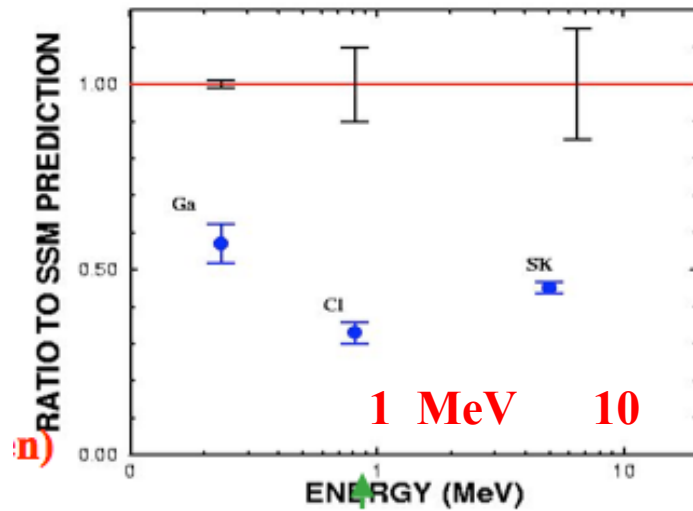
- ◆ Is the excess due to **electrons**?
- ◆ Or **photons** ?



**MicroBooNE**

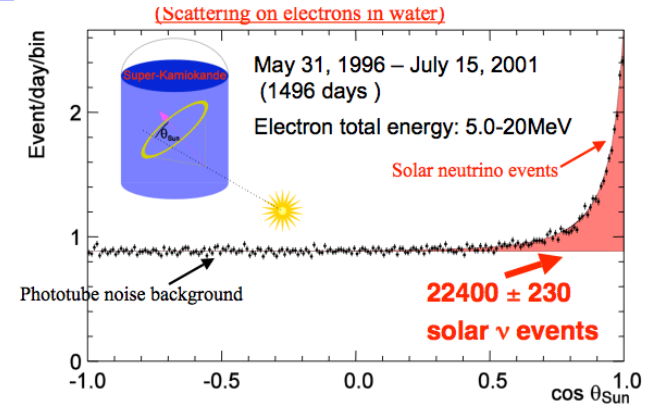
# Puzzle II: Solar Neutrinos: $\nu_e$ .

Both Radiochemical and Real Time showed a suppression



$$\nu + e \rightarrow \nu + e$$

They really come from the sun !



$$\begin{aligned}\Phi_{CC} &= 1.68^{+0.06}_{-0.06} (stat.)^{+0.08}_{-0.09} (sys.) \times 10^6 \text{ cm}^{-2} \text{ s}^{-1} \leftarrow \nu_e \text{ only} \\ \Phi_{ES} &= 2.35^{+0.22}_{-0.22} (stat.)^{+0.15}_{-0.15} (sys.) \times 10^6 \text{ cm}^{-2} \text{ s}^{-1} \leftarrow \nu_e \text{ mostly} \\ \Phi_{NC} &= 4.94^{+0.21}_{-0.21} (stat.)^{+0.38}_{-0.34} (sys.) \times 10^6 \text{ cm}^{-2} \text{ s}^{-1} \leftarrow \nu_e, \nu_\mu, \nu_\tau \\ \Phi_{BP04} &= 5.82 \pm 1.34 \times 10^6 \text{ cm}^{-2} \text{ s}^{-1} \leftarrow \text{Using ALL neu}\end{aligned}$$

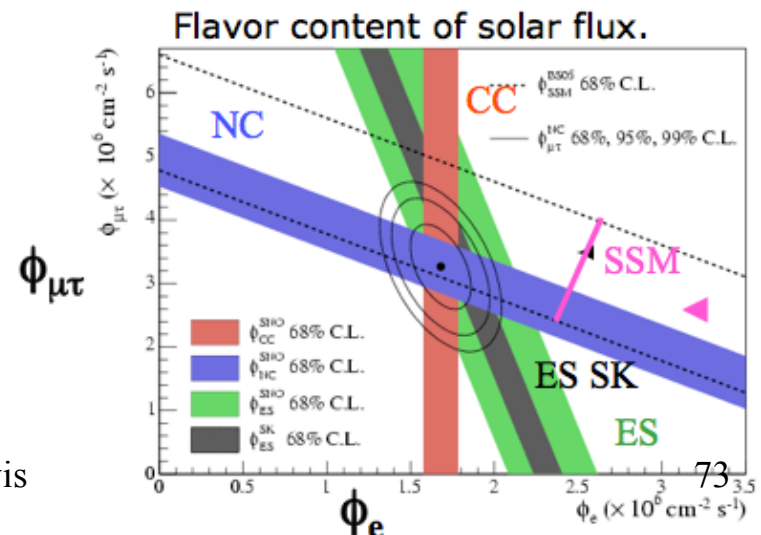
Solar Model problems or Neutrino Physics ?  
All experiments sensitive only, or mostly, to  $\nu_e$ .

Then SNO: Use Heavy water  $D_2O$ .  
Only 2.2 MeV needed to break up D  $\rightarrow$  Possible

➤ Neutral Current (NC) reactions on nucleons

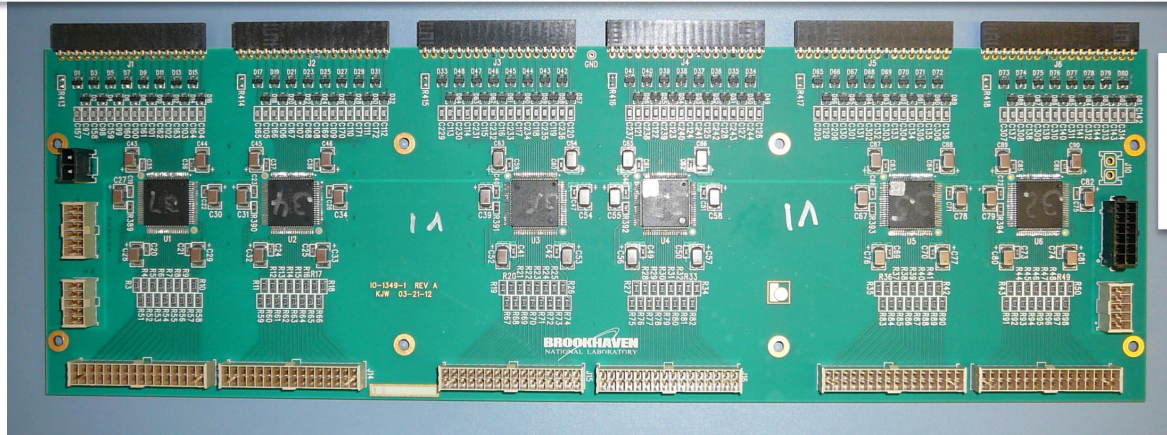
$$\nu_x + n \rightarrow n + \nu_x$$

Sensitive to flux from ALL flavours,  $\phi(\nu_e, \nu_\mu, \nu_\tau)$



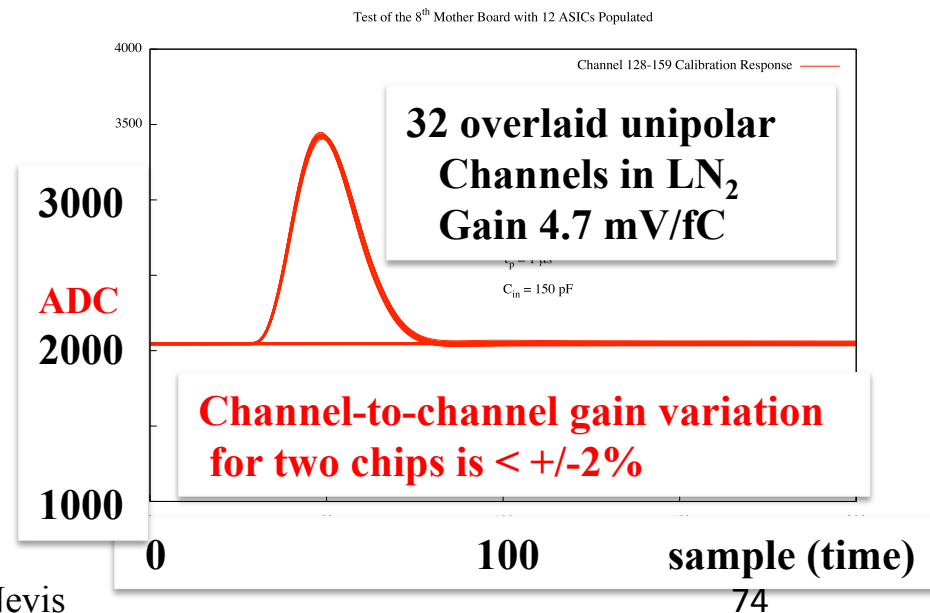
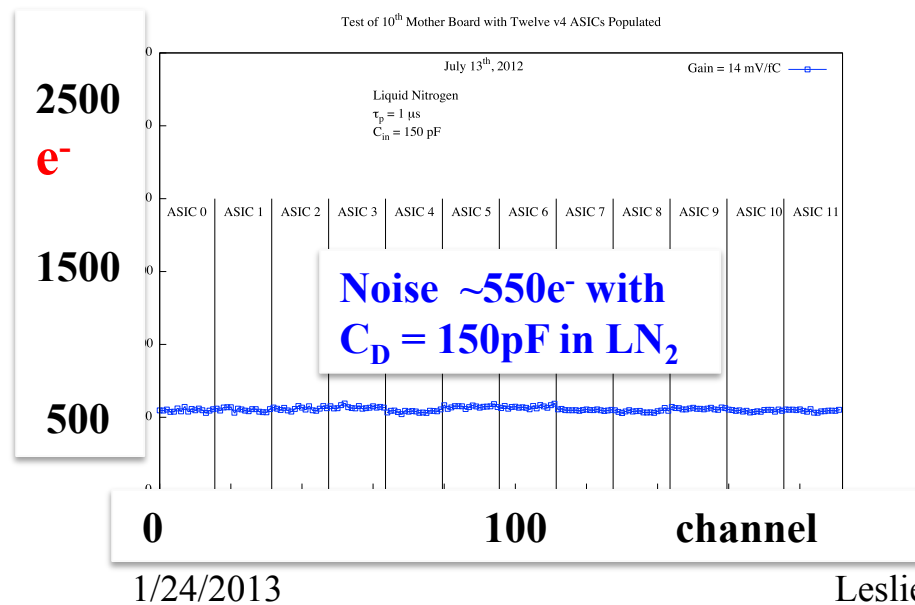
# Cold Electronics : CMOS Analog Front End ASIC (BNL)

16 channel/chip charge amplifier: Adjustable Gain 4.7, 6.8, 14.0, 25.0 mV/fC  
Adjustable peaking time 0.5,1,2,3  $\mu$ s, 5.5 mW/channel



Prototype Vertical  
Cold Mother Board  
with prototype ASICs

Crosstalk < 0.3%

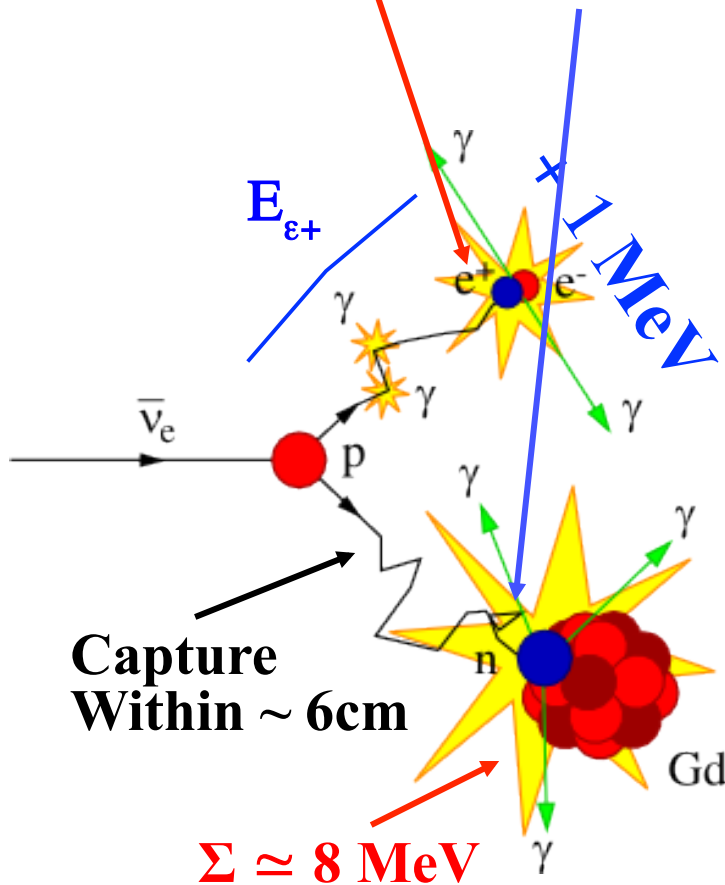


Leslie Nevis

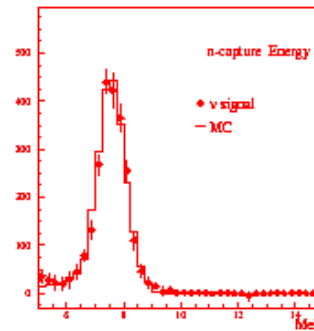
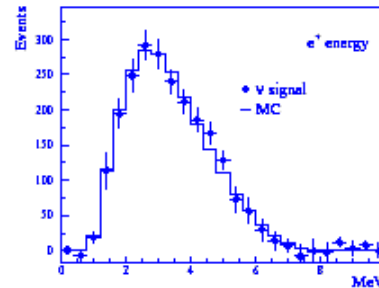
# Detection Technique: Scintillator target.

Measure through inverse  $\beta$  decay:

$$\bar{\nu}_e + p = e^+ + n$$

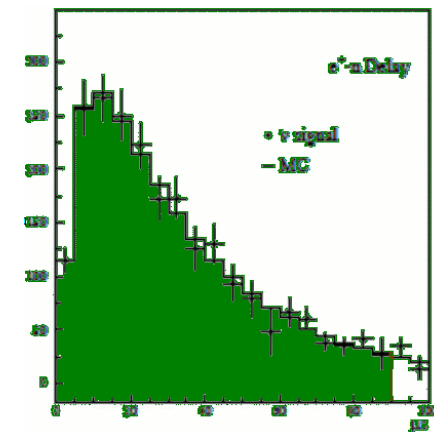
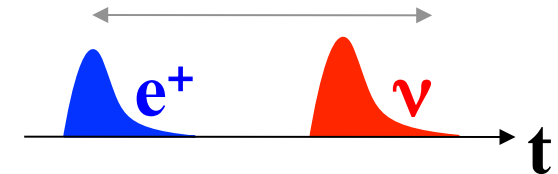


$$(1) 0.7 < E_{prompt} < 12.2 \text{ MeV}$$

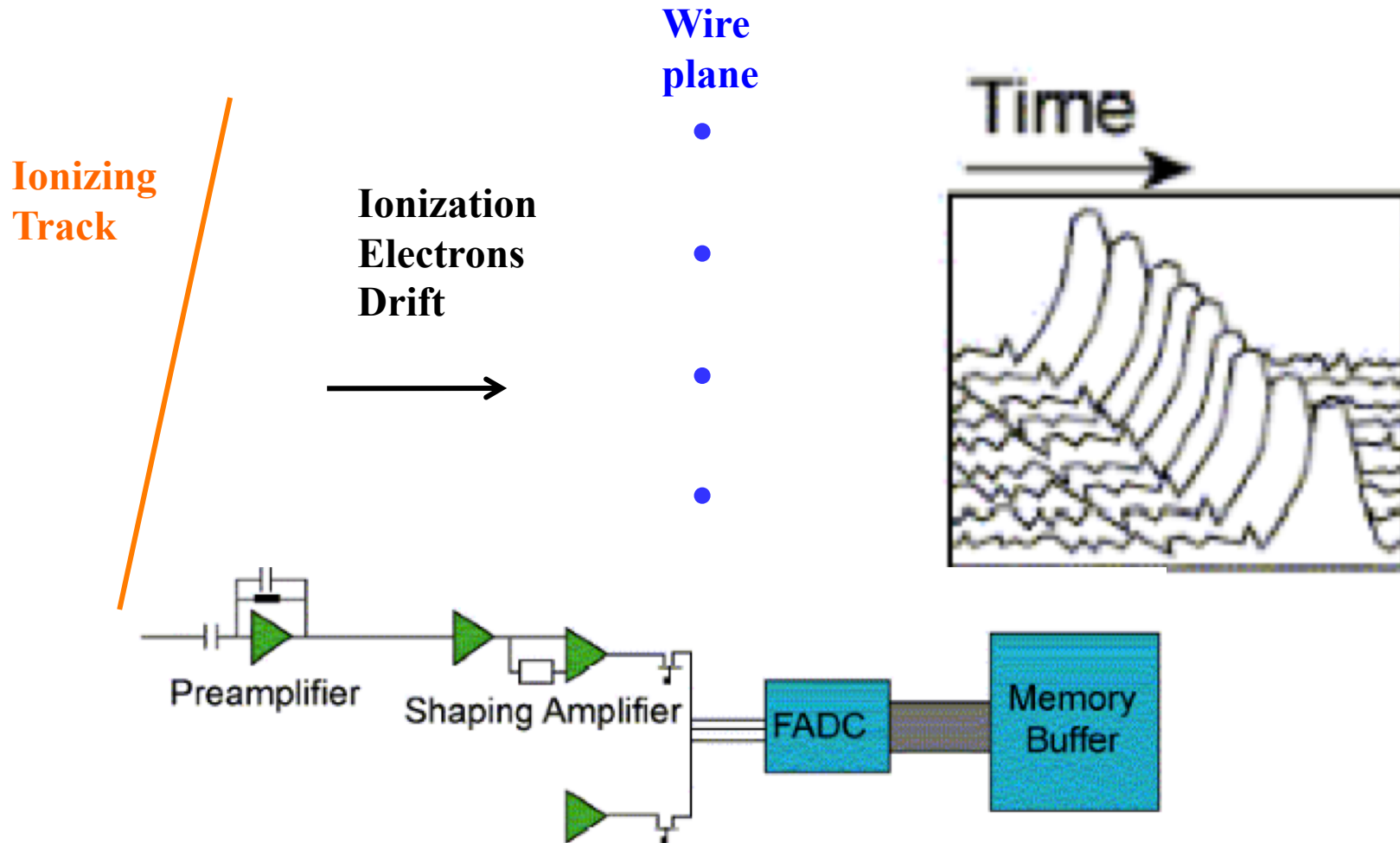


$$(2) 6 < E_{delayed} < 12 \text{ MeV}$$

$$(3) 2 \mu\text{s} < \Delta t < 100 \mu\text{s}$$



# Pulse shape and Electronics



**FADC: Fast Analog to Digital Converter: measures and digitizes pulse height on a wire  
Every 0.5  $\mu$ sec (2MHZ)**

# Oscillation Fit Strategy (Arthur Franke → Rachel Carr)

- MC Events & Data flow handled in parallel
- Apply correction for MC/Data differences
- Covariance matrix or pull terms approach
- 2 Integration Periods:
  - both reactor with power > 90%
  - one reactor or both with power < 20%
- Final result decided based on sensitivity studies
- Binning established using sensitivity studies **18 energy bins per period**

## Definition of $\chi^2$ estimator

$$\chi^2 = \sum_{i,j} \left( N_i - \left( N_i^{\text{exp}} + \sum_{\text{BG}} N_i^{\text{BG}} (1 + p^{\text{BG}}) \right) \right) \times \left( M_{i,j}^{\text{stat}} + M_{i,j}^{\text{reac.}} + M_{i,j}^{\text{eff.}} + \sum_{\text{BG}} M_{i,j}^{\text{BG}} \right) \times \left( N_j - \left( N_j^{\text{exp}} + \sum_{\text{BG}} N_j^{\text{BG}} (1 + p^{\text{BG}}) \right) \right) + \sum_{\text{BG}} \left( \frac{p^{\text{BG}}}{\sigma^{\text{BG}}} \right)^2 + \left( \frac{p^{\text{Escale}}}{\sigma^{\text{Escale}}} \right)^2 + \left( \frac{p^{\Delta m^2}}{\sigma^{\Delta m^2}} \right)^2$$

- $i, j$  : label of energy bin:  
1 to 18 for IP-0 and 19 to 36 for IP-1
- $N_i$  : observed number of in  $i$ -th bin
- $N_i^{\text{exp}}$  : expected weighted by oscillation
- $M_{i,j}$  : covariance matrix
- $p$  : pull terms and  $\sigma$  : systematic uncertainties

**Used Blind Analysis (reactor prediction not known better than 10% until the selection cuts were frozen).**

# Event rates

- Booster Neutrino Beam: The booster runs at a maximum of **15Hz**.  
So the electronics must be able to run at that rate.
  - Although the beam neutrino event rate is much lower: **1/600 secs**.
  - **To avoid recording unnecessary “empty spill data” the photodetectors will provide a trigger for neutrino beam events.**
  - **Will be recorded WITHOUT loss of information: Compression only.**
  - Supernova events are spread over  $\sim 20$  secs and are low energy.  
Impossible to recognize amidst radioactivity and cosmic rays background.  
Must rely on “external alert” from the supernova alert watch:  $\sim 1$  hour.
- **The last hour of supernova data must be always available in case...**  
**Will be Compressed AND zero suppressed.**

# Physics Motivation II: Measurement of Cross sections

Argon nucleus, High Statistics, High spatial resolution

Expected event rates for  $6.6 \times 10^{20}$  POT

production mode	# events
CC QE ( $\nu_\mu n \rightarrow \mu^- p$ )	60,161
NC elastic ( $\nu_\mu N \rightarrow \nu_\mu N$ )	19,409
CC resonant $\pi^+$ ( $\nu_\mu N \rightarrow \mu^- N \pi^+$ )	25,149
CC resonant $\pi^0$ ( $\nu_\mu n \rightarrow \mu^- p \pi^0$ )	6,994
NC resonant $\pi^0$ ( $\nu_\mu N \rightarrow \nu_\mu N \pi^0$ )	7,388
NC resonant $\pi^\pm$ ( $\nu_\mu N \rightarrow \nu_\mu N' \pi^\pm$ )	4,796
CC DIS ( $\nu_\mu N \rightarrow \mu^- X, W > 2 \text{ GeV}$ )	1,229
NC DIS ( $\nu_\mu N \rightarrow \nu_\mu X, W > 2 \text{ GeV}$ )	456
NC coherent $\pi^0$ ( $\nu_\mu A \rightarrow \nu_\mu A \pi^0$ )	1,694
CC coherent $\pi^+$ ( $\nu_\mu A \rightarrow \mu^- A \pi^+$ )	2,626
NC kaon ( $\nu_\mu N \rightarrow \nu_\mu K X$ )	39
CC kaon ( $\nu_\mu N \rightarrow \mu^- K X$ )	117
other $\nu_\mu$	3,678
total $\nu_\mu$ CC	98,849
total $\nu_\mu$ NC+CC	133,580
$\nu_e$ QE	326
$\nu_e$ CC	657

Suite of low energy cross section measurements

- Measurement of  $\Delta s$  through NC elastic scattering at very low  $Q^2$
- **Pion production**: Coherent vs. resonant
- **K production**: cross sections and proton decay studies
- **Electron neutrino** cross sections

## Physics Motivation III: SuperNovae neutrino's

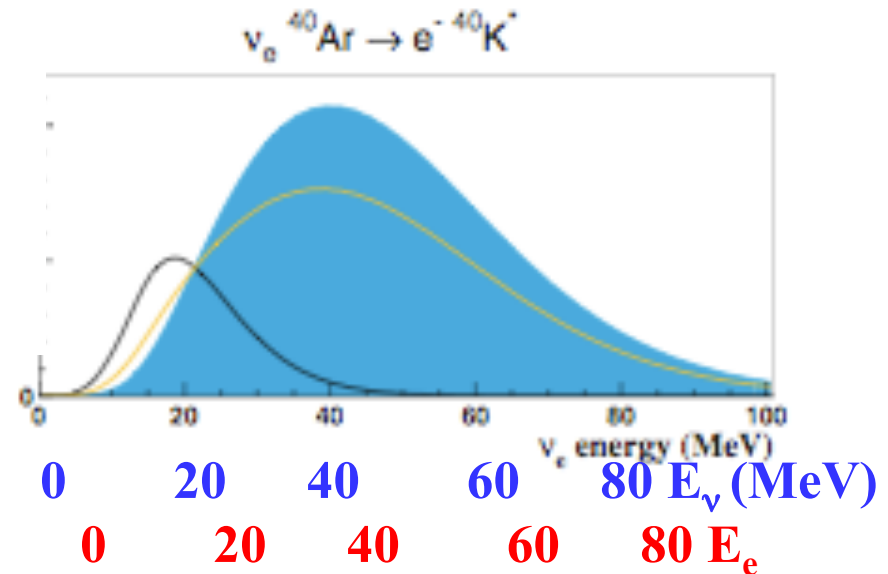
About 29 neutrino  
events observed for  
SN1987a

Between 10 and 20  
Absorption events



expected for a  
**galactic** supernova

Electron Energy: tens of MeV



I. Gil-Botella and A. Rubbia JCAP 10(2003)009

# Questions 1 and 2.

- $\Delta = \Delta m_{31}^2 L / 4E$
- qualitative understanding  $\Rightarrow$  expand in  $\alpha = \Delta m_{21}^2 / \Delta m_{31}^2$  and  $\sin^2 2\theta_{13}$
- matter effects  $\hat{A} = A / \Delta m_{31}^2 = 2VE / \Delta m_{31}^2$ ;  $V = \sqrt{2}G_F n_e$

$$P(\nu_e \rightarrow \nu_\mu) \approx \sin^2 2\theta_{13} \sin^2 \theta_{23} \frac{\sin^2((1-\hat{A})\Delta)}{(1-\hat{A})^2}$$

CP violation:  
Difference  
between  
 $\nu$  and  $\bar{\nu}$   
Oscillations

$$\begin{aligned} & \pm \sin \delta_{\text{CP}} \alpha \sin 2\theta_{12} \cos \theta_{13} \sin 2\theta_{13} \sin 2\theta_{23} \sin(\Delta) \frac{\sin(\hat{A}\Delta) \sin((1-\hat{A})\Delta)}{\hat{A}(1-\hat{A})} \\ & + \cos \delta_{\text{CP}} \alpha \sin 2\theta_{12} \cos \theta_{13} \sin 2\theta_{13} \sin 2\theta_{23} \cos(\Delta) \frac{\sin(\hat{A}\Delta) \sin((1-\hat{A})\Delta)}{\hat{A}(1-\hat{A})} \\ & + \alpha^2 \sin^2 2\theta_{12} \cos^2 \theta_{23} \frac{\sin^2(\hat{A}\Delta)}{\hat{A}^2} \end{aligned}$$

Mass hierarchy accessible  
through Matter effects.

## II. CP Violation

**Question 2: Is  $\delta_{\text{CP}} \neq 0$ ?**

Oscillation formula:  $\Delta m_{31}^2 = 2.3 \times 10^{-3} \text{ eV}^2$ . Requires  $L \sim 10^3 \text{ km}$  for  $E \sim 1 \text{ GeV}$ .

Questions 1 and 2 require Long Baseline experiments

# Fits to all relevant data sets → Constraint on Sterile $\nu$ (s)

Mike, Georgia et al...arXiv:1207.4765 hep-ex

- LSND, KARMEN  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$  Appearance
- LSND, KARMEN  $\nu_e + {}^{12}\text{C} \rightarrow {}^{12}\text{N}_{\text{gs}} + e^-$
- MiniBooNE  $\nu_\mu \rightarrow \nu_e, \bar{\nu}_\mu \rightarrow \bar{\nu}_e$  Appearance
- MiniBooNE  $\nu_\mu, \bar{\nu}_\mu$  disappearance
- NOMAD  $\nu_\mu \rightarrow \nu_e$  Appearance
- CCFR, CDHS  $\nu_\mu$  disappearance
- Reactor  $\bar{\nu}_e$  disappearance
- SAGE, GALLEX MCi sources:  $\nu_e$  disappearance
- MINOS  $\nu_\mu$  disappearance
- Atmospheric  $\nu$ 's disappearance

**CP violation:**

$\nu$  appearance  $\neq \bar{\nu}$  appearance

**CPT conservation:**

$\nu$  disappearance =  $\bar{\nu}$  disappearance

# Oscillation Fit Strategy (Arthur Franke → Rachel Carr)

- MC Events & Data flow handled in parallel
- Apply correction for MC/Data differences
- Covariance matrix or pull terms approach
- 2 Integration Periods:
  - both reactor with power > 90%
  - one reactor or both with power < 20%
- Final result decided based on sensitivity studies
- Binning established using sensitivity studies    18 energy bins per period

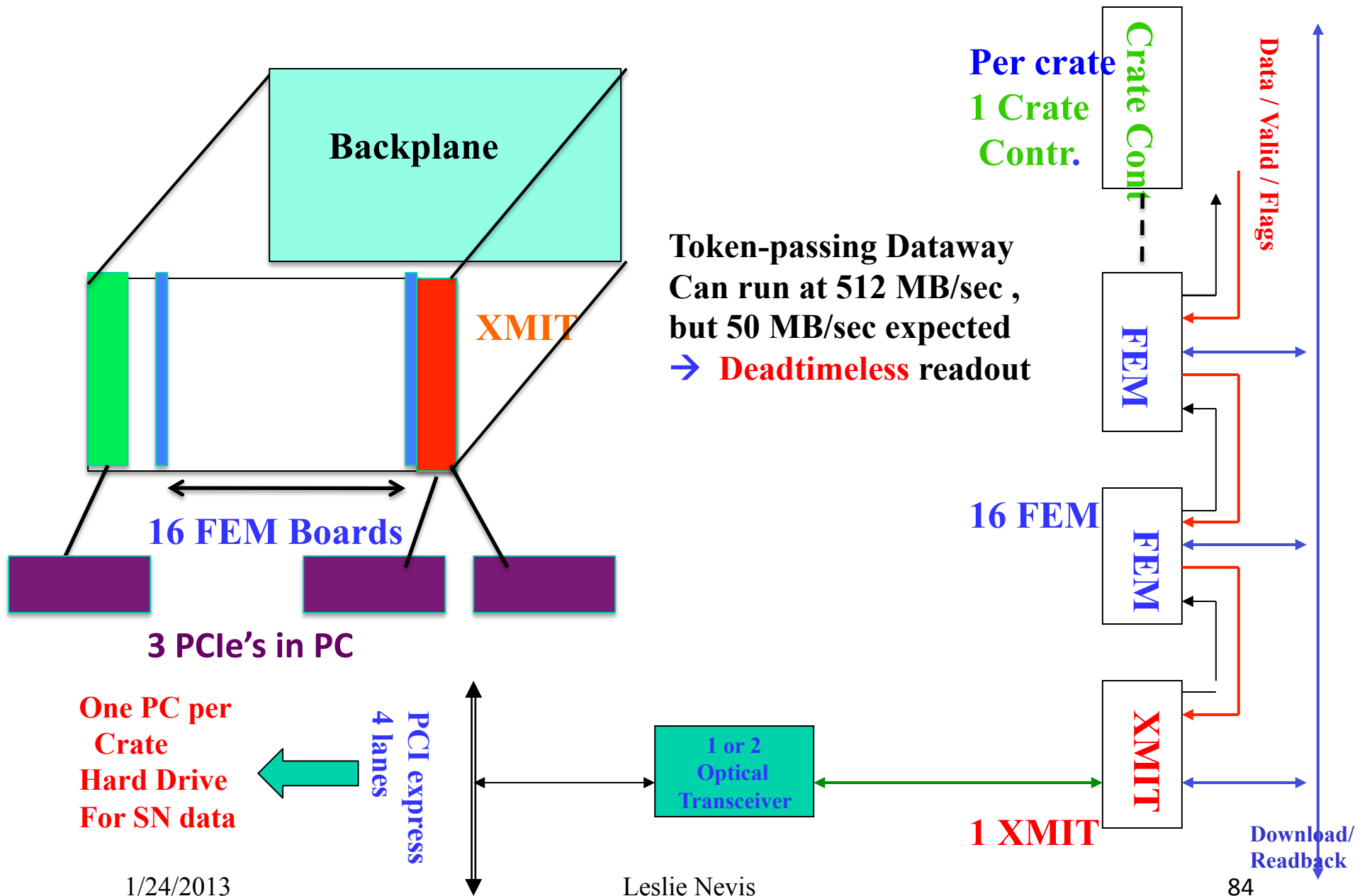
## Definition of $\chi^2$ estimator

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- $i, j$  : label of energy bin:  
1 to 18 for IP-0 and 19 to 36 for IP-1
- $N_i$  : observed number of in  $i$ -th bin
- $N_i^{\text{exp}}$  : expected weighted by oscillation
- $M_{i,j}$  : covariance matrix
- $p$  : pull terms and  $\sigma$  : systematic uncertainties

**Used Blind Analysis (reactor prediction not known better than 10% until the selection cuts were frozen).**

# Digitization components: 9 TPC + 1 PMT crates



1/24/2013

Leslie Nevis

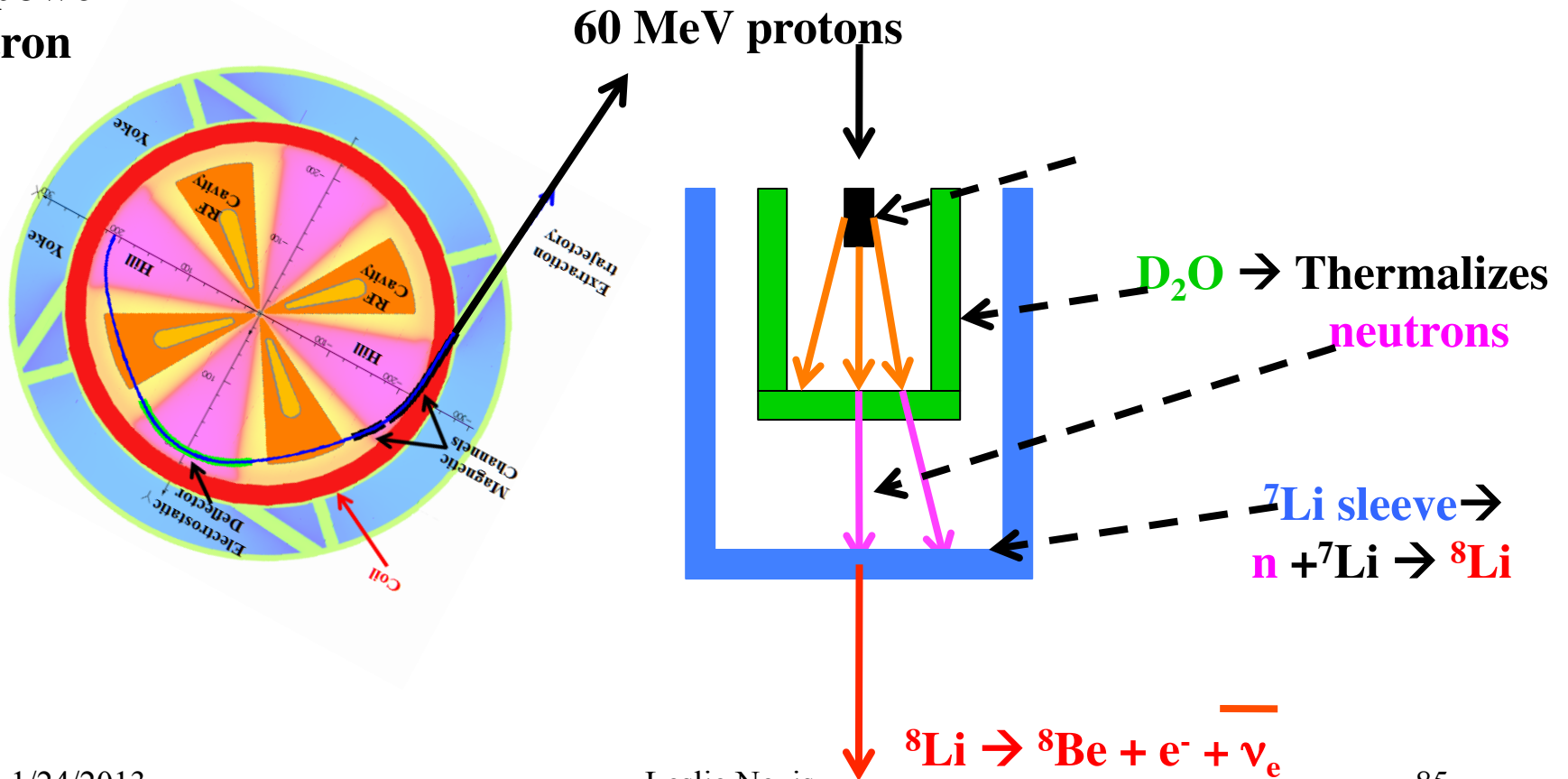
84

# IsoDAR

PRL **109**, 141802 (2012)

- ◆ **IsoDAR:** Radioactive beam of  ${}^8\text{Li} \rightarrow {}^8\text{Be} + e^- + \bar{\nu}_e$   
 Detect  $\bar{\nu}_e$  in a liquid scintillator detector : Very short baseline.

Low energy,  
high-power  
cyclotron



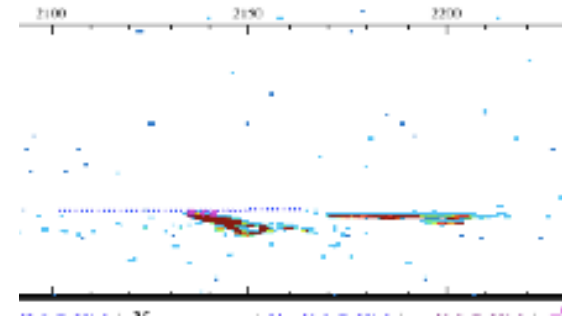
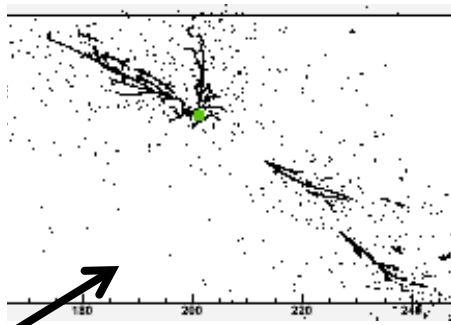
1/24/2013

Leslie Nevis

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## R&D V: Background to Proton Decay: $n\bar{n}$ oscillations $\rightarrow$ annihilation

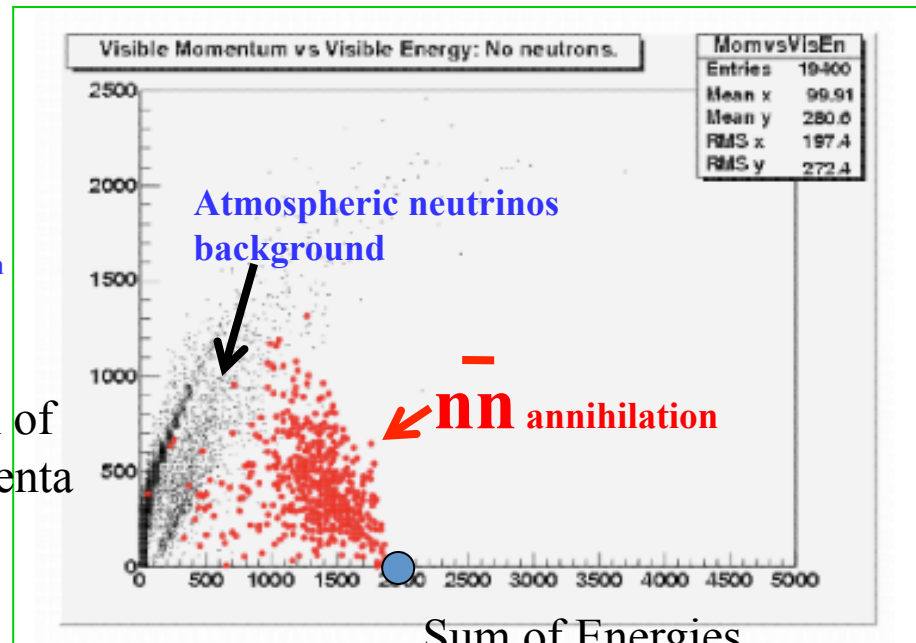
Oscillation of neutron to antineutron followed by annihilation of antineutron with an Argon nucleus nucleon.



### Annihilation

- ◆ Spherical
- ◆ Zero NET momentum
- ◆ Total energy =  $2 M_n$

Sum of Momenta



### Atmos. $\nu$ (Main background)

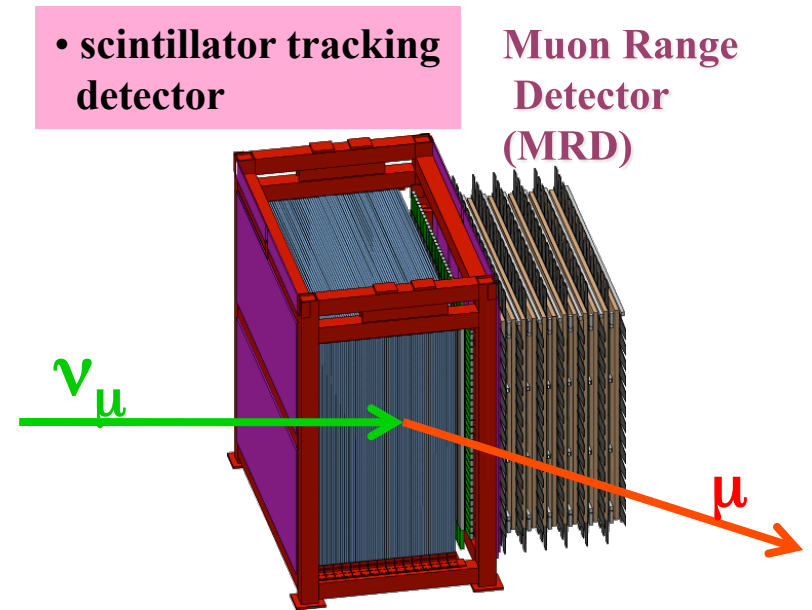
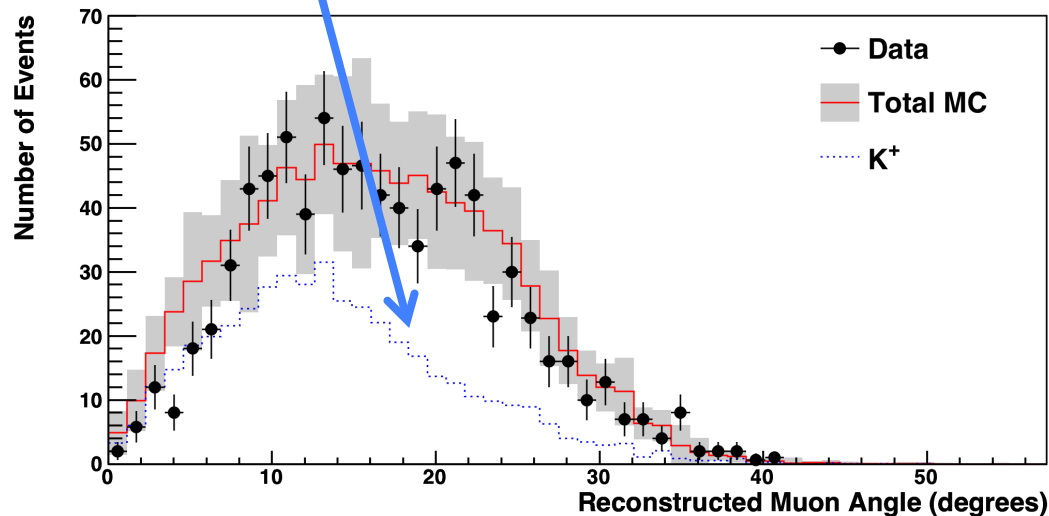
- ◆ Linear
- ◆ Non-zero momentum
- ◆ No constraint on energy

Simulation using Truth to Measure cosmic background in MicroBooNE.

# SciBooNE: Constraining the $\nu_e$ background from beam $K^+$

## Gary Cheng

- Detect  $\nu_\mu$  from  $\pi^+$  and  $K^+$  through their CC interactions ( $\rightarrow \mu$  in) SciBooNE.
- $\nu_\mu$  from  $K^+$  have higher energy.
- Look at muons with  $p > 1$  GeV/c.
- Adjust  $K^+$  contribution in the beam simulation to fit the data  $\mu$  distribution.



Reduced the uncertainty  
On the intrinsic  $\nu_e$  from  $K^+$   
From 40% to 14%.